

Visual Parsing with Weak Supervision

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2015-07-30



Research Goal

Teach Computer to See at/beyond Human Level



- Interpret/summarize/organize visual data on the Internet
- Help the disabled population (e.g., the blind)

Visual Parsing

Fundamental Task

- Semantically parse every pixel in images and videos

Visual Parsing

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- Semantically parse every pixel in images and videos
- First step towards high level applications



Self-driving Car



Unmanned Aerial Vehicle



Wearable Glasses

Visual Parsing

Fundamental Task

Turning Visual Data Into Knowledge

flickr **facebook.** **You****Tube**

Everyday

> 3.5 million

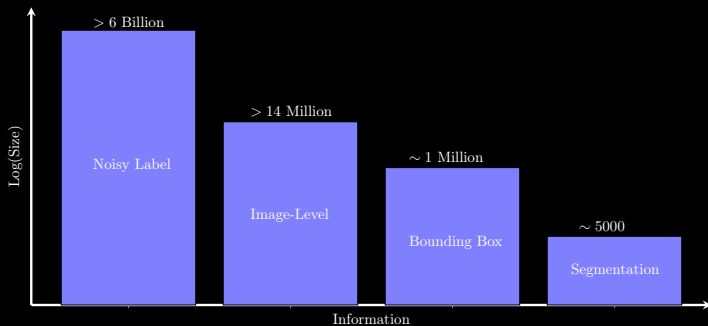
> 300 million

> 150,000 hours

- Never Ending Language Learning (Mitchell et al., 2009)
- Never Ending Image Learner (Chen et al., 2013)

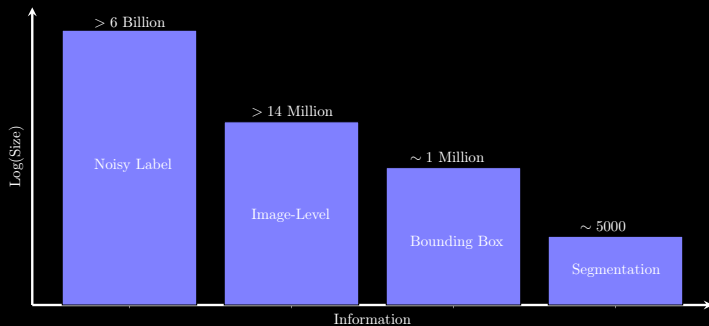
Challenges

Modern Image Dataset



Challenges

Modern Image Dataset



Much fewer segmentations are annotated for videos!

Motivation

Bottleneck of Fully Supervised Methods

- Full annotation is expensive to collect and limited at size

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- Large datasets with side/weak annotations are readily available: metadata, tags, text

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Why Weakly Supervised Learning

- Weak supervision is easier to obtain: e.g., gaze
- Large datasets with side/weak annotations are readily available: metadata, tags, text
- Visual data presents the physical world: shape, geometry, context

My Thesis Research

- How can we utilize weakly labeled data effectively for the visual parsing task?
- When human comes into the visual parsing loop, how can we minimize user effort while still achieving satisfactory parsing results?

Roadmap

Chapter	Parsing Task	Weak Supervision	Publication
Ch. 2	Object Segmentation	User Indication	CVPR 2013
Ch. 3	Scene Parsing	Image-level Tags	CVPR 2014
Ch. 4	Scene Parsing	Image-level Tags Bounding Boxes Partial Labels	CVPR 2015a
Ch. 5	Video Segmentation	Side Knowledge	ICCV 2013
Ch. 6	Video Summarization	Human Gaze	CVPR 2015b

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Object Segmentation



Object Segmentation



Main Challenges

- 1 Semantic gap: what is an object?

Object Segmentation



Main Challenges

- 1 Semantic gap: what is an object?
- 2 Ambiguity of user intention: which object do you want?



Interactive Object Segmentation



Main Challenges

- 1 Semantic gap: what is an object?
- 2 Ambiguity of user intention: which object do you want?

A few user scribbles can make segmentation much easier!

Related work

- Region-based: Graphcut (Boykov and Jolly, 2001), Grabcut (Rother et al., 2004), Random Walks (Grady, 2006), Geodesic Shortest Path (Bai and Sapiro, 2009), Geodesic Star Convexity (Gulshan et al., 2010)
- Edge-based: Intelligent Scissors (Mortensen and Barrett, 1998), LabelMe (Russell et al., 2008)



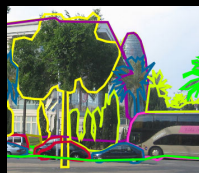
GraphCut



GrabCut



Intelligent Scissors



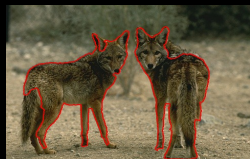
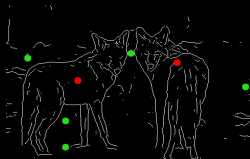
LabelMe

Our Ideas (EulerSeg)

Objective

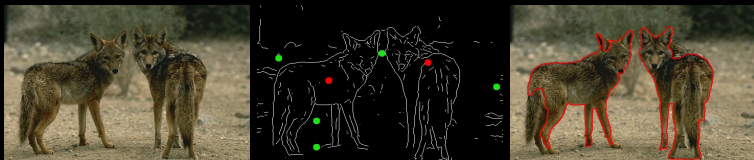
Modeling topological constraint while concurrently finding one or more minimum energy closed contours which satisfy:

- Foreground seeds must be “inside”
- Background seeds must be “outside”



[X., Collins, Singh, CVPR 2013]

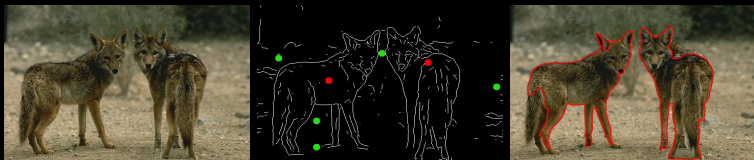
Our Ideas (EulerSeg)



Main Advantages

- 1 Basic primitives are edgelets
(Little dependence on # of pixels)

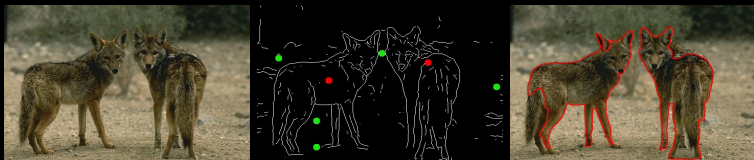
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Main Advantages

- 1 Basic primitives are edgelets
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- 2 Dense strokes not needed to learn appearance model.
Results do *NOT* vary with seed location
(Interaction constraints are completely geometric in form)

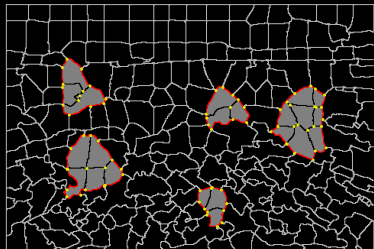
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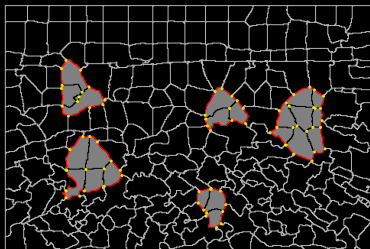
Main Advantages

- 1 Basic primitives are edgelets
(Little dependence on # of pixels)
- 2 Dense strokes not needed to learn appearance model.
Results do *NOT* vary with seed location
(Interaction constraints are completely geometric in form)
- 3 Incorporating connectedness priors and specifying # of closures are easy (Euler characteristic)

Graph Representation



Graph Representation



- \mathbf{x} : face indicator vector
- \mathbf{y} : edge indicator vector
- \mathbf{z} : vertex indicator vector
- \mathbf{w} : indicator vector for foreground boundary edges. Internal edges $y_i \neq w_i = 0$ are black, while boundary edges $y_i = w_i = 1$ are red

Discrete Calculus

Vertex



Edge



Face



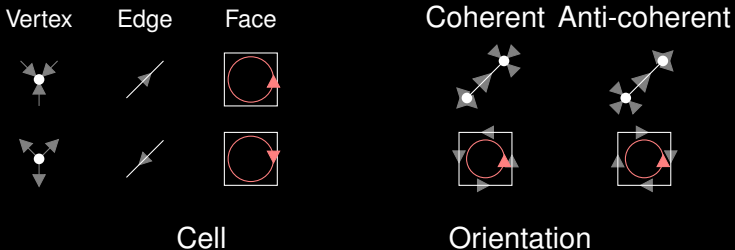
Cell

Coherent Anti-coherent



Orientation

Discrete Calculus



Vertex-edge Incidence Matrix: $A_1 = A, A_2 = A_1./D$

$$\mathbf{A}_{v_k, e_{ij}} = \begin{cases} 1 & k = i, j \\ 0 & \text{otherwise} \end{cases}$$

[Grady and Polimeni, 2010]

Discrete Calculus

Vertex



Edge



Face



Cell

Coherent Anti-coherent



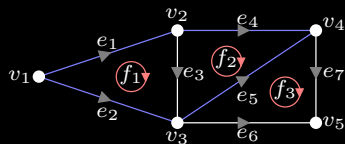
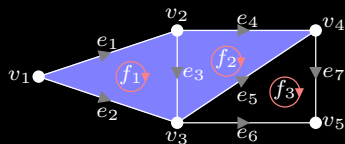
Orientation

Edge-face Incidence Matrix: $C_1 = C, C_2 = |C|$

$$C_{e,f} = \begin{cases} +1 & e \text{ is incident to } f \text{ and coherently oriented} \\ -1 & e \text{ is incident to } f \text{ and anti-coherently oriented} \\ 0 & \text{otherwise} \end{cases}$$

[Grady and Polimeni, 2010]

An Example

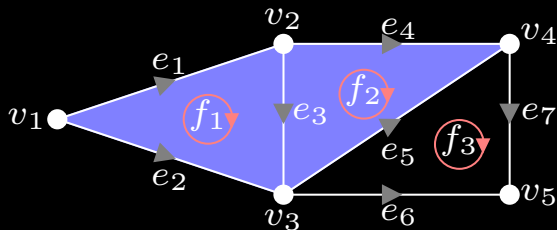


$$C = \begin{bmatrix} 1 & 0 & 0 \\ -1 & 0 & 0 \\ 1 & -1 & 0 \\ 0 & 1 & 0 \\ 0 & -1 & 1 \\ 0 & 0 & -1 \\ 0 & 0 & 1 \end{bmatrix}$$

$$\mathbf{x} = \begin{bmatrix} 1 \\ 1 \\ 0 \end{bmatrix}$$

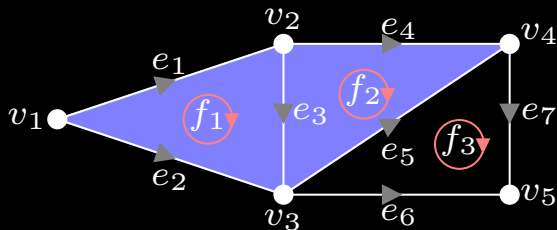
$$\mathbf{b} = C\mathbf{x} = \begin{bmatrix} 1 \\ -1 \\ 0 \\ 1 \\ -1 \\ 0 \\ 0 \end{bmatrix}$$

Euler Characteristic



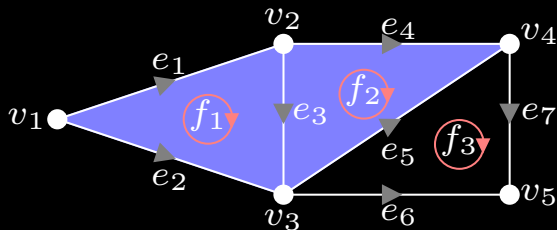
- Number of faces ($1^T \mathbf{x}$):

Euler Characteristic



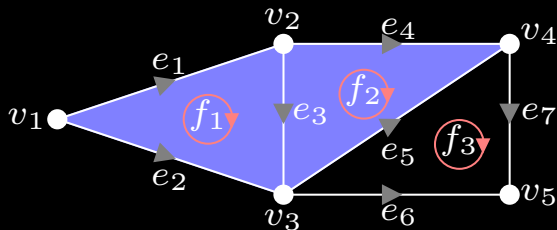
- Number of faces ($1^T \mathbf{x}$): 2
- Number of nodes ($1^T \mathbf{z}$):

Euler Characteristic



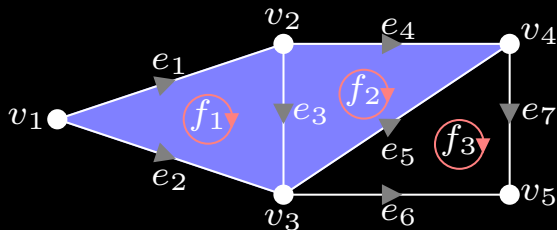
- Number of faces ($1^T \mathbf{x}$): 2
- Number of nodes ($1^T \mathbf{z}$): 4
- Number of edges ($1^T \mathbf{y}$):

Euler Characteristic



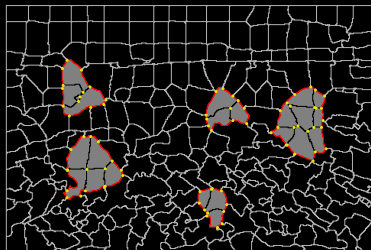
- Number of faces ($1^T \mathbf{x}$): 2
- Number of nodes ($1^T \mathbf{z}$): 4
- Number of edges ($1^T \mathbf{y}$): 5
- Number of connected components ($1^T \mathbf{x} + 1^T \mathbf{z} - 1^T \mathbf{y}$):

Euler Characteristic



- Number of faces ($1^T \mathbf{x}$): 2
- Number of nodes ($1^T \mathbf{z}$): 4
- Number of edges ($1^T \mathbf{y}$): 5
- Number of connected components ($1^T \mathbf{x} + 1^T \mathbf{z} - 1^T \mathbf{y}$): 1

Problem Formulation



Optimization Model

$$\min_{\mathbf{w}, \mathbf{x}, \mathbf{y}, \mathbf{z}} f(\mathbf{w})$$

$$\text{s.t. } \mathbf{w} = |C_1 \mathbf{x}|, \quad 2\mathbf{y} = \mathbf{w} + C_2 \mathbf{x},$$

$$A_2 \mathbf{y} \leq \mathbf{z} \leq A_1 \mathbf{y}, \quad 1^T \mathbf{x} + 1^T \mathbf{z} - 1^T \mathbf{y} = n,$$

$$\mathbf{x}_1 \leq \mathbf{x} \leq 1 - \mathbf{x}_0, \quad w_i, x_j, y_k, z_l \in \{0, 1\}.$$

Ratio Objective

Input



Solution 1



$$N^T \mathbf{w} = 38.48$$

Solution 2



$$N^T \mathbf{w} = 164.77$$

Solution 3



$$N^T \mathbf{w} = 389.61$$

Ratio Objective

Input



Solution 1



$$\mathbf{N}^T \mathbf{w} = 38.48$$

$$\mathbf{D}^T \mathbf{w} = 52$$

$$\frac{\mathbf{N}^T \mathbf{w}}{\mathbf{D}^T \mathbf{w}} = 0.5721$$

Solution 2



$$\mathbf{N}^T \mathbf{w} = 164.77$$

$$\mathbf{D}^T \mathbf{w} = 288$$

$$\frac{\mathbf{N}^T \mathbf{w}}{\mathbf{D}^T \mathbf{w}} = 0.7400$$

Solution 3

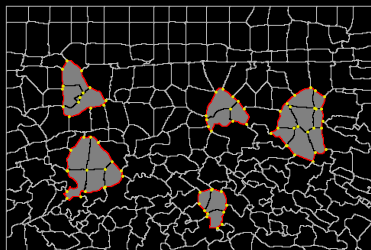


$$\mathbf{N}^T \mathbf{w} = 389.61$$

$$\mathbf{D}^T \mathbf{w} = 865$$

$$\frac{\mathbf{N}^T \mathbf{w}}{\mathbf{D}^T \mathbf{w}} = 0.4504$$

Problem Formulation



Optimization Model

$$\begin{aligned}
 & \min_{\mathbf{w}, \mathbf{x}, \mathbf{y}, \mathbf{z}} \quad \frac{\mathbf{N}^T \mathbf{w}}{\mathbf{D}^T \mathbf{w}} \\
 & \text{s.t.} \quad \mathbf{w} = |\mathbf{C}_1 \mathbf{x}|, \quad 2\mathbf{y} = \mathbf{w} + \mathbf{C}_2 \mathbf{x}, \\
 & \quad \quad \mathbf{A}_2 \mathbf{y} \leq \mathbf{z} \leq \mathbf{A}_1 \mathbf{y}, \quad 1^T \mathbf{x} + 1^T \mathbf{z} - 1^T \mathbf{y} = n, \\
 & \quad \quad \mathbf{x}_1 \leq \mathbf{x} \leq 1 - \mathbf{x}_0, \quad w_i, x_j, y_k, z_l \in \{0, 1\}.
 \end{aligned}$$

Minimizing a Ratio Cost

Solved by minimizing

$$\psi(t, \mathbf{w}) = (\mathbf{N} - t\mathbf{D})^T \mathbf{w}$$

- Over feasible \mathbf{w} for a sequence of chosen values of t
- With an initial finite bounding interval $[t_l, t_u]$

Minimizing a Ratio Cost

Solved by minimizing

$$\psi(t, \mathbf{w}) = (\mathbf{N} - t\mathbf{D})^T \mathbf{w}$$

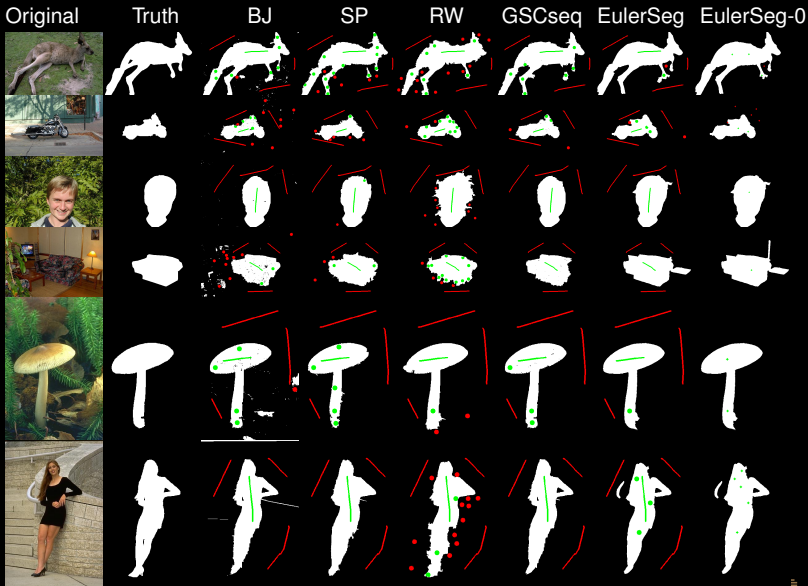
- Over feasible \mathbf{w} for a sequence of chosen values of t
- With an initial finite bounding interval $[t_l, t_u]$

Pick $t_0 = \frac{t_l + t_u}{2}$, and let

$$\bar{\mathbf{w}} = \arg \min_{\mathbf{w}} \psi(t_0, \mathbf{w})$$

- $\psi(t_0, \bar{\mathbf{w}}) = 0$: $\mathbf{N}^T \bar{\mathbf{w}} / \mathbf{D}^T \bar{\mathbf{w}} = t_0$, terminate with solution t_0
- $\psi(t_0, \bar{\mathbf{w}}) < 0$: $\mathbf{N}^T \bar{\mathbf{w}} / \mathbf{D}^T \bar{\mathbf{w}} < t_0$, $t_u \leftarrow \mathbf{N}^T \bar{\mathbf{w}} / \mathbf{D}^T \bar{\mathbf{w}}$
- $\psi(t_0, \bar{\mathbf{w}}) > 0$: $\mathbf{N}^T \bar{\mathbf{w}} / \mathbf{D}^T \bar{\mathbf{w}} > t_0$, $t_l \leftarrow t_0$

Qualitative Results



Quantitative Evaluation

F-Measure

$$P = \frac{|A \cap T|}{|A|}, \quad R = \frac{|A \cap T|}{|T|}, \quad F = \frac{2PR}{P + R}$$

How much effort to reach $F = 0.95$ (using a robot user)?

Method	BJ	RW	SP	GSCseq	EulerSeg
User Scribbles	5.51	6.48	4.54	2.30	2.06

Seeds tell MORE than link/cannot link

[Gulshan et al., 2010]

Roadmap

Chapter	Parsing Task	Weak Supervision	Publication
Ch. 2	Object Segmentation	User Indication	CVPR 2013
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Semantic Segmentation



Building



Tree



Boat



Person

Semantic Segmentation



Building



Tree

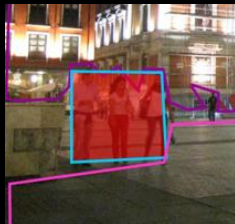
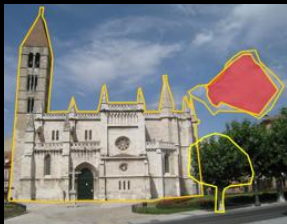


Boat



Person

Bad Object Labels



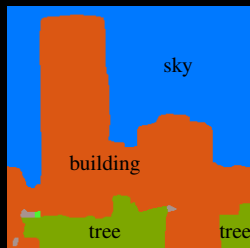
Weakly Supervised Semantic Segmentation

Motivation

- Annotation: presence of image classes
- Tags readily available in online photo collections
- Easier to obtain than segmentations



sky, building, tree



[X., Schwing, Urtasun, CVPR 2014]

Cosegmentation

Concurrently segment common foreground objects from a set of images



[Collins, X., Grady, Singh, CVPR 2012]

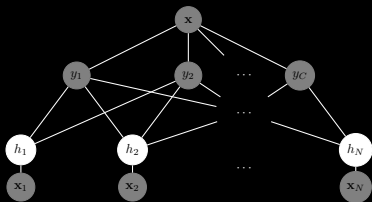
[Mukherjee, Singh, X., Collins, ECCV 2012]

[Collins, Liu, X., Mukherjee, Singh, ECCV 2014]

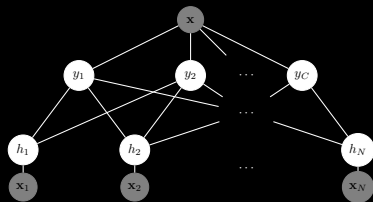
Latent Structured Prediction

Graphical Model

- Presence/absence of a class: $y_i \in \{0, 1\}$
- Semantic superpixel label: $h_j \in \{1, \dots, C\}$
- Image evidence: x



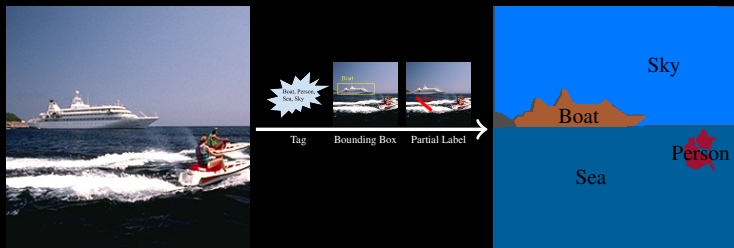
Learning/Inference with Tags



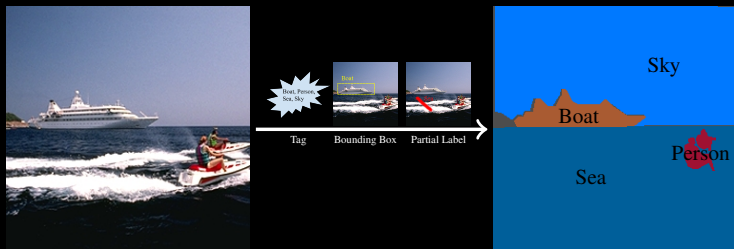
Inference without tags

[X., Schwing, Urtasun, CVPR 2014]

How About Other Forms of Weak Supervision



How About Other Forms of Weak Supervision



Unified Model

$$\min_{W, H} \frac{1}{2} \text{tr}(W^T W) + \lambda \sum_{p=1}^n \xi(W; \mathbf{x}_p, \mathbf{h}_p)$$

$$\text{s.t. } H \mathbf{1}_C = \mathbf{1}_n, H \in \{0, 1\}^{n \times C}$$

$$H \in \mathcal{S}$$

[X., Schwing, Urtasun, CVPR, 2015]

Max-Margin Objective

Denote

- $X = [\mathbf{x}_1^T, \mathbf{x}_p^T, \dots, \mathbf{x}_n^T] \in \mathbb{R}^{n \times d}$: feature matrix
- $H = [\mathbf{h}_1^T, \mathbf{h}_p^T, \dots, \mathbf{h}_n^T] \in \{0, 1\}^{n \times c}$: hidden label matrix
- $W \in \mathbb{R}^{d \times c}$: feature weighting matrix

Max-Margin Objective

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- $W \in \mathbb{R}^{d \times c}$: feature weighting matrix

$$\min_{W, H} \frac{1}{2} \text{tr}(W^T W) + \lambda \sum_{p=1}^n \sum_{c=1}^C \xi(\mathbf{w}_c; \mathbf{x}_p, h_p^c)$$

where

$$\xi(\mathbf{w}_c; \mathbf{x}_p, h_p^c) = \begin{cases} \max(0, 1 + (\mathbf{w}_c^T \mathbf{x}_p)), & h_p^c = 0 \\ \mu^c \max(0, 1 - (\mathbf{w}_c^T \mathbf{x}_p)), & h_p^c = 1 \end{cases}$$

$$\mu^c = \frac{\sum_{p=1}^n 1(h_p^c == 0)}{\sum_{p=1}^n 1(h_p^c == 1)}$$

[Zhao et al., 2008, Zhao et al., 2009]

Supervision Space as Constraints

- Unlabeled/Cosegmentation/Transductive: $\mathcal{S} = \emptyset$
- Image level tags: $\mathcal{S} = \{H \leq BZ, B^T H \geq Z\}$
- Bounding boxes: $\mathcal{S} = \{H \leq \hat{B}\hat{Z}, \hat{B}^T H \geq \hat{Z}\}$
- Semi-supervision $\mathcal{S} = \{H_\Omega = \hat{H}_\Omega\}$

Supervision Space as Constraints

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An Example (2 images, 5 superpixels (2+3), 3 classes)

$$B = \begin{bmatrix} 1 & 0 \\ 1 & 0 \\ 0 & 1 \\ 0 & 1 \\ 0 & 1 \end{bmatrix}, \quad Z = \begin{bmatrix} 1 & 1 & 0 \\ 0 & 1 & 1 \end{bmatrix}, \quad H = \begin{bmatrix} 0 & 1 & 0 \\ 1 & 0 & 0 \\ 0 & 0 & 1 \\ 0 & 1 & 0 \\ 0 & 0 & 1 \end{bmatrix}$$

$$H \leq BZ = \begin{bmatrix} 1 & 1 & 0 \\ 1 & 1 & 0 \\ 0 & 1 & 1 \\ 0 & 1 & 1 \\ 0 & 1 & 1 \end{bmatrix}, \quad B^T H = \begin{bmatrix} 1 & 1 & 0 \\ 0 & 1 & 2 \end{bmatrix} \geq Z$$

Optimization Model

$$\begin{aligned} \min_{W, H} \quad & \frac{1}{2} \text{tr}(W^T W) + \lambda \sum_{p=1}^n \xi(W; \mathbf{x}_p, \mathbf{h}_p) \\ \text{s.t.} \quad & H \mathbf{1}_C = \mathbf{1}_n, H \in \{0, 1\}^{n \times C} \\ & H \in \mathcal{S} \end{aligned}$$

Optimization Model

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Observations

- Challenge: non-convex mixed integer programming

Optimization Model

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Observations

- Challenge: non-convex mixed integer programming
- Optimization problem is bi-convex, i.e., it is convex w.r.t. W if H is fixed, and convex w.r.t. H if W is fixed
- Constraints are linear and they only involve the super-pixel assignment matrix H

Learning Algorithm

$$\begin{aligned} \min_{W, H} \quad & \frac{1}{2} \text{tr}(W^T W) + \lambda \sum_{p=1}^n \xi(W; \mathbf{x}_p, \mathbf{h}_p) \\ \text{s.t.} \quad & H \mathbf{1}_C = \mathbf{1}_n, H \in \{0, 1\}^{n \times C} \\ & H \in \mathcal{S} \end{aligned}$$

Alternating Between

- Fix H solve for W independent of classes (1-vs-all linear SVM)
- Fix W infer super-pixel labels H in parallel w.r.t images (small LP instances)

Learning Algorithm

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Inference

$$\begin{aligned} \max_H \quad & \text{tr}((XW)^T H) \\ \text{s.t.} \quad & H\mathbf{1}_C = \mathbf{1}_n, H \in \{0, 1\}^{n \times C}, \\ & H \in \mathcal{S} \end{aligned}$$

Learning Algorithm

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Inference

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Proposition

Fixing W solving for H using a linear program gives the integral optimal solution.

Theoretical Guarantee

Proposition

Fixing W solving for H using a linear program gives the integral optimal solution.

Proof.

(Sketch) The main idea of our proof is to show our coefficient matrix is totally unimodular. By Grady 2010: If A is totally unimodular and b is integral, then linear programs of forms like $\{\min \mathbf{c}^T \mathbf{x} \mid A\mathbf{x} = \mathbf{b}, \mathbf{x} \geq 0\}$ have integral optima, for any \mathbf{c} . Hence, the LP relaxation gives the optimal integral solution. \square

Computation Efficiency

Model Nature

- Decomposable
- Parallelizable
- Theoretical guarantee of relaxation quality

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- Decomposable
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Running time

- orders of magnitude faster than the state-of-the-art (20 min v.s. 24 hours)
- 10 ms to test one image

Experimental Evaluation

Datasets

- SIFT-Flow (a.k.a, LabelMe): 2688 images, 33 classes
- MSRC: 591 images, 21 classes

Accuracy Metric

- Per-pixel: the fraction of the number of pixels classified rightly over the number of pixels to be classified in total
- Per-class: the average of accuracy of all the classes

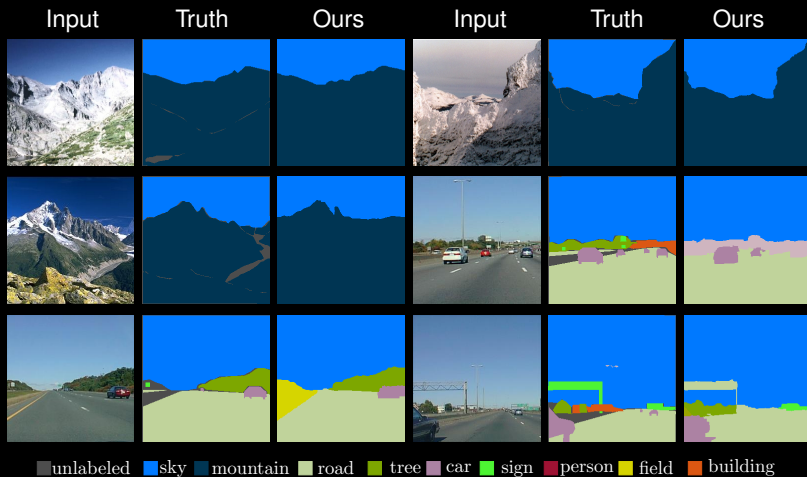
Comparison to State-of-the-art on Sift-Flow

Method	Supervision	Per-class	Per-pixel
Liu et al., 2011 (PAMI)	full	24	76.7
Farabet et al., 2012 (ICML)	full	29.5	78.5
Farabet et al., 2012 (ICML) balanced	full	46.0	74.2
Eigen et al., 2012 (CVPR)	full	32.5	77.1
Singh et al., 2013 (CVPR)	full	33.8	79.2
Tighe et al., 2013 (IJCV)	full	30.1	77.0
Tighe et al., 2014 (CVPR)	full	39.3	78.6
Yang et al., 2014 (CVPR)	full	48.7	79.8
Vezhnevets et al., 2011 (ICCV)	weak (tags)	14	N/A
Vezhnevets et al., 2012 (CVPR)	weak (tags)	22	51
Xu et al., 2014 (CVPR)	weak (tags)	27.9	N/A
Ours (1-vs-all)	weak (tags)	32.0	64.4
Ours (ILT)	weak (tags)	35.0	65.0
Ours (1-vs-all + transductive)	weak (tags)	40.0	59.0
Ours (ILT + transductive)	weak (tags)	41.4	62.7

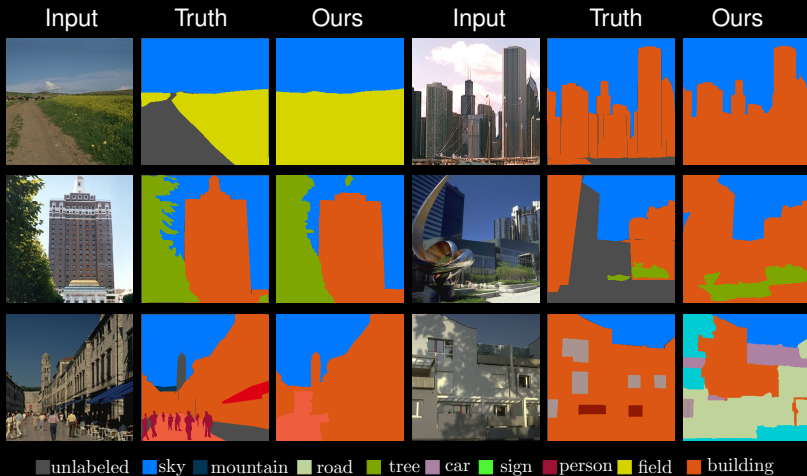
Comparison to State-of-the-art on MSRC

Method	Supervision	per-class	per-pixel
Shotton et al., 2008 (ECCV)	full	67	72
Yao et al., 2012 (CVPR)	full	79	86
Vezhnevets et al., 2011 (ICCV)	weak (tags)	67	67
Liu et al., 2012 (TMM)	weak (tags)	N/A	71
Ours	weak (tags)	73	70

Sample Results

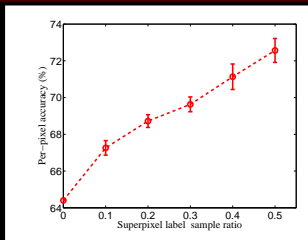
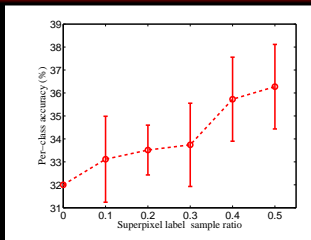


Sample Results (continued)



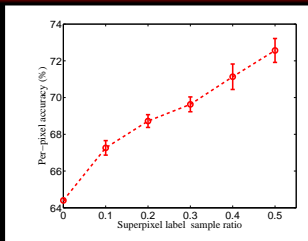
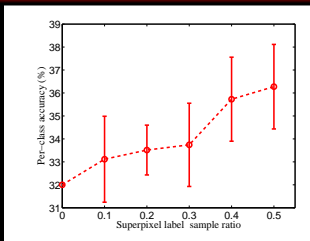
Other Forms of Weak Supervision

Semi-supervision

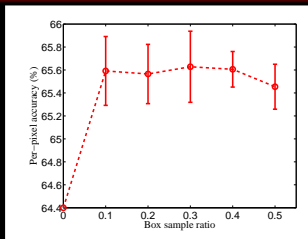
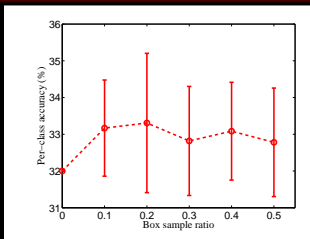


Other Forms of Weak Supervision

Semi-supervision



Bounding Box



Roadmap

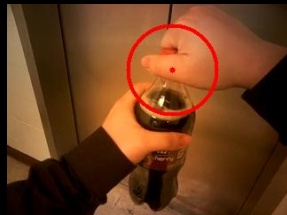
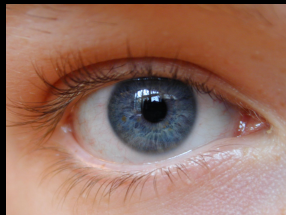
Chapter	Parsing Task	Weak Supervision	Publication
Ch. 2	Object Segmentation	User Indication	CVPR 2013
Ch. 3	Scene Parsing	Image-level Tags	CVPR 2014
Ch. 4	Scene Parsing	Image-level Tags Bounding Boxes Partial Labels	CVPR 2015a
Ch. 5	Video Segmentation	Side Knowledge	ICCV 2013
Ch. 6	Video Summarization	Human Gaze	CVPR 2015b

Online Video Segmentation

- Background subspace is modeled on a Grassmannian manifold with online updating along the geodesic
- Spatially contiguous and structured foreground is modeled via group sparsity



First Person Vision



Motivation

- Life-logging with wearable cameras: SenseCam, GoPro, Google glass
- Memory aid
- Gaze provides a form of weak supervision: window of mind

Gaze-enabled Egocentric Video Summarization



Video  Summarization



1:00PM



2:00PM



3:00PM

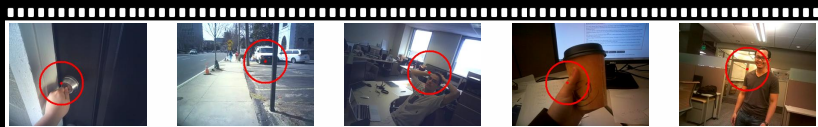


4:00PM



5:00PM

Gaze-enabled Egocentric Video Summarization



Video  Summarization



1:00PM



2:00PM



3:00PM



4:00PM



5:00PM

What makes a good summary?

- Relevance
- Diversity
- Compactness
- Personalization

[X., Mukherjee, Li, Warnewr, Rehg, Singh, CVPR, 2015]

Relevance and Diversity Measurement

- Mutual Information

$$\begin{aligned}M(\mathcal{V} \setminus \mathcal{S}; \mathcal{S}) &= H(\mathcal{V} \setminus \mathcal{S}) - H(\mathcal{V} \setminus \mathcal{S} | \mathcal{S}) \\ &= H(\mathcal{V} \setminus \mathcal{S}) + H(\mathcal{S}) - H(\mathcal{V})\end{aligned}$$

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- Entropy

$$H(\mathcal{S}) = \frac{1 + \log(2\pi)}{2} |\mathcal{S}| + \frac{1}{2} \log(\det(L_{\mathcal{S}}))$$

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- Maximizing

$$M(\mathcal{S}) = \frac{1}{2} \log(\det(L_{\mathcal{V} \setminus \mathcal{S}})) + \frac{1}{2} \log(\det(L_{\mathcal{S}}))$$

[Krause et al., 2008]

Relation to Determinantal Point Process

Positive semidefinite kernel matrix L indexed by elements of \mathcal{V}

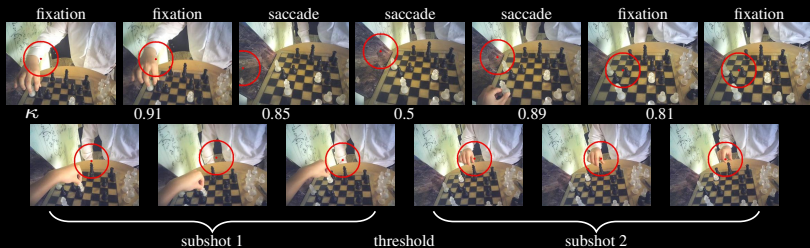
$$L_{ij} = \frac{\mathbf{v}_i^T \mathbf{v}_j}{\|\mathbf{v}_i\| \|\mathbf{v}_j\|}$$

For every $\mathcal{S} \in \mathcal{V}$, we define a diversity score

$$D(\mathcal{S}) = \log(\det(L_{\mathcal{S}}))$$

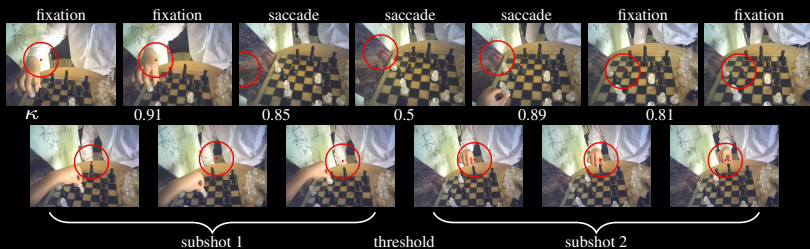
[Kulesza and Taskar, 2012]
(Acknowledgement to Jerry :)

Gaze in Video Summarization



- Better temporal segmentation: egocentric is continuous, but gaze is discrete

Gaze in Video Summarization



- Better temporal segmentation: egocentric is continuous, but gaze is discrete
- Personalization: attention measurement from gaze fixations

$$I(\mathcal{S}) = \sum_{i \in \mathcal{S}} c_i$$

Partition Matroid Constraint

Motivation

- Compactness: cardinality or knapsack constraint?
- High level supervision: timeline

Partition Matroid Constraint

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- High level supervision: timeline

Partition Matroid Construction

- Partition the video into b disjoint blocks $\mathcal{P}_1, \mathcal{P}_2, \dots, \mathcal{P}_b$
- Limit associated with each block

$$\mathcal{I} = \{ \mathcal{A} : |\mathcal{A} \cap \mathcal{P}_m| \leq f_m, m = 1, 2, \dots, b \}$$

[Bilmes, 2013]

Submodular Formulation

$$\begin{aligned} \max_{\mathcal{S}} \quad & F(\mathcal{S}) = M(\mathcal{S}) + \lambda I(\mathcal{S}) \\ \text{s.t.} \quad & \mathcal{S} \in \mathcal{I} \end{aligned}$$

Submodular Formulation

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Corollary

$F(\mathcal{S})$ is submodular.

Submodular Formulation

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Corollary

$F(\mathcal{S})$ is submodular.

Proposition

Greedy local search achieves a $\frac{1}{4}$ -approximation factor for our constrained submodular maximization problem.

[Lee et al., 2010]

[Filmus and Ward, 2012]

Dataset Collection



- 5 subjects to record their daily lives
- 21 videos with gaze
- 15 hours in total

Annotation

Subjects group subshots into events.

Systematic Evaluation

Evaluation Metric

$$P = \frac{|A \cap T|}{|A|}, \quad R = \frac{|A \cap T|}{|T|}, \quad F = \frac{2PR}{P + R}$$

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F-measure on GTEA-GAZE+

Method	uniform	kmeans	uniform(gaze)	kmeans(gaze)	ours
F-measure	0.161	0.215 ± 0.016	0.526	0.475 ± 0.026	0.621

F-measure on Our New Dataset

Method	uniform	kmeans	uniform(gaze)	kmeans(gaze)	ours
F-measure	0.080	0.095 ± 0.030	0.476	0.509 ± 0.025	0.585

Qualitative Result



Results from GTEA-gaze+ pizza preparation video.

Qualitative Result



Results from our new dataset: our subject mixes a shake, drinks it, washes his cup, plays chess and texts a friend.

Qualitative Result



Results from our new dataset: our subject is cooking chicken and have a conversation with his roommate.

Summary

Thesis Contribution

- An efficient approach for interactive segmentation while minimizing human effort (Ch. 2)

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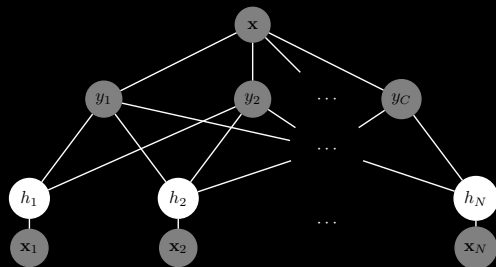
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- An online foreground/background video segmentation using Grassmannian subspace learning (Ch. 5)
- A submodular summarization framework for first person videos (Ch. 6)

Future: Joint Visual and Textual Parsing



- Enhance graphical model with richer prior knowledge: geometry (Hoeim et al., 2007), co-occurrence, etc.
- Other form of supervisions: Air Quality Index (AQI)
- Tackle noisy tags
- Extend to videos

Future: Egocentric/Robotic Vision



- Daily life logging / memory aid
- Predictive diagnosis for disease
- First-person vision for robotics
- Help the blind to sense the visual world

Acknowledgement

Thesis Committee

- Vikas Singh (advisor)
- Chuck Dyer
- Jerry Zhu
- Jude Shavlik
- Mark Craven

Funding

- UW-Epic RAShip
- NSF RI 1116584
- NVIDIA Hardware Gift
- Adobe Gift

Collaborators

- Maxwell Collins (UW-Madison)
- Chuck Dyer (UW-Madison)
- Leo Grady (Heartflow)
- Vamsi Ithapu (UW-Madison)
- Hyunwoo Kim (UW-Madison)
- Yin Li (Georgia Tech)
- Zhe Lin (Adobe Research)
- Ji Liu (URochester)
- Lopa Mukherjee (UW-Whitewater)
- James M. Rehg (Georgia Tech)
- Alexander Schwing (UToronto)
- Xiaohui Shen (Adobe Research)
- Vikas Singh (UW-Madison)
- Raquel Urtasun (UToronto)
- Baba Vemuri (UFlorida)
- Jamieson Warner (UW-Madison)
- Jerry Zhu (UW-Madison)