

Today

Data Representation

Decimal

Binary

Hexadecimal / Octal

Why?

0x500 / 0x500

Digits → 0, 1, 2, ... 9, A, B, C, D, E,

$\frac{1110}{\downarrow} \frac{1111}{\downarrow} \substack{E \quad F \\ 16} \substack{2}$

↓
need not
be uppercase.

Less work for the interpreter

Octal groups
3 bits together

Representation Numbers

- 1) Unsigned encoding (≥ 0) Non-negative numbers
- 2) 2's complement encoding (signed numbers)
- 3) floating point encoding (real numbers)

Data Sizes

→ short a; (or) short int a;

C type	32-bit	64-bit	(In bytes)
char	1	1	
short [int]	2	2	
int	4	4	
long [int]	4	8	
long long [int]	8	8	
float	4	4	
double	8	8	
pointers	4	8	

Why 4 byte and 8 byte units for pointers?

These are the word sizes of these processors.

Word Size \rightarrow The size of each of the processors registers.

32-bit processor

0000 ... 32'0s to 1111 32'1s

0 to $2^{32} - 1$

4 GB.

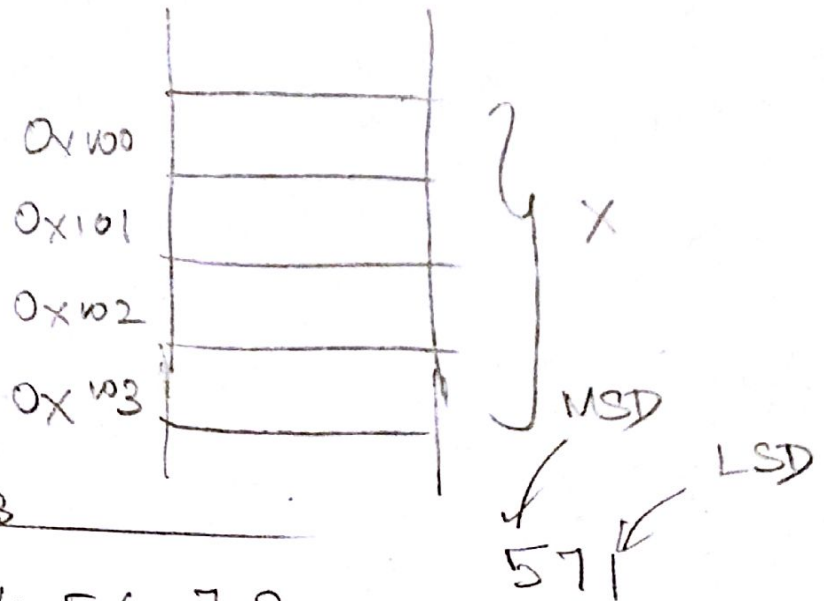
64 bit processor

0 to $2^{64} - 1$

Addressing & Byte Ordering

int x ;

x = 0x100;



x = 0x 12 34 56 78

MSB ← 12 34 56 78 ← LSB

Endian-ness

Little Endian	0x100	78
	0x101	56
	0x102	34
	0x103	12

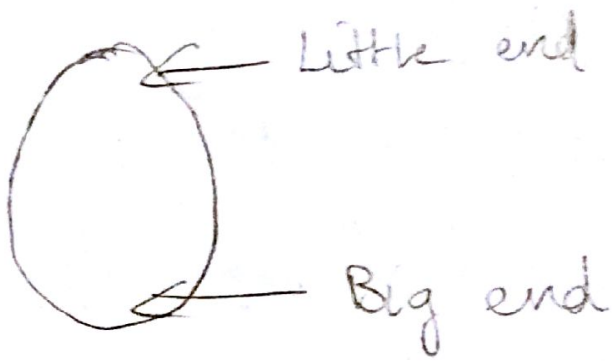
Least Significant Byte gets stored first.
(Most Intel machines)

Big Endian	0x100	12
	0x101	34
	0x102	56
	0x103	78

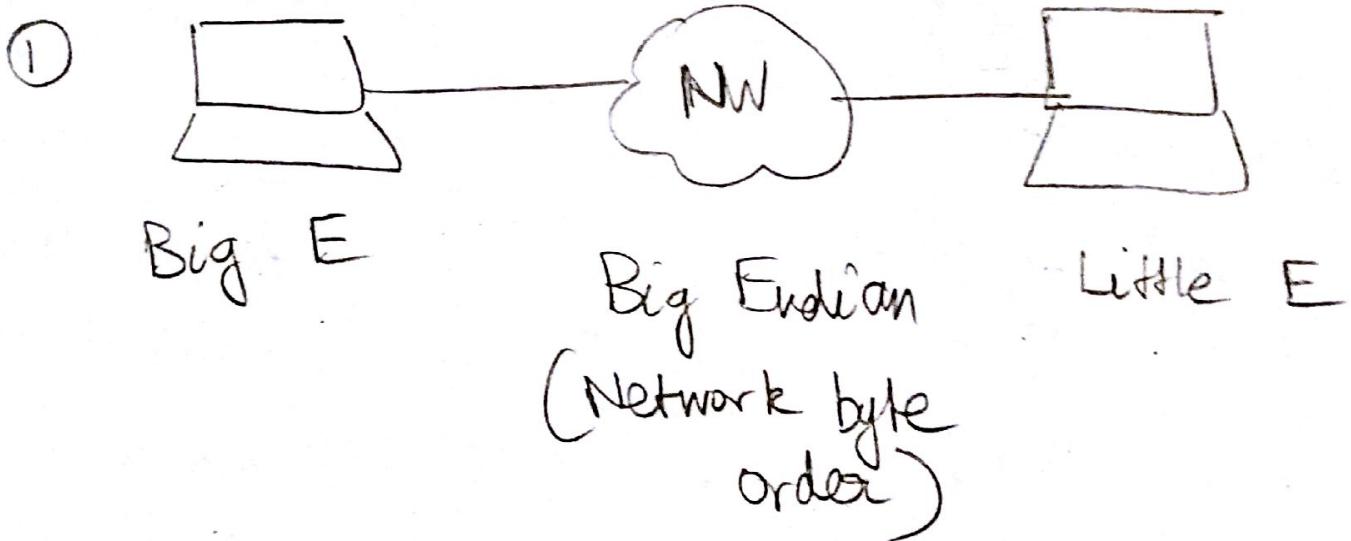
Most Significant byte comes first
(Most IBM machines)

Bi-endian - machines that can be configured to either.

Gullivers Tunnels



Problem



h tons → host to network short
n to h s → network to host short
h ton l → " long
n to h l → " long

② Machine C

64 94 04 08

↓

0x 08 04 94 64

↓

0x 8049464

Strings in C (char arrays)

char *str = "ABC";

0x00	65
0x01	66
0x02	67
0x03	0

This is not a group. They are individual characters.

0 - 127

There are other formats Unicode (UTF16)

Bitwise Operators

Bit Vector \rightarrow String of bits (0s and 1s)
Array

Work at a bit level

$$X = 12_{10} = 1100_2$$

$$Y = 10_{10} = 1010_2$$

AND

$X \& Y$

$$\begin{array}{r} 1100 \\ 1010 \\ \hline 1000 \end{array} \rightarrow 8$$

Logical operator

$(X \& Y)$

$$\begin{array}{l} X = 0 \\ Y = 10 \\ X \& Y \\ = 0 \end{array}$$

OR
 $X | Y$

$$\begin{array}{r} 1100 \\ 1010 \\ \hline 1110 \end{array} \rightarrow 14$$

XOR

$X \wedge Y$

$$\begin{array}{r} 1100 \\ 1010 \\ \hline 0110 \end{array} \rightarrow 6$$

NOT

$\sim x$

$$\begin{array}{r} 11\ 00 \\ \hline 00\ 11 \end{array} \rightarrow 3$$

Logical NOT
! x (12)

$$\begin{array}{r} = 0 \\ \hline x = 0 \\ !x \rightarrow 1 \end{array}$$

Shift operators

Left Shift operator \ll

$$x = \ll 00001100 \rightarrow 12$$

$$x \ll 1 \quad 00011000 \rightarrow 24$$

$$x \ll 2 \quad 00110000 \rightarrow 48$$

Right Shift operator \gg

$$x = \quad 00001100 \rightarrow 12$$

$$x \gg 2 \quad 00000011 \rightarrow 3$$

Right shift is a bit operation

①

②

$x \gg 4$
(logical)

0110 0011

0000 0110

unsigned data

$x \gg 4$
(arithmetic)

0000 0110

(signed data)

1001 0101

0000 1001

1111 1001

Integer Representation

I Unsigned encoding

$$B2U_w(\vec{x}) = \sum_{l=0}^{N-1} x_l \cdot 2^l$$

↓
Maps strings of 0s and 1s to non-negative integers.

$$B2U_4 \left(\begin{array}{c} [0001] \\ 1111 \\ 3210 \end{array} \right) = 0 \times 2^3 + 0 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 = 1$$

$$\begin{aligned}
 B_2 V_4 \left(\begin{bmatrix} 1 \\ 0 \\ 1 \\ 0 \end{bmatrix} \right) &= 1 \times 2^3 + 0 \times 2^2 \\
 &+ 1 \times 2^1 + 0 \times 2^0 \\
 &= 8 + 0 + 2 + 0 \\
 &= 10
 \end{aligned}$$

$$\underline{1111} \rightarrow 15$$

For a vector of length w , the value ranges from 0 to $2^w - 1$

$$0 \text{ to } 2^4 - 1 \quad (= 15)$$