

1. Consider the following first implementation of the lockset algorithm:

Let $locks_held(t)$ be the set of locks held by thread t .

For each v , initialize $C(v)$ to the set of all locks.

On each access to v by thread t ,
 set $C(v) := C(v) \cap locks_held(t)$;
 if $C(v) = \{ \}$, then issue a warning.

For the following example program execution, show the values of $locks_held$ and $C(A)$ for variable A over time. Will a data race detected? If so, when?

Lock(i);
 Lock(m);
 A++;
 Unlock(m);

$locks_held: i, m$

$CV = \text{everything candidate set}$
 $CV = \{i, m\}$

Lock(m);
 A--;
 Unlock(m);
 Unlock(i);

$locks_held i, m$

$CV = \{i, m\}$

Lock(i);
 Lock(j);
 A++;
 Unlock(i);
 Unlock(j);

$locks_held i, j$

$CV = \{i\}$

Lock(i);
 B++;
 Unlock(i);

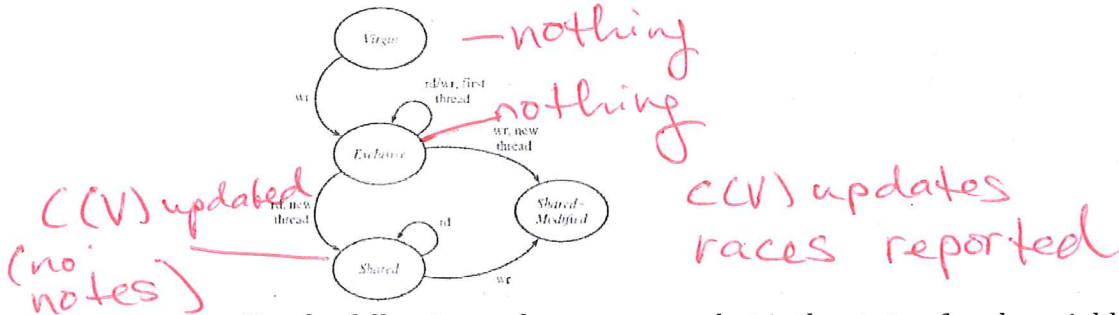
Lock(m);
 A--;
 Unlock(m);

$locks_held m$

$CV = \text{null}$
 $\rightarrow \text{RACE}$

(Optional: Can you come up with a better code example?)

2. Consider the following new states for a variable to handle initialization and read-sharing. How is $C(v)$ updated when a variable v is in each state? What checks are made for a variable in each state?



For the following code sequence, what is the state of each variable A and B over time? Over time, what are the values of `locks_held` and $C(A)$ and $C(B)$? Would a race be reported? Can any of these locks be removed and still be valid?

Thread 1	Thread 2
<p><i>A, B virgin</i></p> <p>// code not involving A or B</p> <p>A = 1; B = A + 5;</p> <p>A++;</p> <p>Lock(n); B++; Unlock(n);</p> <p><i>exclusive</i></p> <p><i>C(B) = {n}</i></p> <p><i>A is shared</i></p> <p><i>C(A) = {m}</i></p> <p>Lock(m); If (A == 2) { // do something(); Unlock(m);</p>	<p><i>A, B virgin</i></p> <p>// code not involving A or B;</p> <p>Lock(n); B--; Unlock(n);</p> <p><i>B now shared modified</i></p> <p><i>locks-held → n</i></p> <p><i>C(B) = {n}</i></p> <p>Lock(m); If (A == 2) { // do something(); } Unlock(m);</p> <p><i>A is shared</i></p> <p><i>C(A) = {m}</i></p>

(Optional: Can you come up with a better code example?)

- okay
- Lock m can be removed when only in shared state (if this all that happens)

3. Consider the following version to handle read-write locks:

Let $locks_held(t)$ be the set of locks held in any mode by thread t .
 Let $write_locks_held(t)$ be the set of locks held in write mode by thread t .
 For each v , initialize $C(v)$ to the set of all locks.
 On each read of v by thread t ,
 set $C(v) := C(v) \cap locks_held(t)$;
 if $C(v) := \{ \}$, then issue a warning.
 On each write of v by thread t ,
 set $C(v) := C(v) \cap write_locks_held(t)$;
 if $C(v) = \{ \}$, then issue a warning.

For the following code sequence, what is the state of each variable A and B over time? Over time, what are the values of $locks_held$, $write_locks_held$, and $C(A)$ and $C(B)$? Would any races be reported (if so, where)? Can any of these locks be removed and still be valid? Assume if Lock is given the parameter WRITER it is a write lock, otherwise it is only a read lock.

(Optional: Can you come up with a better code example?)

Thread 1	Thread 2	Thread 3
$A = 1;$ $B = A + 5;$ $C = B + 1;$ $Lock(k);$ $Lock(j);$ If $(A == \dots)$ do something(); $Unlock(j);$ $Unlock(k);$ $Lock(d);$ If $(B == \dots)$ do something(); $Unlock(d);$ $Lock(e, WRITER);$ $Lock(c, WRITER);$ $C++;$ $Unlock(c);$ $Unlock(e);$	 $Lock(e);$ $Lock(f);$ If $(C == \dots)$ do something(); $Unlock(f);$ $Unlock(e);$ $Lock(j);$ $Lock(m);$ If $(A == \dots)$ do something(); $Unlock(m);$ $Unlock(j);$ $Lock(d);$ If $(B == \dots)$ do something(); $Unlock(d);$	 $Lock(e);$ $Lock(g);$ If $(C == \dots)$ do something(); $Unlock(g);$ $Unlock(e);$ $Lock(m);$ $Lock(n);$ If $(A == \dots)$ do something(); $Unlock(n);$ $Unlock(m);$ $Lock(g, WRITER);$ $Lock(d);$ $B++;$ $Unlock(d);$ $Unlock(g);$

C-O KAY

null... but
no warning

A - no common lock
but okay if just read

$C(A) = \{e, g\}$
 $C(B) = \{d\}$
 $C(C) = \{e\}$
 $C(A) = NULL$
 $C(B) = NULL!$
 d needed to be writer lock!!
RACE