

Seeker: Real Time Interactive Search

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Problem Statement

Seeker: allows users to **adaptively** refine search rankings in **real time**, through feedbacks in the form of **likes and dislikes**.

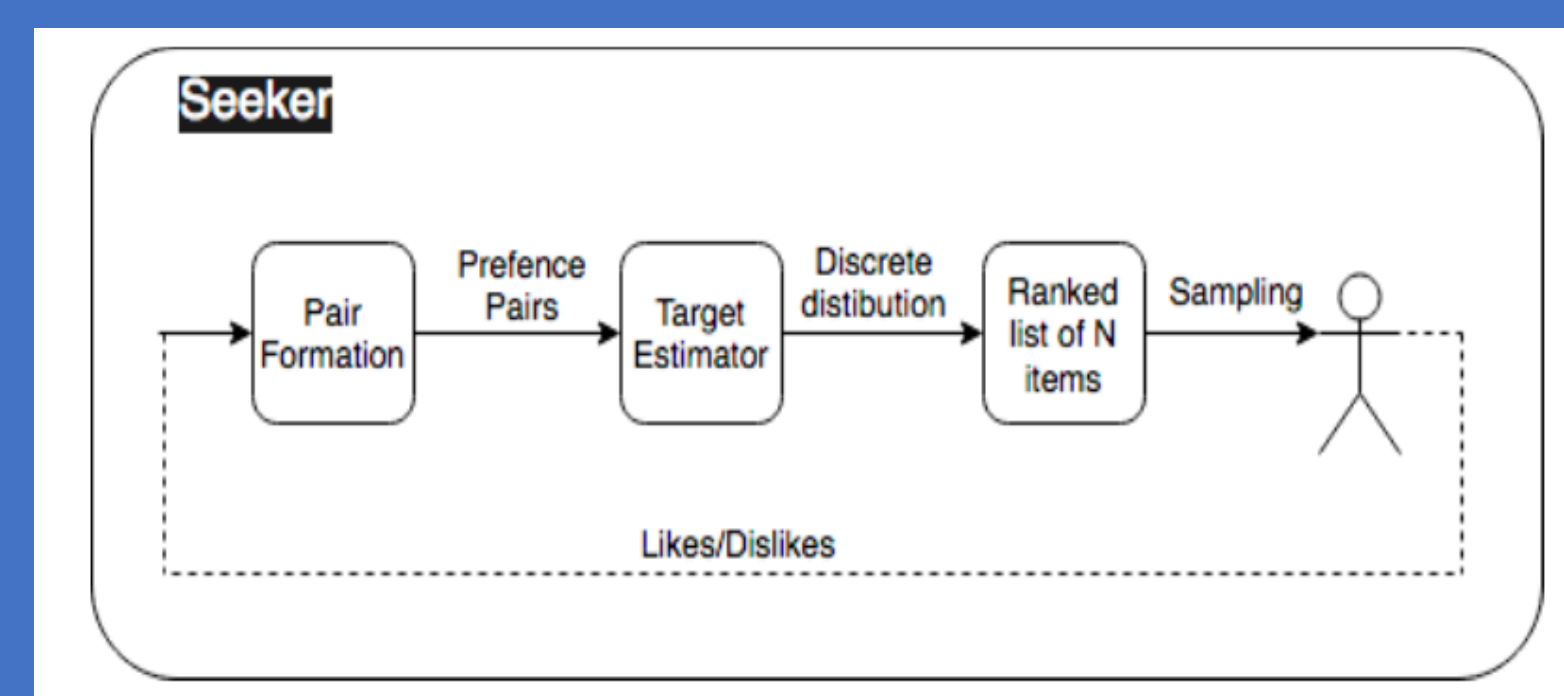
User has a **mental picture** of desired item and can answer ordinal questions like: "Is this item similar to what you have in mind?"

Problem formulation:

- User has in mind **target item t** .
- Catalog has N items.
- Display $M \ll N$ items at a time.
- User interacts with items through likes and dislikes.
- User can interact with same item repeatedly.

Aim: Surface item t in M using the fewest interactions possible.

Logical Components



Pair Formation

Definitions/assumptions:

- Represent item i as embedding feature vector x_i .
- Assume high correlation between human similarity and distance metric in embedding space.
- **Preference pair s_{ij}** consists of liked item a_i and disliked item b_j .
- User **prefers i over j given t** :

$$\|x_i - x_t\|^2 < \|x_j - x_t\|^2$$

Probability of choosing i over j :

$$P(s_{ij}|t) = \text{logistic}(\|x_j - x_t\|^2 - \|x_i - x_t\|^2)$$

$P(s_{ij}|t) = 0.5$ if i & j equidistant from t .
 $P(s_{ij}|t) = 1$ if $i=t$ and j infinitely far.

Target Estimation

Assume all preference pairs are independent from each other.

Likelihood of preference set S :

$$P(S|t) = \prod_{s_{ij}} P(s_{ij}|t)$$

Posterior of an item being the target:

$$g_t = P(t) \prod_{s_{ij}} P(s_{ij}|t)$$

Item Ranking

Generate discrete distribution using softmax (Boltzmann) equation:

$$p_j = \frac{e^{g_j}}{\sum_i e^{g_i}}$$

Sample by **Gumbel-softmax** trick:

$$\begin{aligned} & \text{argmax}_j \{g_j + \text{Gumbel}(0,1)\} \\ & \sim \frac{e^{g_j}}{\sum_i e^{g_i}} = p_j \end{aligned}$$

Anneal using inverse temperature η_k to balance explore/exploit:

$$\begin{aligned} & \text{argmax}_j \{ \eta_k g_j + \text{Gumbel}(0,1) \} \\ & = \text{argmax}_j \left\{ g_j + \frac{\text{Gumbel}(0,1)}{\eta_k} \right\} \\ & \sim \frac{e^{\eta_k g_j}}{\sum_i e^{\eta_k g_i}} = p_j \end{aligned}$$

This is similar to Thompson Sampling bandit, but doesn't account for estimates uncertainty. We **include estimate uncertainty thru annealing**:

$$\text{argmax}_j \left\{ g_j + \sqrt{\frac{C^2}{n_j}} \text{Gumbel}(0,1) \right\}$$

where n_j is the number of times a user interacts with item j . C depends on the variance factor of the reward subgaussian distribution. In our case, reward is binary and $C^2 = \frac{1}{8}$.

Algorithm Summary

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Input:  $M \leq N, n_i \forall i \in N$ 
for all  $x_i, i = 1, \dots, N$  do
   $y_i \sim \text{Gumbel}(0,1)$ 
   $z_i = g_i + \frac{C y_i}{\sqrt{n_i}}$ 
results = sort( $\{z_i | i = 1, \dots, N\}$ ) in descending order
return top  $M$  results
  
```

Experimental Results

- Compare Seeker to pure exploitation, random, and epsilon-greedy bandit.
- Interact with system up to K interactions or until $t \in M$.
- Set $K=15, M=12, N=2228$.
- Monitor **target normalized rank ρ** .
- **Recall@ ρ_j** : Percentage of sessions with $\rho_i \leq \rho_j$.

