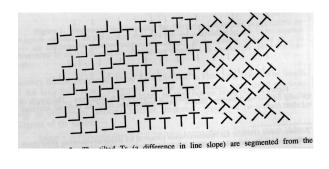
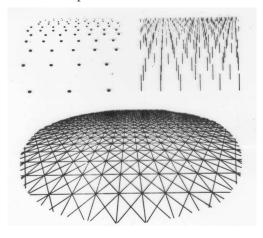
### Texture

- What is texture?
  - Easy to recognize, hard to define
  - Deterministic textures ("thing-like")
  - Stochastic textures ("stuff-like")
- Tasks
  - Discrimination / Segmentation
  - Classification
  - Texture synthesis
  - Shape from texture
  - Texture transfer
  - Video textures

# Texture Discrimination

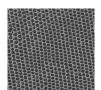


### Shape from Texture



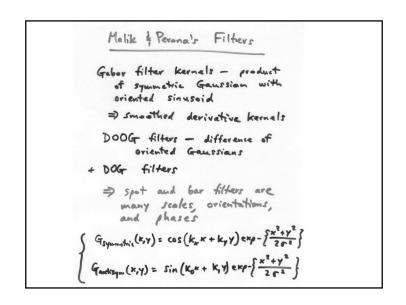
# Modeling Texture

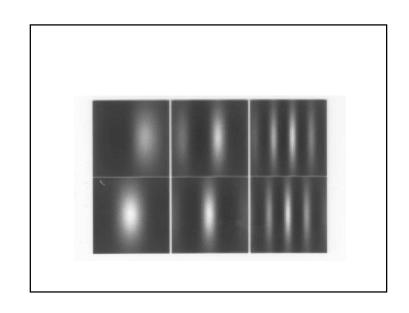


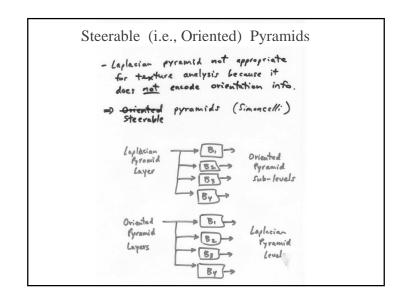


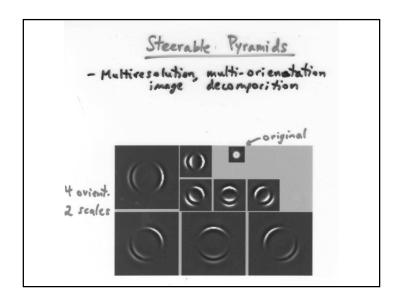


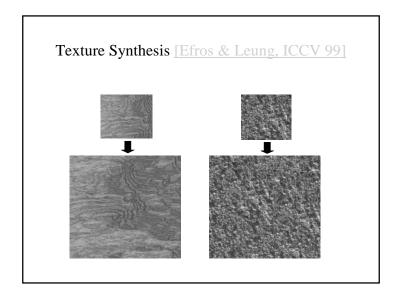
- What is texture?
  - An image obeying some statistical properties
  - Similar structures repeated over and over again
  - $\ Of ten \ has \ some \ degree \ of \ randomness$



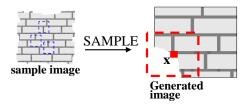








# Synthesizing One Pixel



- What is  $P(\mathbf{x}|\text{neighborhood of pixels around x})$
- Find all the windows in the image that match the neighborhood
  - consider only pixels in the neighborhood that are already filled in
- To synthesize x
  - · pick one matching window at random
  - assign x to be the center pixel of that window

### Markov Random Field

A Markov random field (MRF)

· generalization of Markov chains to two or more dimensions

#### First-order MRF:

 probability that pixel X takes a certain value given the values of neighbors A, B, C, and D:

$$P(\mathbf{X}|\mathbf{A},\mathbf{B},\mathbf{C},\mathbf{D})$$



Higher order MRF's have larger neighborhoods





### Markov Chain

- Markov Chain
  - a sequence of random variables  $x_1, x_2, \ldots, x_n$
  - $\mathbf{X}_t$  is the **state** of the model at time t

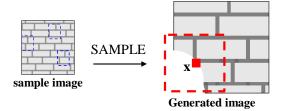
$$x_1 \rightarrow x_2 \rightarrow x_3 \rightarrow x_4 \rightarrow x_5$$

- Markov assumption: each state is dependent only on the previous one
  - · dependency given by a conditional probability:

$$p(\mathbf{x}_t|\mathbf{x}_{t-1})$$

- The above is actually a first-order Markov chain
- An N'th-order Markov chain:  $p(\mathbf{x}_t|\mathbf{x}_{t-1},\dots,\mathbf{x}_{t-N})$

# Really Synthesizing One Pixel

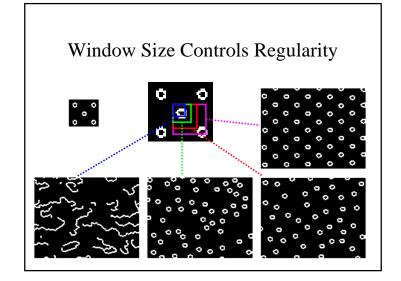


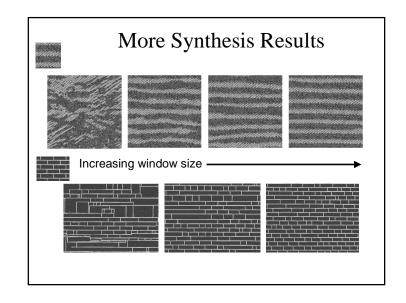
- An exact neighborhood match might not be present
- So we find the **best** matches using SSD error and randomly choose between them, preferring better matches with higher probability

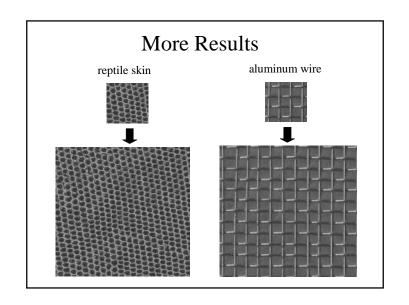
# **Growing Texture**

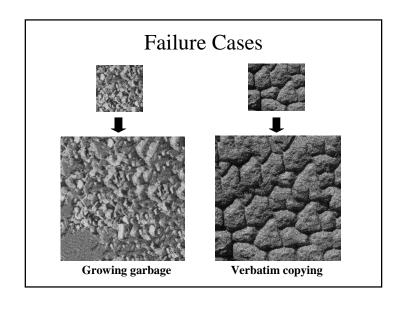


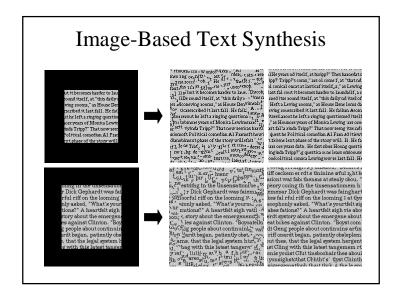
 Starting from the initial image, "grow" the texture one pixel at a time

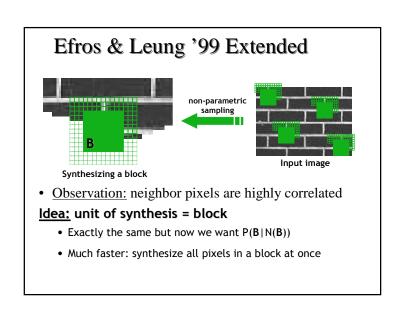


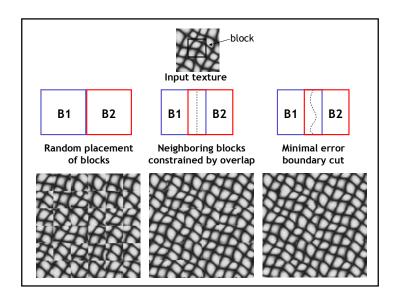


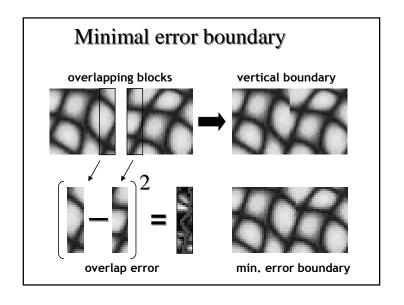






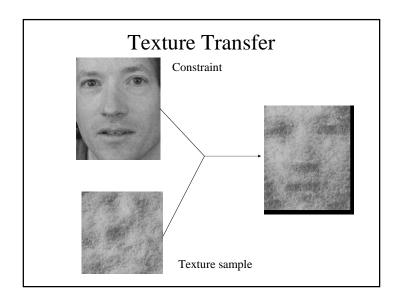






# Philosophy

- The "Corrupt Professor's Algorithm:"
  - Plagiarize as much of the source image as you can
  - Then try to cover up the evidence
- Rationale:
  - Texture blocks are by definition correct samples of texture, so the only problem is connecting them together

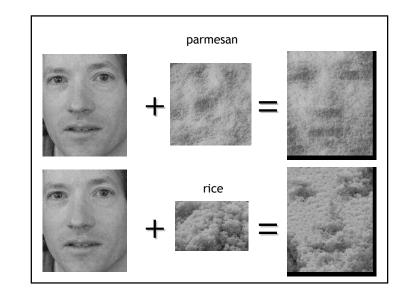


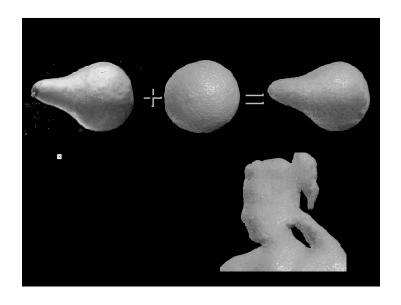
### **Texture Transfer**

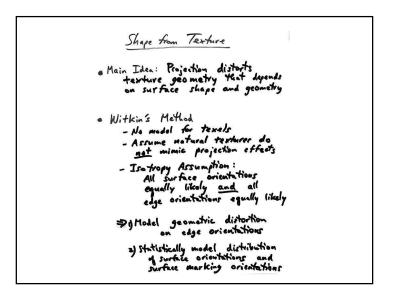
- •Take the texture from one object and "paint" it onto another object
  - This requires separating texture and shape
  - That's HARD, but we can cheat
  - Assume we can capture shape by boundary and rough shading



Then, just add another constraint when sampling: similarity to luminance of underlying image at that spot







Imaging process distorts surface texture in 2 ways:

- 1. Distance
  Farther objects appear smaller
  Area subtended by solid engle SZ
  = d^2 SZ where d = distance
- 2. Orientation



to surface

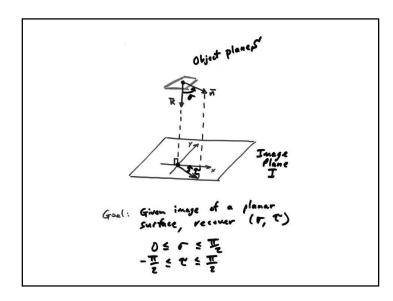
As slant or increases, foreshortening mokes point appear closer together as

- · Fectures: Edge orientations of surface markings
- Geometric Model
   Given curve C(s) on surface of (et β(s) = direction of C(s) 's tangent at s



B = angle between p(r)
and x-axis is S

What is projection of  $\beta(s)$ ,  $\beta$ , C(s) into image I?



Assume orthographic projection (=) foreshortening effects only)

Let C4(s) = orthographic projection
of C(s) in I

To compute C+(s):

1. Put C(s) in I using I's coords  $\beta(s) = [\cos \beta, \sin \beta]$ 

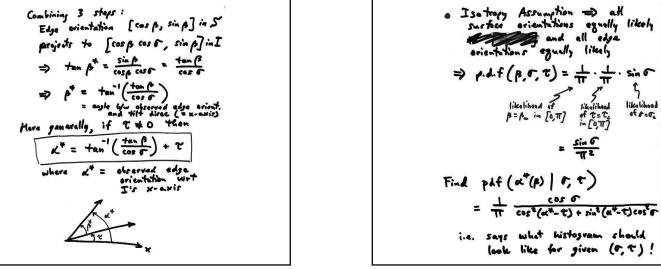


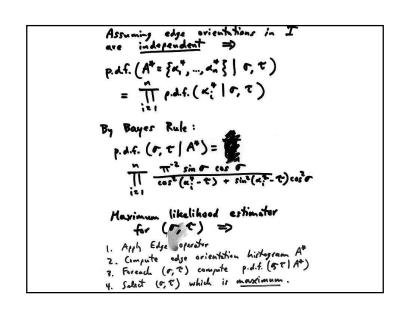
Z. Rotate I by (o, t) [1's man's

Initially, assume to (effit diesy

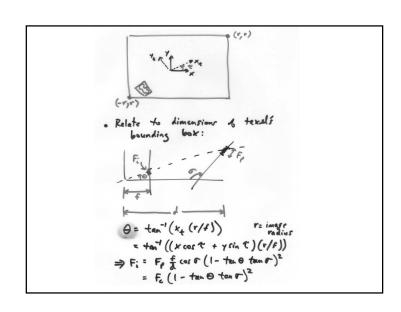
> (x,y,0) F,0 (xcosf, y, xsinf)

3. Orthographic Projection onto I plane (x, y, z) - (x, y)





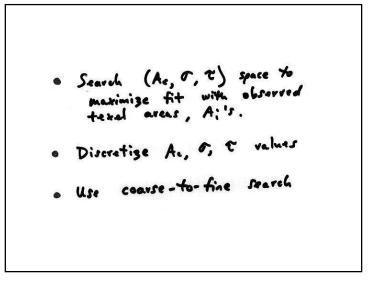
Shape from Teature Using Texels frojective distortion changes size of texals due to <u>distance</u> and shope of texals due to foreshorted 1. Detect Texals - PG detectors find conters of "spots" of varying Sizes. - Connected components analysis used to define texals 2. Estimate single planor surface that is mountimally constitute with texals "painted" on surface (no micro-relief) Heuristic: Texal-area gradient: Area of texals decreases w/ distance and slant ansle. Fastest in direction of tilt



where 
$$F_c$$
: foreshortened dimension of texel at image center

Similarly,

 $U_i = U_c (1 - \tan \theta + \tan \sigma)$ 
 $A_i = F_i U_i$ 
 $= A_c (1 - \tan \theta + \tan \sigma)^3$ 



### Recovering Shape By Purposive Viewpoint Adjustment

Kiriakos N. Kutulakos

Charles R. Dyer

Computer Sciences Department University of Wisconsin Madison, Wisconsin USA

#### Approaches to Recovering Shape

Range sensors

Accuracy, distance and resolution limited

Stereo

Surface texture required

Shape from Shading

Surface reflectance characteristics required

• Shape from (Static) Contour

Ambiguous: many-to-1 mapping from shape to contour

#### Active Shape-Recovery

How can we recover surface shape using an observer able to move?

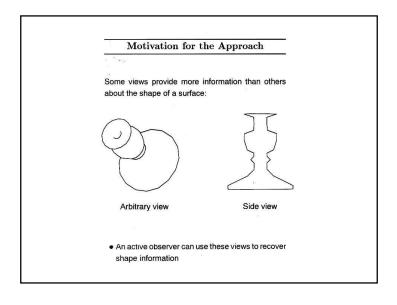
Current approaches.

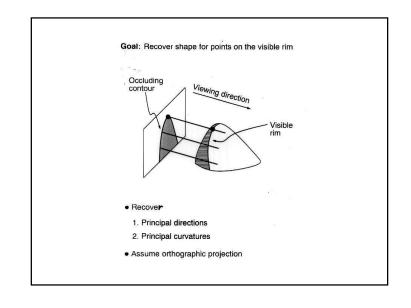
Use a shape-from-motion module (e.g., [Cipolla & Blake; ICCV90])

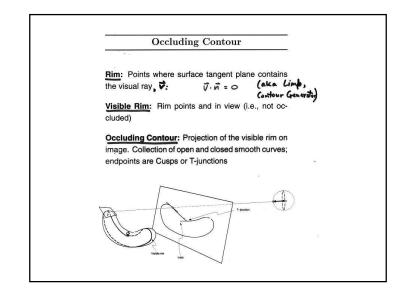
- Known viewer velocities and accelerations
- Compute velocities and accelerations of image points
- Our approach

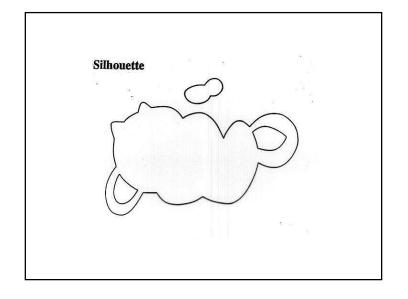
Control position relative to the surface

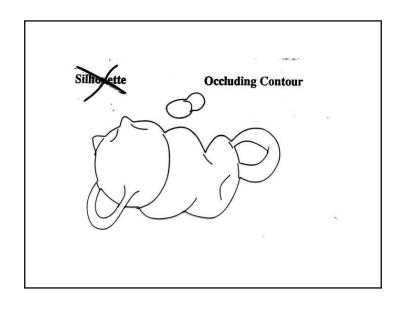
- Maintain fixation
- Measure relative viewing direction changes
- Compute occluding contour curvatures

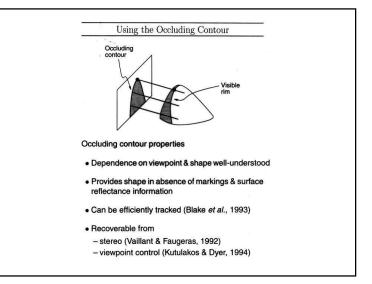












#### **Properties of Occluding Contour**

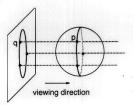
- Geometry is surface-dependent
- Projection of a limited set of surface points
- Geometry is viewpoint-dependent

#### Assumptions

- Smooth, opaque, stationary object (can be nonconvex)
- Parallel projection
- Image features used: occluding contour only
- Observer moves on a sphere around object
- Angular changes in viewpoint known

#### Overview

- Basic steps:
- Select a point on the visible rim
   (elliptic or hyperbolic)

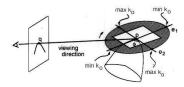


- 2. Change position to recover the local surface shape at that point
- 3. Select a new point for shape-recovery
- Special case: Surfaces of revolution

#### **Shape from Occluding Contour**

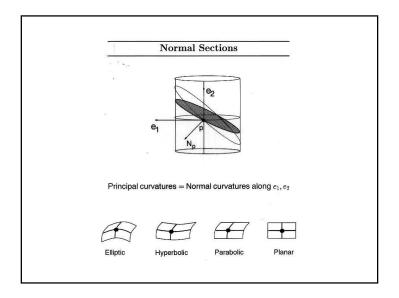
Relation between the occluding contour curvature and local surface shape [Blaschke]:

$$k_0^{-1} = k_1^{-1} \cos^2 \phi + k_2^{-1} \sin^2 \phi$$



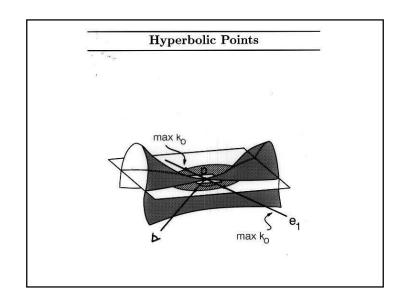
#### Implications.

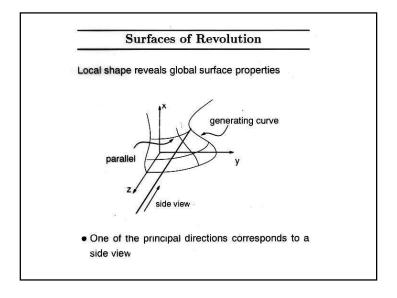
- 1.  $k_o=k_1$  if the viewing direction is along  $e_2$
- 2. If  $k_o, k_1, \phi$  are known we can find  $k_2$
- 3.  $k_o(\phi)$  has only two maxima and two minima, along  $e_2$  and  $e_1$  respectively

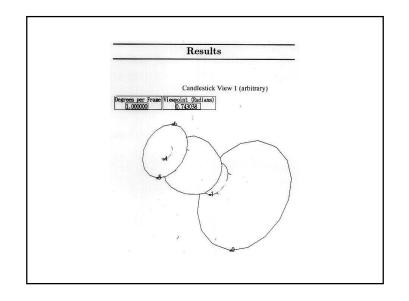


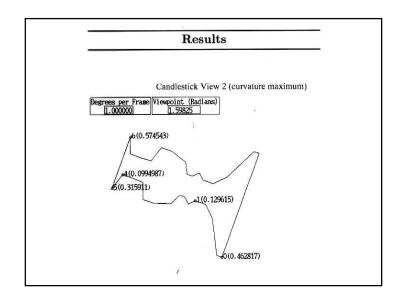
#### The Shape-Recovery Algorithm

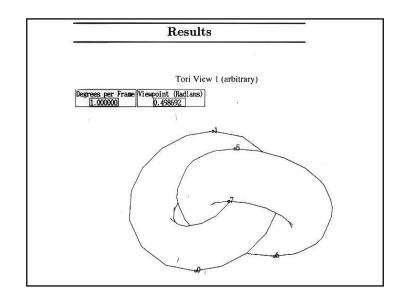
- 1. Compute  $k_o$  for the selected point at initial viewpoint
- 2. Compute point's tangent plane
- 3. Determine the direction of increasing  $k_o$  on point's tangent plane
- 4. Move in that direction until  $k_o$  is maximized Now,  $k_o=k_1$
- 5. Measure the angle  $\phi$  between the initial and current viewing direction
- 6. Compute  $k_2$  from  $\phi$ ,  $k_1$ , and the initial value of  $k_o$

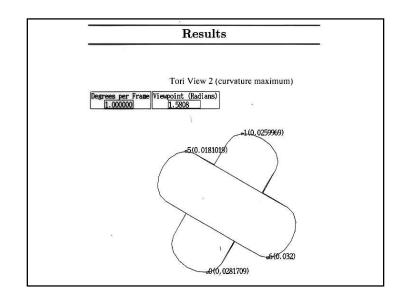


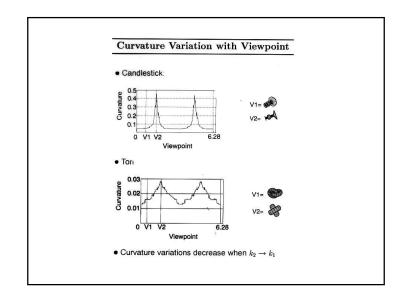


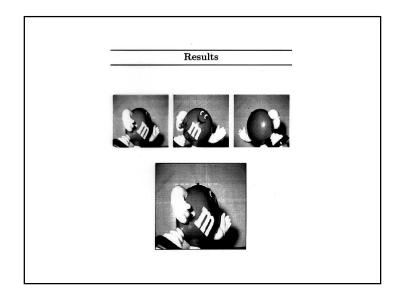


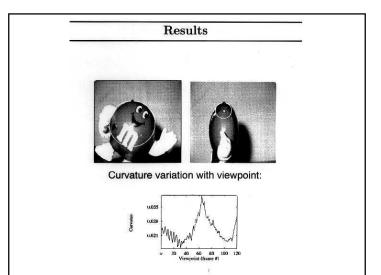












# Successes and Contributions

Our active approach has a number of features:

- Recovers principal curvatures and principal directions
- Qualitative motion control
- Visual processing consists of curvature measurements on the occluding contour
- Recovers correct axis and generating curve of surfaces of revolution

What is the role of special views in an active context?

Long version of this paper available via ftp at ftp.cs.wisc.edu (Technical Report #1035)

