

# CS 640 Introduction to Computer Networks

## Lecture22

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## Routing – the big picture

- Internet divided into Autonomous Systems (ASes)
  - corresponds to an administrative domain
  - examples: University, company, backbone network
  - assign each AS a 16 bit number
- Two-level route propagation hierarchy
  - interior gateway protocol (RIP, OSPF)
  - exterior gateway protocol (Internet- wide standard)

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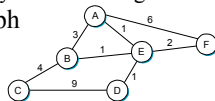
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## Overview

- Forwarding vs Routing
  - forwarding: to select an output port based on destination address and routing table
  - routing: process by which routing table is built
- Network as a Graph
- Problem: Find best path between two nodes
- Factors
  - static: topology
  - dynamic: load



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## Families of routing algorithms

- Distance vector
  - Tell your neighbors about everybody you know of
  - Lower memory
  - RIP: Route Information Protocol
    - based on hop-count
- Link state
  - Tell everybody about your neighbors
  - Most used today
  - OSPF: Open Shortest Path First

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## Distance Vector

- Each node maintains a set of triples
  - (**Destination**, **Cost**, **NextHop**)
- Neighbors exchange updates
  - periodically (on the order of several seconds)
  - whenever table changes (called *triggered* update)
- Each update is a list of pairs: (**Dest**, **Cost**)
- Update local table if receive a “better” route
  - smaller cost
  - came from next hop
- Refresh existing routes; delete if they time out

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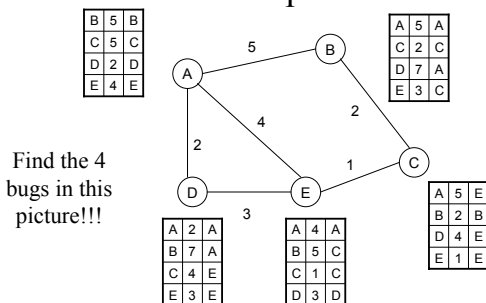
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## Example



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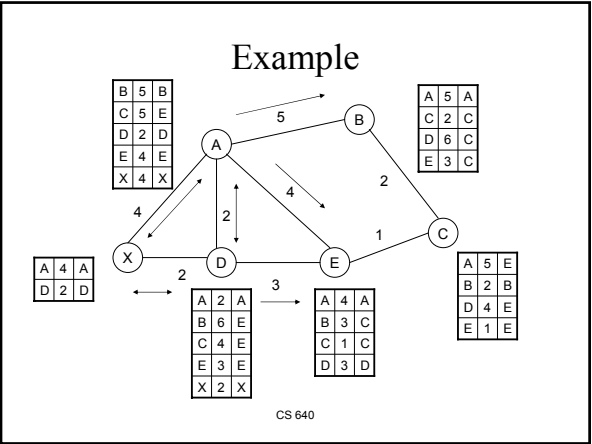
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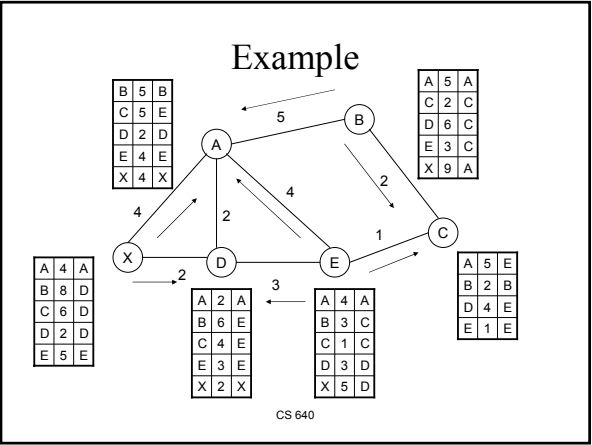
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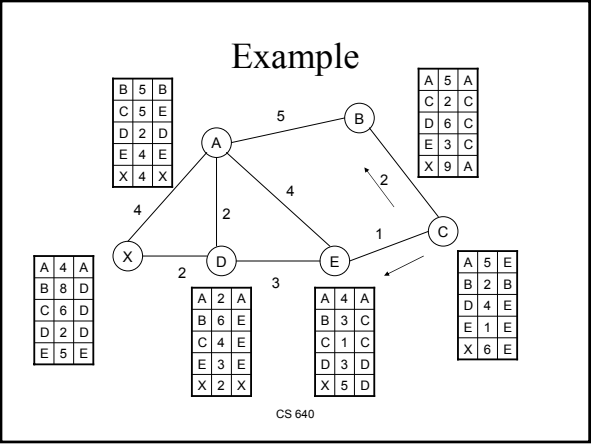
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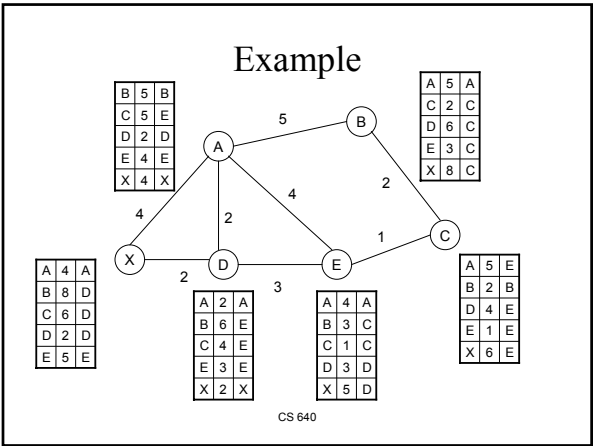
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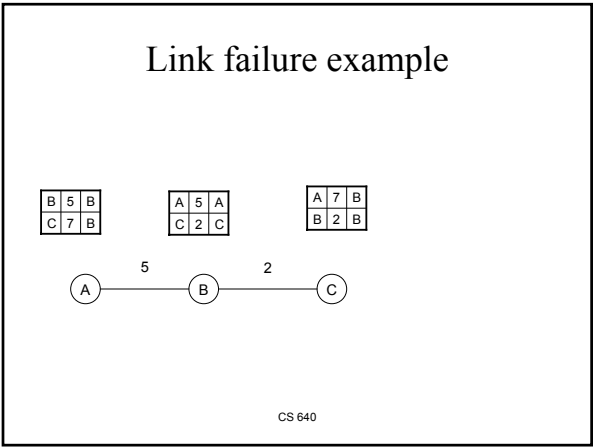
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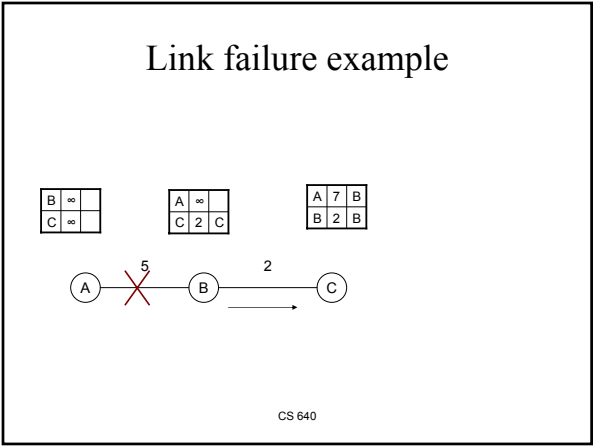
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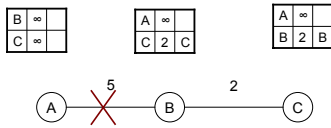
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### Link failure example



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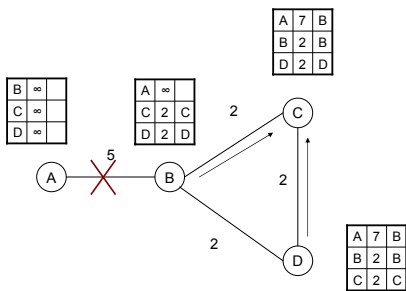
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### Count to infinity example



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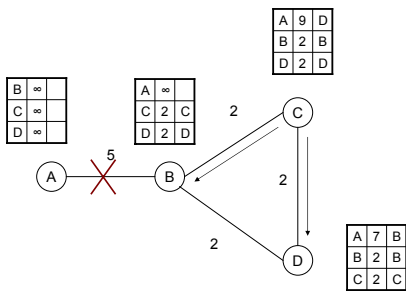
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### Count to infinity example



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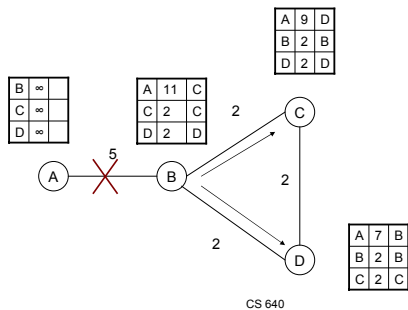
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## Count to infinity example




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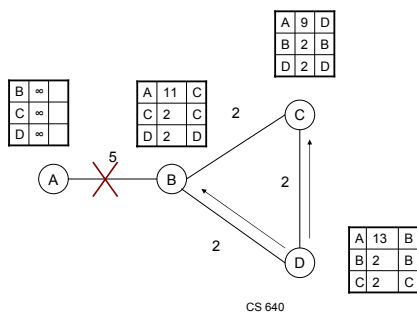
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## Count to infinity example




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## Loop-Breaking Heuristics

- Set infinity to 16
- Split horizon
  - Don't advertise route to neighbor you heard it from
- Split horizon with poison reverse
  - Advertise it with  $\infty$  cost

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## Link State

- Strategy
  - send to all nodes (not just neighbors)  
information about directly connected links  
(not entire routing table)
- Link State Packet (LSP)
  - id of the node that created the LSP
  - cost of link to each immediate neighbor
  - sequence number (SEQNO)
  - time-to-live (TTL) for this packet

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## Link State (cont)

- Reliable flooding
  - store most recent LSP from each node
  - forward **new** LSPs to all neighbors (except the one that sent it)
  - generate new LSP periodically
    - increment SEQNO
  - start SEQNO at 0 when reboot
  - decrement TTL of each stored LSP
    - discard when TTL=0

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## Route Calculation

- Dijkstra's shortest path algorithm
  - $s$  denotes node performing calculation
  - $l(i, j)$  denotes non-negative cost (weight) for edge  $(i, j)$
  - $C(n)$  denotes cost of the path from  $s$  to node  $n$
  - $N$  denotes set of all nodes in the graph
  - $M$  denotes the set of nodes incorporated so far
  - $M = \{s\}$
  - for each  $n$  in  $N - \{s\}$   
   $C(n) = l(s, n)$
  - while  $(N \neq M)$   
   $M = M \cup \{w\}$  such that  $C(w)$  is the min for all  $w$  in  $N - M$   
  for each  $n$  in  $(N - M)$   
     $C(n) = \text{MIN}(C(n), C(w) + l(w, n))$
- Invariant of Dijkstra's algorithm
  - We have shortest path for nodes from  $M$  to  $s$
  - For nodes outside  $M$  we have shortest path that goes to  $s$  only using nodes in  $M$  as next hop

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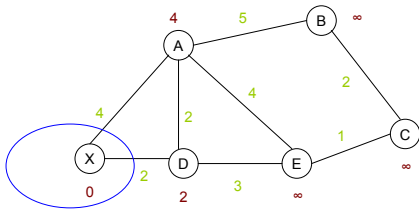
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### Example



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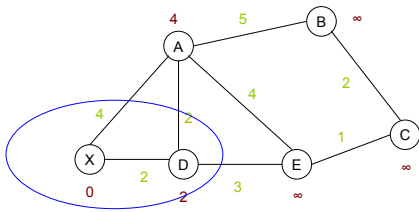
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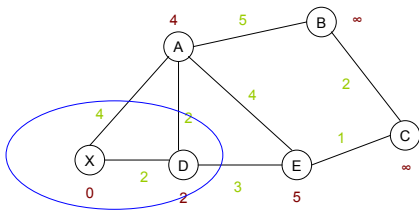
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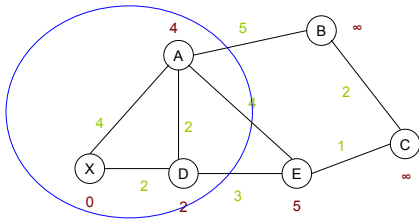
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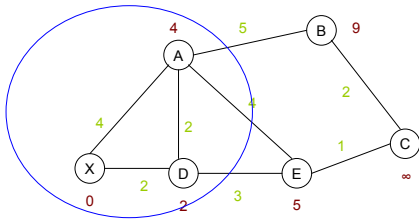
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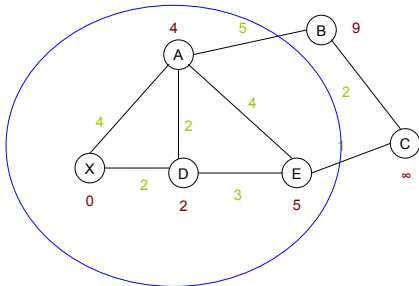
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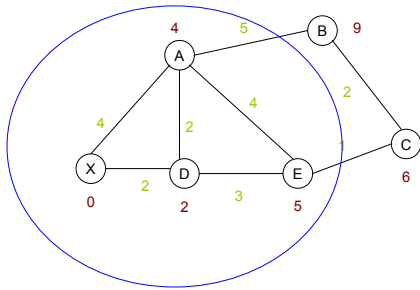
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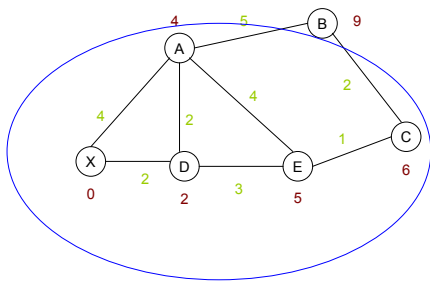
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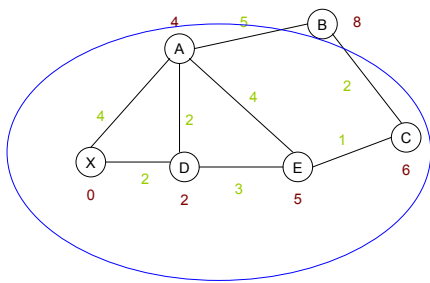
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### Example



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