

## CS367 Announcements

### Tuesday, June 25, 2013

- H2 released

#### **Last Time**

- Exceptions
- Complexity

#### **Today**

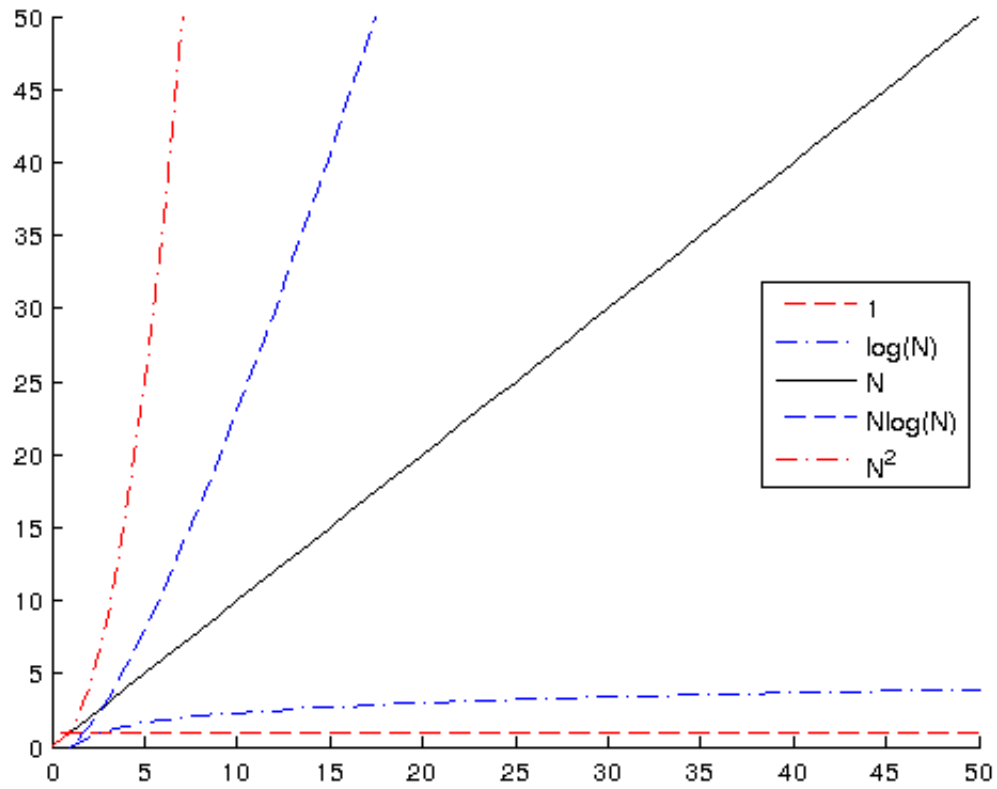
- Complexity (cont.)

## Analyzing Algorithm Efficiency

complexity =

If problem size doubles and the # of operations:

### Comparing $1$ , $\log(N)$ , $N$ , $N \log(N)$ , $N^2$



## Example: Giving a Toast

## Number Guessing Game

Person 1 picks a number between 1 and N

Repeat until number is guessed:

Person 2 guesses a number

Person 1 answers "correct", "too high", or "too low"

problem size =

count :

Consider the following algorithms person 2 could use to decide the sequence of numbers to give as guesses. What is the complexity of each algorithm below?

**Algorithm 1:**

- Guess number = 1
- Repeat until correct:
  - If guess is incorrect, increment guess by 1

**Algorithm 2:**

- Guess number =  $N/2$
- Set step =  $N/4$
- Repeat until correct:
  - If guess is too large, next guess = guess - step
  - If guess is too small, next guess = guess + step
  - step = step/2

## Complexity Analysis of Number Guessing Game

## Scaling the Problem Size

$N$	$N \log(N)$	$N^2$	$2N$	$N!$
2	2.0	2	4	2
4	8.0	16	16	24
6	15.5	36	64	720
8	24.0	64	256	
10	33.2	100	1024	
15	58.6	225		
20	86.4	400		
100	664.4	10,000		
1000	9965.8	1,000,000		

## Big-O Notation

constant time →

linear time →

quadratic time →

Formal definition: