# CS354: Machine Organization and Programming 

Lecture 14: Midterm1 Review Monday the October $5^{\text {th }} 2015$

Section 2
Instructor: Leo Arulraj
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## Logical Machine Organization

Figure 1.4
Hardware organization of a typical system. CPU: Central Processing Unit, ALU: Arithmetic/Logic Unit, PC: Program counter, USB: Universal Serial Bus.


## Simple hello world Program

- What is C? A High Level Language
- What is Assembly?
- What is Machine Code?


## Compilation Process Overview



Figure 1.3 The compilation system.

## Arithmetic Operators

| Op. | Description | Example <br> $\mathrm{A}=10, \mathrm{~B}=20$ |
| :---: | :---: | :---: |
| + | Adds two operands | $\mathrm{A}+\mathrm{B}$ will give 30 |
| - | Subtracts second operand from the first | A - B will give -10 |
| $*$ | Multiplies both operands | A * B will give 200 |
| $/$ | Divides numerator by de-numerator | $\mathrm{B} / \mathrm{A}$ will give 2 |
| $\%$ | Modulus Operator and remainder of after <br> an integer division | $\mathrm{B} \%$ A will give 0 |
| ++ | Increments operator increases integer <br> value by one | $\mathrm{A}++$ will give 11 |$|$

## Relational Operators

| Op. | Description | Example <br> $A=10, B=20$ |
| :---: | :---: | :---: |
| $==$ | Checks if the values of two operands are equal or not, if yes then <br> condition becomes true. | $(A==B)$ is <br> not true. |
| $!=$ | Checks if the values of two operands are equal or not, if values <br> are not equal then condition becomes true. | $(A!=B)$ is <br> true. |
| $>$ | Checks if the value of left operand is greater than the value of <br> right operand, if yes then condition becomes true. | $(A>B)$ is not <br> true. |
| $<$ | Checks if the value of left operand is less than the value of right <br> operand, if yes then condition becomes true. | $(A<B)$ is <br> true. |
| $>=$ | Checks if the value of left operand is greater than or equal to the <br> value of right operand, if yes then condition becomes true. | $(A>=B)$ is <br> not true. |
|  | Checks if the value of left operand is less than or equal to the <br> value of right operand, if yes then condition becomes true. | $(A<=B)$ is <br> true. |

## Logical Operators

| Op. | Description | Example <br> A=true, <br> $B=$ false |
| :---: | :---: | :---: |
| \&\& | Called Logical AND operator. If both the operands are non-zero, then condition becomes true. | ( $A$ \&\& $B$ ) is false. |
| $\\|$ | Called Logical OR Operator. If any of the two operands is non-zero, then condition becomes true | $(A \\| B)$ is true. |
|  | Called Logical NOT Operator. Use to reverses the logical state of its operand. If a condition is true then Logical NOT operator | !(A \& \& B) is |
| $!$ | will make false. | true. |

## Bitwise Operators

| Op. | Description | Example $\mathrm{A}(60)=00111100$ $\mathrm{~B}(13)=00001101$ |
| :---: | :---: | :---: |
| \& | Binary AND Operator copies a bit to the result if it exists in both operands. | (A \& B) will give 12, which is 00001100 |
| 1 | Binary OR Operator copies a bit if it exists in either operand. | (A $\mid \mathrm{B}$ ) will give 61 , which is 00111101 |
| $\wedge$ | Binary XOR Operator copies the bit if it is set in one operand but not both. | $\left(A^{\wedge} B\right)$ will give 49 , which is 00110001 |
| $\sim$ | Binary Ones Complement Operator is unary and has the effect of 'flipping' bits. | ( $\sim A$ ) will give -61, which is 11000011 in 2's complement form. |
| << | Binary Left Shift Operator. The left operands value is moved left by the number of bits specified by the right operand. | A $\ll 2$ will give 240 which is 11110000 |
|  | Binary Right Shift Operator. The left operands |  |
|  | value is moved right by the number of bits | A >> 2 will give 15 which is |
| >> | specified by the right operand. | 00001111 |

## Assignment Operators 1

| Op. | Description | Example |
| :---: | :---: | :---: |
| $=$ | Simple assignment operator, Assigns values <br> from right side operands to left side operand | $\mathrm{C}=\mathrm{A}+\mathrm{B}$ will assign <br> value of A + B into C |
| $==$ | Add AND assignment operator, It adds right <br> operand to the left operand and assign the result <br> to left operand | $\mathrm{C}+=\mathrm{A}$ is equivalent <br> to $\mathrm{C}=\mathrm{C}+\mathrm{A}$ |
| $=$ | Subtract AND assignment operator, It subtracts <br> right operand from the left operand and assign <br> the result to left operand | $\mathrm{C}-=\mathrm{A}$ is equivalent <br> to $\mathrm{C}=\mathrm{C}-\mathrm{A}$ |
| $=$ | Multiply AND assignment operator, It multiplies <br> right operand with the left operand and assign <br> the result to left operand | $\mathrm{C} *=\mathrm{A}$ is equivalent <br> to $\mathrm{C}=\mathrm{C} * \mathrm{~A}$ |
| $=$ | Divide AND assignment operator, It divides left <br> operand with the right operand and assign the <br> result to left operand | $\mathrm{C} /=\mathrm{A}$ is equivalent <br> to $\mathrm{C}=\mathrm{C} / \mathrm{A}$ |

## Assignment Operators 2

| Op. | Description | Example |
| :---: | :---: | :---: |
| \%= | Modulus AND assignment operator, It takes modulus using two operands and assign the resul to left operand | C \% = A is equivalent to $\mathrm{C}=\mathrm{C} \% \mathrm{~A}$ |
| <<= | Left shift AND assignment operator | $\begin{gathered} C<=2 \text { is same as } \\ C=C \ll 2 \end{gathered}$ |
| >>= | Right shift AND assignment operator | $\begin{gathered} C \gg=2 \text { is same as } \\ C=C \gg 2 \end{gathered}$ |
| \&= | Bitwise AND assignment operator | $\begin{gathered} C \&=2 \text { is same as } C \\ =C \& 2 \end{gathered}$ |
| $\wedge=$ | bitwise exclusive OR and assignment operator | $\begin{gathered} C^{\wedge}=2 \text { is same as } C \\ =C^{\wedge} 2 \end{gathered}$ |
| + $=$ | bitwise inclusive OR and assignment operator | $\begin{gathered} C \mid=2 \text { is same as } C \\ =C \mid 2 \end{gathered}$ |

## Miscellaneous Operators

| Op. | Description | Example |
| :---: | :---: | :---: |
| sizeof() | Returns the <br> size of an <br> variable. | sizeof(a), where a is integer, will <br> return 4. |
| Unary \& | Returns the <br> address of <br> an variable. | \&a; will give actual address of the |
| variable. |  |  |

## Integer Types

The actual size of integer types varies by implementation. Standard only requires size relations between the data types and minimum sizes for each.

| Type | Storage size | Value range |
| :---: | :---: | :---: |
| char | 1 byte | -128 to 127 or 0 to 255 |
| unsigned char | 1 byte | 0 to 255 |
| signed char | 1 byte | -128 to 127 |
|  |  | $-32,768$ to 32,767 or - |
| int | 2 or 4 bytes | $2,147,483,648$ to $2,147,483,647$ |
| unsigned int | 2 or 4 bytes | 0 to 65,535 or 0 to $4,294,967,295$ |
| short | 2 bytes | $-32,768$ to 32,767 |
| unsigned short | 2 bytes | 0 to 65,535 |
| long | 4 bytes | $-2,147,483,648$ to $2,147,483,647$ |
| unsigned long | 4 bytes | 0 to $4,294,967,295$ |

## Floating Point Types

The value representation of floating-point types is implementation-defined

| Type | torage <br> size | Value range | Precision |
| :---: | :---: | :---: | :---: |
| float | 4 byte | $1.2 \mathrm{E}-38$ to <br> $3.4 \mathrm{E}+38$ | 6 decimal <br> places |
| double | 8 byte | $2.3 \mathrm{E}-308$ to <br> $1.7 \mathrm{E}+308$ | 15 decimal <br> places |
|  |  | $3.4 \mathrm{E}-4932$ to <br> long double | 10 byte |
| 1.15 decimal |  |  |  |
| places |  |  |  |

## Void type

|  | Function returns as void |
| :--- | :---: |
| There are various functions in C which do not return value or you can <br> say they return void. A function with no return value has the return type <br> as void. |  |
| For example, void exit (int status); ; |  |
| There are various functions in C which do not accept any parameter. A <br> function with no parameter can accept as a void. <br> For example, int rand(void); |  |
| Pointers to void |  |
| A pointer of type void * represents the address of an object, but not its <br> type. |  |
| For example a memory allocation function void *malloc( size_t size ); ; <br> returns a pointer to void which can be casted to any data type. |  |

## Strings in C

- Strings in C are one dimensional arrays of characters terminated with a null character.

Examples: char greeting[6] = \{'H', 'e', 'I', 'I', 'o', 'IO'\};
char greeting[6] = "Hello";
char* greeting = "Hello";

| Index | $\mathbf{0}$ | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | $\mathbf{5}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Content | H | e | 1 | 1 | o | $\backslash 0$ |
| Memory <br> Address. | $0 \times 88321$ | $0 \times 88322$ | $0 \times 88323$ | $0 \times 88324$ | $0 \times 88325$ | $0 \times 88326$ |

## Declarations

Global Variable: A global variable is a variable that is declared outside all functions.

Local Variable: A local variable is a variable that is declared inside a function.

Examples:
const int foo = 10;
// foo is const integer with value 10
char foo;
// foo is a char
double foo();
/ foo is a function returning a double

## If Statement

if(boolean_expression) \{
/* statement(s) will execute if the boolean expression is true */
\}

## If-else Statement

if(boolean_expression) \{
/* statement(s) will execute if the boolean expression is true */
\}else\{
/* statement(s) will execute if the boolean expression is false */
\}

## Else-if Statement

if(expression) \{ /*Block of statements;*/
\}else if(expression) \{ /*Block of statements;*/
\}else\{
/*Block of statements;*/
\}

## Switch

switch(expression) \{ case constant-expression1: statements1;
[case constant-expression2: statements2;]
[case constant-expression3: statements3;] [default: statements4;]

## While loop

while (expression) \{ Single statement or Block of statements;
\}

## For loop

for(expression1;expression2;expression3)\{ Single statement or Block of statements;
\}
You can also skip expression1, expression2, expression3.

What does this do ? for(; ;) \{printf("a\n");\}

## Do while loop

do\{

> Single statement or
> Block of statements;
\}while(expression);

## Break; Continue; Statements

C provides two commands to control how we loop:

- break -- exit form loop or switch.
- continue -- skip 1 iteration of loop.


## Goto and Labels

goto label;
...............
-•••••••
label: statement

You can have better label names ( e.g. mycalc, complexcalc etc.)

## Functions 1

Function Prototype (Declaration):
return_type function_name(
type(1) $\operatorname{argument(1),\ldots .,type(n)~argument(n));~}$

Function Definition:
return_type function_name(
type(1) argument(1),..,type(n) argument(n))
\{
//body of function
\}

## Functions 2

## Function Call:

function_name(argument(1),....argument(n));
Return Statement: return (expression);

C always passes arguments 'by value': a copy of the value of each argument is passed to the function; the function cannot modify the actual argument passed to it.

## Functions

C always passes arguments 'by value': a copy of the value of each argument is passed to the function; the function cannot modify the actual argument passed to it.

```
#include <stdio.h>
int add(int a, int b);
int main(){
    sum=add(num1,num2);
}
        int add(int a, int b) {
            ...............
    }
    Here,
        a=num1
        b=num2
```


## Simple I/O Example

int $b, a$; long int $b$; char $s[10]$, float $d$;
printf("\%d\n",b);
scanf("\%d", \&a);
printf("\%3d\n",b);
printf("\%3.2f $\backslash n ", d)$;
printf("\%ld $\backslash \mathrm{n} ", \mathrm{~b})$;

## Format String 1

| Specifier | Description | Example |
| :---: | :---: | :---: |
| \%i or \%d | int | 12345 |
| \%c | char | y |
| \%s | string | "sdfa" |
| \%f | Display the floating point number using decimal representation | 3.1415 |
| \%e | Display the floating point number using scientific notation with e | 1.86 e 6 |
| \%E | Like e, but with a capital E in the output | $1.86 \mathrm{E}+06$ |
| \% g | Use shorter of the 2 representations: f or e | $\begin{gathered} \hline 3.1 \mathrm{or} \\ 1.86 \mathrm{e} 6 \\ \hline \end{gathered}$ |
| \%G | Like g, except uses the shorter of f or E | $\begin{aligned} & 3.1 \text { or } \\ & 1.86 \mathrm{E} 6 \end{aligned}$ |

## Arrays

Declarations: /* an array of 100 integers */ int ar[100];

Arrays are always allocated consecutively in memory.

Access:
$\operatorname{ar}[4]=10 ; / / 5^{\text {th }}$ element set to value 10

## Pointers

## A pointer is a memory address.

Simple example:
int a,b;
int*a_ptr = \&a;


## Pointers

## A pointer is a memory address.

Simple example:
*a_ptr = 10;
"*" operator is called
"Indirection Operator"


## Pointers

## A pointer is a memory address.

Simple example: a_ptr = \&b;
"\&" operator is called "Address of" operator


## Pointers

A pointer is a memory address.
Simple example:
*a_ptr =20;


## Pointers: Some Allowed Operations

1. Assignment to other pointers of the same type
2. Addition and subtraction of a pointer to an integer
3. Assignment of the value 0
4. Comparison to the value 0

## Pointers: Some Allowed Operations

int $\mathrm{a}=3$; int $\mathrm{b}=8$; int $\mathrm{c}=0 ; /$ *declaration and initialization */
int *ap; int *bp; int *cp; /*declaration of pointers to integers */
$\mathrm{ap}=\& \mathrm{a} ; \mathrm{bp}=\& \mathrm{~b} ; \mathrm{cp}=\& \mathrm{c} ;$
$\mathrm{c}=$ *ap + *bp;
$\mathrm{a}=\mathrm{b}+{ }^{*} \mathrm{cp}$;
(*bp)++;
cp++;

## Pointers: Some Unwise Operations

1. Multiplication or division on a pointer
2. Addition or subtraction of two pointer values
3. Assignment of a value (a literal) other than 0 to a pointer

## Swap two variables

void swap(int a, int b) \{ int temp;
temp $=\mathrm{a}$;
$\mathrm{a}=\mathrm{b}$;
b = temp;
$\}$

## Swap two variables using pointers

void swap(int *px, int *py) \{ int temp;
temp $={ }^{*} \mathrm{px}$;
*px = *py;
*py = temp;
$\}$

## Arrays vs. Pointers

Arrays and Pointers are often used interchangeably

Example:
int $\operatorname{ar}[100]$; /* an array of 100 integers */ int *arptr = ar; $\operatorname{arptr}[4]=10 ; / /$ sets the 5 th element to 10

## Arrays vs. Pointers

- And, we could now change the value of the 7th element of the array to 1000 with *(arptr+6$)=1000 ;$
- We can even do the same thing with * $(\operatorname{ar}+6)=1000 ; / * 7$ th item is at offset of 6 from the element at index $=0$ */


## Arrays vs. Pointers

- Stated a little more formally, a[i] is the same as *(a+i) and \&a[i] is the same as $\mathbf{a + i}$
- However, a pointer is a variable, but an array name is not a variable. So, arptr $=$ arr is legal, but arr $=$ arptr and arr++ are not legal.
- Pointer can be used in place of an array. Array can not be used as a pointer in all scenarios.


## Pointers increment with sizeof(type)

int $\operatorname{ar}[5]=\{0,6,-1,15,102\}$;
int *ap = ar;
printf("ptr ap = \%0x val *ap= \%d\n",ap, *ap);
ap+=1;
printf("ptr ap = \%0x val *ap= \%d\n",ap, *ap);
Output:
$p \operatorname{tr} \mathrm{ap}=a 81 b 0 d 60$ val $* a p=0$
ptr $\mathrm{ap}=\mathrm{a} 81 \mathrm{~b} 0 \mathrm{~d} 64 \mathrm{val} * \mathrm{ap}=6$

## Structures

Structures are a derived type that collect a set of variables under one type

For example,
struct line \{
int $\mathrm{a}, \mathrm{b}, \mathrm{c} ; /$ / line is $\mathrm{ax}+\mathrm{by}=\mathrm{c}$ */
\};
struct line diagonal;
diagonal. $\mathrm{a}=1$;
diagonal. $b=1$;
diagonal. $\mathrm{c}=0$;
The . (period) is an operator on a structure, to access the correct member of the structure.

## Operations on Structures

- Copy it
- Assign to it (as a whole unit)
- Get its address (with the \& operator)
- Access a member variable (using . operator)
- CANNOT compare two structures even if they are of the same type.


## The -> operator

- We often have a pointer to a structure and want to access its members and it can be done with:


## (*ptr).member

[parantheses needed because unary * is of lower precedence than . operator. ]

- Convenient Alternative:


## ptr->member

- The dot(.) and -> operators are left to right associative and have highest precedence. So, use parentheses when needed.


## malloc - Basic Memory Allocation

void * malloc (size_t size) [ from stdlib.h]

- returns a pointer to a newly allocated block size bytes long, or
- a null pointer if the block could not be allocated.

Example usage:
struct foo *ptr;
ptr $=($ struct foo *) malloc (sizeof (struct foo));
if (ptr $==0$ ) abort ();
memset (ptr, 0 , sizeof (struct foo)); //initialize to 0

## free -Allocating cleared space

void free (void *ptr)
[from stdlib.h]

- When you no longer need a block that you got with malloc or calloc, use the function free to make the block available to be allocated again
- The free function deallocates the block of memory pointed at by ptr.
- If you forget to call free, not the end of the world because all of the program's space is given back to the system when the process terminates.

What and Where are

- program code (machine code)
- global variables (data)
- stack
- heap

Each can be thought of as residing in its own, separate section of memory. These sections are often identified as segments.


## Stack



## Singly Linked List

1. Linked list is made up of nodes.
2. Each node points to the next node.
3. The first node is called "head" of the linked list.
4. The last node is called "tail" of the linked list.


A Linked List
struct node \{
int theint;
struct node *next;
\};

## SIncly Linked, but in the Reverse order (ADD TO EnD OR BACK OF THe LIST)



With the correct code, what happens when this code is executed?

## Runtime error:

 NULL pointer dereference
## In Linux: <br> Segmentation <br> fault <br> (core dumped)

## Arithmetic Operations

> Arithmetic Operations
> addition
> subtraction
> multiplication
> division
> Each of these operations on the integer representations:
> unsigned
> two's complement

Addition Truth Table

| Carry In | a | b | Carry <br> Out | Sum Bit |
| :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 0 | 0 |
| 0 | 0 | 1 | 0 | 1 |
| 0 | 1 | 0 | 0 | 1 |
| 0 | 1 | 1 | 1 | 0 |
| 1 | 0 | 0 | 0 | 1 |
| 1 | 0 | 1 | 1 | 0 |
| 1 | 1 | 0 | 1 | 0 |
| 1 | 1 | 1 | 1 | 1 |

## Unsigned Representation

$B 2 \mathrm{U}_{\mathrm{w}}\left(x_{\text {vec }}\right)=\operatorname{Sum}_{\mathrm{i}=0->\mathrm{w}-1} \mathrm{x}_{\mathrm{i}} \cdot 2^{\mathrm{i}}$

B2 $_{4}([0101])=0.2^{3}+1.2^{2}+0.2^{1}+1.2^{0}=5$
$B 2 \mathrm{U}_{\mathrm{w}}$ is a bijection:

- associates a unique value to each bit vector of length w
- each integer between 0 and $2^{\mathrm{w}}-1$ has a unique binary representation as a bit vector of length w


## Unsigned Addition

Of two unsigned w bit values X \& Y $X+Y$ equals:

- $\mathrm{X}+\mathrm{Y}$, if $(\mathrm{X}+\mathrm{Y})<2^{\mathrm{w}}$
$-\mathrm{X}+\mathrm{Y}-2^{\mathrm{w}}$, if $2^{\mathrm{w}}<=(\mathrm{X}+\mathrm{Y})<2^{\mathrm{w}+1}$


## Addition

> Unsigned and 2's complement use the same addition algorithm
> Due to the fixed precision, throw away the carry out from the msb

$$
\begin{array}{r}
00010111 \\
+\quad 10010010
\end{array}
$$

## Addition

> Unsigned and 2's complement use the same addition algorithm
> Due to the fixed precision, throw away the carry out from the msb

$$
\begin{array}{r}
00010111 \\
+\quad 10010010 \\
\hline 10101001
\end{array}
$$

## Two's complement Representation

B2T $\mathrm{w}_{\mathrm{w}}\left(x_{\text {vec }}\right)=-\mathrm{x}_{\mathrm{w}-1} 2^{\mathrm{w}-1}+\operatorname{Sum}_{\mathrm{i}=0->\mathrm{w}-2} \mathrm{X}_{\mathrm{i}} \mathrm{2}^{\mathrm{i}}$

B2 $\mathrm{T}_{4}([1011])=-1.2^{3}+0.2^{2}+1.2^{1}+1.2^{0}=-5$
$B 2 \mathrm{~T}_{\mathrm{w}}$ is a bijection:

- associates a unique value to each bit vector of length w
- each integer between $-2^{\mathrm{w}-1}$ and $2^{\mathrm{w}-1}-1$ has a unique binary representation as a bit vector of length w


## Range of Values for Unsigned and 2's Complement (16 bits)

|  | Decimal | Hex | Binary |  |
| :--- | ---: | ---: | ---: | ---: |
| UMax | 65535 | FF FF | 11111111 | 11111111 |
| TMax | 32767 | $7 F ~ F F$ | 01111111 | 11111111 |
| TMin | -32768 | $80 \quad 00$ | 10000000 | 00000000 |
| -1 | -1 | FF FF | 11111111 | 11111111 |
| 0 | 0 | $00 \quad 00$ | 00000000 | 00000000 |

\#include <limits.h> declares constants, e.g., ULONG_MAX, LONG_MAX, LONG_MIN (Values platform specific)

4-bit Unsigned and 2's complement Integers

| $X$ | $\mathrm{~B} 2 \mathrm{U}(X)$ | $\mathrm{B} 2 \mathrm{~T}(X)$ |
| :---: | :---: | :---: |
| 0000 | 0 | 0 |
| 0001 | 1 | 1 |
| 0010 | 2 | 2 |
| 0011 | 3 | 3 |
| 0100 | 4 | 4 |
| 0101 | 5 | 5 |
| 0110 | 6 | 6 |
| 0111 | 7 | 7 |
| 1000 | 8 | -8 |
| 1001 | 9 | -7 |
| 1010 | 10 | -6 |
| 1011 | 11 | -5 |
| 1100 | 12 | -4 |
| 1101 | 13 | -3 |
| 1110 | 14 | -2 |
| 1111 | 15 | -1 |

## 2's Complement Addition

Of two signed 2'complement w bit values X \& Y
$X+Y$ equals:

- $\mathrm{X}+\mathrm{Y}-2^{\mathrm{w}}$, if $2^{\mathrm{w}-1}<=(\mathrm{X}+\mathrm{Y})$ Positive overflow
- $\mathrm{X}+\mathrm{Y}$, if $-2^{\mathrm{w}-1}<=(\mathrm{X}+\mathrm{Y})<2^{\mathrm{w}-1}$ Normal
- $\mathrm{X}+\mathrm{Y}+2^{\mathrm{w}}$, if $(\mathrm{X}+\mathrm{Y})<-2^{\mathrm{w}-1}$ Negative overflow


## Two's Complement Addition

$$
\begin{array}{rrrrrrrrr}
1 & 1 & 1 & 1 & 1 & 1 & 1 & 0 & (-2) \\
+ & 0 & 0 & 0 & 0 & 0 & 0 & 0 & 1 \\
\hline & 1 & 1 & 1 & 1 & 1 & 1 & 1 & (-1)
\end{array}
$$

$$
\begin{array}{lllllllll}
1 & 1 & 1 & 1 & 0 & 0 & 0 & 0 & (-16)
\end{array}
$$

$$
\begin{array}{rccccccccc}
+ & 0 & 1 & 1 & 0 & 0 & 0 & 0 & (48) \\
\hline 0 & 0 & 1 & 0 & 0 & 0 & 0 & 0 & (32)
\end{array}
$$

## Unsigned Overflow Detection

6-bit examples:


Carry out from msbs is overflow in unsigned

## Two's Complement Overflow Detection

When adding 2 numbers of like sign

+ to +
- to -
and the sign of the result is different!



## Addition

## Overflow detection: 2's complement 6-bit examples

$$
\begin{gathered}
111111(-1) \\
+111111(-1) \\
\hline 111110(-2) \\
\frac{011111}{(31)} \begin{array}{c}
(-32) \\
+0111111 \\
\hline 11110
\end{array}(-2)
\end{gathered}
$$

## 2's Complement Inverse

Additive inverse of a 2'complement w bit value X equals:
$-2^{\mathrm{w}-1}$, if $\mathrm{x}=-2^{\mathrm{w}-1}$
$-X$, if $X>-2^{w-1}$

## 2's Complement Inverse: Easy Techniques

1) Toggle all bits and then add 1 :
E.g. Inverse of 0101 (5) is 1011 (-5)

Inverse of $1000(-8)$ is $1000(-8)$
2) Toggle all bits until (not including) the rightmost 1 bit:
E.g. Inverse of 0111 (7) is 1001 (-7)

Inverse of 1010 (-6) is 0110 (6)

## Sign Extension

The operation that allows the same 2's complement value to be represented, but using more bits.

$$
\begin{array}{llllllllll} 
& & & 0 & 0 & 1 & 0 & 1 & (5 & \text { bits }) \\
\mathbf{0} & \mathbf{0} & \underline{0} & 0 & 0 & 1 & 0 & 1 & (8 & \text { bits }) \\
& & & & & & & & & \\
1 & 1 & 1 & 1 & 1 & 1 & 1 & 1 & 0 & (4) \\
\hline
\end{array}
$$

## Zero Extension

The same type of thing as sign extension, but used to represent the same unsigned value, but using more bits

$$
\begin{aligned}
& 00101 \text { (5 bits) } \\
& \underline{0} \underline{0} \underline{0} 001101 \text { ( } 8 \text { bits) } \\
& 1111 \text { (4 bits) } \\
& \underline{0} \underline{0} 0 \underline{0} 11111 \text { ( } 8 \text { bits) }
\end{aligned}
$$

## Truth Table for a Few Logical Operations

| $\mathbf{X}$ | $\mathbf{y}$ | $\mathbf{X}$ and $\mathbf{Y}$ | $\mathbf{X}$ nand $\mathbf{Y}$ | X or $\mathbf{Y}$ | X xor $\mathbf{Y}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 0 | 0 | 1 | 0 | 0 |
| 0 | 1 | 0 | 1 | 1 | 1 |
| 1 | 0 | 0 | 1 | 1 | 1 |
| 1 | 1 | 1 | 0 | 1 | 0 |

## Arithmetic Shift

Right


Left


## Logical Shift

Right

Left


Logical left is the same as arithmetic left.

Registers


## 4 More Registers



## Operands

| Syntax | Addressing mode <br> name | Effect |
| :---: | :---: | :---: |
| \$Imm | immediate | value in machine code |
| $\% R$ | register | value in register $R$ |
| Imm | absolute | address given by Imm |
| $(\% R)$ | register direct <br> (incorrect in textbook) | address in \&R |
| Imm (\%R) | base displacement | address is <br> Imm $+\% R$ |

## Some more operand formats in IA32

| $\left(\mathrm{E}_{b}, \mathrm{E}_{i}\right)$ | $\mathrm{M}\left[\mathrm{R}\left[\mathrm{E}_{b}\right]+\mathrm{R}\left[\mathrm{E}_{i}\right]\right]$ | Indexed |
| :--- | :--- | :--- |
| $\operatorname{Imm}\left(\mathrm{E}_{b}, \mathrm{E}_{i}\right)$ | $\mathrm{M}\left[\operatorname{Imm}+\mathrm{R}\left[\mathrm{E}_{b}\right]+\mathrm{R}\left[\mathrm{E}_{i}\right]\right]$ | Indexed |
| $\left(, \mathrm{E}_{i}, s\right)$ | $\mathrm{M}\left[\mathrm{R}\left[\mathrm{E}_{i}\right] \cdot s\right]$ | Scaled indexed |
| $\operatorname{Imm}\left(, \mathrm{E}_{i}, s\right)$ | $\mathrm{M}\left[\operatorname{Imm}+\mathrm{R}\left[\mathrm{E}_{i}\right] \cdot s\right]$ | Scaled indexed |
| $\left(\mathrm{E}_{b}, \mathrm{E}_{i}, s\right)$ | $\mathrm{M}\left[\mathrm{R}\left[\mathrm{E}_{b}\right]+\mathrm{R}\left[\mathrm{E}_{i}\right] \cdot s\right]$ | Scaled indexed |
| $\operatorname{Imm}\left(\mathrm{E}_{b}, \mathrm{E}_{i}, s\right)$ | $\mathrm{M}\left[\operatorname{Imm}+\mathrm{R}\left[\mathrm{E}_{b}\right]+\mathrm{R}\left[\mathrm{E}_{i}\right] \cdot s\right]$ | Scaled indexed |

## Cannot do memory to memory transfer with a single instruction

| Address | Value | Register | Value |
| :---: | :---: | :---: | :---: |
| 0x100 | $0 \times \mathrm{FF}$ | \%eax | 0x100 |
| 0x104 | 0 xAB | \%ecx | 0x1 |
| 0x108 | $0 \times 13$ | \%edx | 0x3 |
| 0x10C | $0 \times 11$ |  |  |
|  | Operand | Value |  |
|  | \%eax |  |  |
|  | 0x104 |  |  |
|  | \$0x108 |  |  |
|  | (\%eax) | ) |  |
|  | 4 (\%eax) |  |  |
|  | 9 (\%eax, \%edx) |  |  |
|  | 260 (\%ecx, \%edx) |  |  |
|  | 0xFC(,$\%$ ecx, 4 ) |  |  |
|  | (\%eax,\%edx, 4) | - |  |

## Operand

## Value

\%eax
0x104
\$0x108
(\%eax)
4(\%eax)
9 (\%eax, \%edx)
260 (\%ecx, \%edx)
0xFC(, \%ecx,4)
(\%eax, \%edx, 4)

0x100 Register
0xAB Absolute address
0x108 Immediate
0xFF Address 0x100
$0 \mathrm{xAB} \quad$ Address $0 \times 104$
$0 \times 11$ Address 0x10C
$0 \times 13$ Address 0x108
0xFF Address 0x100
0x11 Address 0x10C

## Data Movement Instructions

| movb <br> movw <br> movl | S, D | nondestructive copy of S to D |
| :--- | :--- | :--- |
| movsbw <br> movsbl <br> movswl | S, D | sign-extended, nondestructive copy of S to D <br> byte to word <br> byte to double word <br> word to double word |
| movzbw <br> movzbl <br> movsw | S, D | zero-extended, nondestructive copy of S to D <br> byte to word <br> byte to double word <br> word to double word |
| pushl | S | push double word S onto the stack |
| popl | D | pop double word off the stack into D |

## pushl and popl

- pushl \%ebp is equivalent to:
subl \$4, \%esp movl \%ebp, (\%esp)
- popl \%eax is equivalent to: movl (\%esp), \%eax addl \$4, \%esp


## Arithmetic Instructions

| leal | S, D | (load effective address) D gets the address <br> defined by S |
| :--- | :--- | :--- |
| inc | D | D gets D + 1 (two's complement) |
| dec | D | D gets D - 1 (two's complement) |
| neg | D | D gets -D (two's complement additive inverse) |
| add | S, D | D gets D + S (two's complement) |
| sub | S, D | D gets D - S (two's complement) |
| imul | S, D | D gets D * S (two's complement integer <br> multiplication) |

## More Arithmetic Instructions, with 64 bits of results

| imull | S | \%edx\||\%eax gets 64-bit two's complement <br> product of S * \%eax |
| :--- | :--- | :--- |
| mull | S | \%edx\|\%eax gets 64-bit unsigned <br> product of S * \%eax |
| idivl | S | two's complement division of \%edx $\\|$ \%eax / S; <br> \%edx gets remainder, and \%eax gets quotient |
| divl | S | unsigned division of \%edx $\\| \%$ \%eax / S; \%edx gets <br> remainder, and \%eax gets quotient |

Notice implied use of \%eax and \%edx.

## leal is commonly used to calculate addresses. Examples:

leal 8 (\%eax), \%edx
$>8+$ contents of eax goes into edx
$>$ used for pointer arithmetic in C
$>$ very convenient for acquiring the address of an array element
leal (\%eax, \%ecx, 4), \%edx
$>$ contents of eax $+4^{*}$ contents of ecx goes into edx
$>$ even more convenient for addresses of array elements, where eax has base address, ecx has the index, and each element is 4 bytes

## Examples

Assume \%eax is $x$ and \%ecx is $y$ and $\%$ edx $=10$, address 10 has value 100

1. leal 6(\%eax), \%edx :: ?
2. leal 9(\%eax, \%ecx,2), \%edx :: ?
3. addl \%ecx, (\%edx) :: ?
4. decl \%ecx ::?

## Examples

Assume \%eax is $x$ and \%ecx is $y$ and $\%$ edx $=10$, address 10 has value 100

1. leal 6(\%eax), \%edx :: 6+x
2. leal 9(\%eax, \%ecx,2), \%edx :: $9+x+2 y$
3. addl \%ecx, (\%edx) :: $(\mathrm{y}+100)$ stored @ address 10
4. decl \%ecx $::(y-1)$ stored in \%ecx

## Examples

Assume x at $\% \mathrm{ebp}+8$, y at $\% \mathrm{ebp}+12$, z at $\% \mathrm{ebp}+16$
1 movl 16(\%ebp), \%eax $z$

2 leal (\%eax, \%eax,2), \%eax $z^{*} 3$

3 sall \$4, \%eax

$$
t 2=z^{*} 48
$$

4 movl 12(\%ebp), \%edx $y$

5 addl 8(\%ebp), \%edx $t 1=x+y$

6 andl \$65535, \%edx
$t 3=t 1 \& 0 x F F F F$
7 imull \%edx, \%eax $t 4=t 2 * t 3$

## Logical and Shift Instructions

| rot | D | D gets ~D (complement) |
| :--- | :--- | :--- |
| and | S, D | D gets D \& S (bitwise logical AND) |
| or | S, D | D gets D / S (bitwise logical OR) |
| xor | S, D | D gets $D^{\wedge}$ S (bitwise logical XOR) |
| sal <br> shl | k, D | D gets D logically left shifted by k bits |
| sar | k, D | D gets D arithmetically right shifted by k bits |
| shr | k, D | D gets D logically right shifted by k bits |

## Examples

Assume x at $\% \mathrm{ebp}+8$, y at $\% \mathrm{ebp}+12$, z at $\% \mathrm{ebp}+16$

1 movl 12(\%ebp), \%eax
2 xorl 8(\%ebp), \%eax
3 sarl \$3, \%eax
4 notl \%eax
5 subl 16(\%ebp), \%eax
y
$\mathrm{t} 1=\mathrm{x}^{\wedge} \mathrm{y}$
$\mathrm{t} 2=\mathrm{t} 1 \gg 3$
$\mathrm{t} 3=\sim \mathrm{t} 2$
$\mathrm{t} 4=\mathrm{t} 3-\mathrm{z}$

## Condition Codes

a register known as EFLAGS on x86
CF: carry flag. Set if the most recent operation caused a carry out of the msb. Overflow for unsigned addition.
ZF: zero flag. Set if the most recent operation generated a result of the value 0 .
SF: sign flag. Set if the most recent operation generated a result that is negative.
OF: overflow flag. Set if the most recent operation caused 2's complement overflow.

## Instructions related to EFLAGS

| sete <br> setz | D | set D to 0x01 if ZF is set, 0x00 if not set (place <br> zero extended ZF into D) |
| :--- | :--- | :--- |
| sets | D | set D to $0 \times 01$ if SF is set, 0x00 if not set (place <br> zero extended SF into D) |
|  | $\ldots$ many more set instructions . . |  |
| cmpb <br> cmpw <br> cmpl | $S 2, S 1$ | do S1 - S2 to set EFLAGS |
| testb <br> testw <br> testl | S2,S1 | do S1 \&S2 to set EFLAGS |

## Control Instructions

| jmp | label | goto label; \%eip gets label |
| :--- | :--- | :--- |
| jmp | *D | indirect jump; goto address given by $D$ |
| je <br> jz | label | goto label if ZF flag is set; jump taken when <br> previous result was 0 |
| jne <br> jnz | label | goto label if ZF flag is not set; jump taken <br> when previous result was not 0 |
| js | label | goto label if SF flag is set; jump taken when <br> previous result was negative |
| jns | label | goto label if SF flag is not set; jump taken <br> when previous result was not negative |

## More Control Instructions

| jg <br> jnle | label | goto label if EFLAGS set such that previous <br> result was greater than 0 |
| :--- | :--- | :--- |
| jge <br> jnl | label | goto label if EFLAGS set such that previous <br> result was greater than or equal to 0 |
| jl <br> jnge | label | goto label if EFLAGS set such that previous <br> result was less than 0 |
| jle <br> jng | label | goto label if EFLAGS set such that previous <br> result was less than or equal to 0 |

## "if" and "if else" Stmts in Assembly

Overview of "if" and "if else" statement:


General Approach:

1. Use compare instructions to set the condition codes
2. Then use the jump instructions to execute the right set of instructions

## "if else" example



## "while" example

| $\begin{aligned} & \text { result }=1 ; \\ & \text { while }(\mathrm{n}>1)\{ \\ & \text { result* }=\mathrm{n} ; \\ & \mathrm{n}=\mathrm{n}-1 ; \\ & \} ; \end{aligned}$ | Argument: $n$ at $\% \mathrm{ebp}+8$ <br> Registers: $n$ in \%edx, result in \%eax |
| :---: | :---: |

$$
\begin{aligned}
& \sum_{i=1}^{N} i \\
& \text { sum }=0 ; \\
& \text { for }(i=1 ; i<=N ; i++)\{ \\
& \text { sum }=\operatorname{sum}+i ;
\end{aligned}
$$

gcc's implementation (mostly):
movl $N$, \%ecx

$$
\begin{array}{lll}
\text { movl } & \$ 0, \text { \%eax } & \text { sum in eax } \\
\text { movl } & \$ 1, \text { \%edx } & \text { i in edx } \\
\text { jmp } & . \text { L2 } &
\end{array}
$$

.L3: addl \%edx, \%eax sum = sum + i incl \%edx
.L2: cmpl \%ecx, \%edx
jle
.L3

```
jump when i-N is less than
or equal to 0
```


## Conditional Move Instructions

| Instruction |  | Synonym | Move condition | Description |
| :---: | :---: | :---: | :---: | :---: |
| cmove | $S, R$ | cmovz | ZF | Equal / zero |
| cmovie | $S, R$ | cmovnz | -ZF | Not equal / not zero |
| cmiovs | $S, R$ |  | SF | Negative |
| cmovns | $S, R$ |  | -SF | Nonnegative |
| cmovg | $S, R$ | cmovnle | $-\left(\mathrm{SF}^{\sim} \mathrm{OF}\right) \&-\mathrm{ZF}$ | Greater (signed >) |
| cmovge | $S, R$ | cmovnl | -(SF* OF) | Greater or equal (signed >-) |
| cmovl | $S, R$ | cmovnge | SF ${ }^{\text {~ }} \mathrm{OF}$ | Less (signed ¢) |
| cmovle | $S, R$ | cmovng | ( $\mathrm{SF}{ }^{\sim} \mathrm{OF}$ ) \| ZF | Less or equal (signed <-) |
| cmova | $S, R$ | cmovnibe | -CF \& -ZF | Above (unsigned >) |
| cmovae | $S, R$ | cmovnb | -CF | Above or equal (Unsigned $>-$ ) |
| cmovb | $S, R$ | cmovnae | CF | Below (unsigned < |
| cmiovbe | $S, R$ | cmovna | CF 1 ZF | below or equal (unsigned <-) |

Figure 3.17 The conditlonal move Instructlons. These instructions copy the source value $S$ to its destination $R$ when the move condition holds. Some instructions have "synonyms," alternate names for the same machine instruction.

