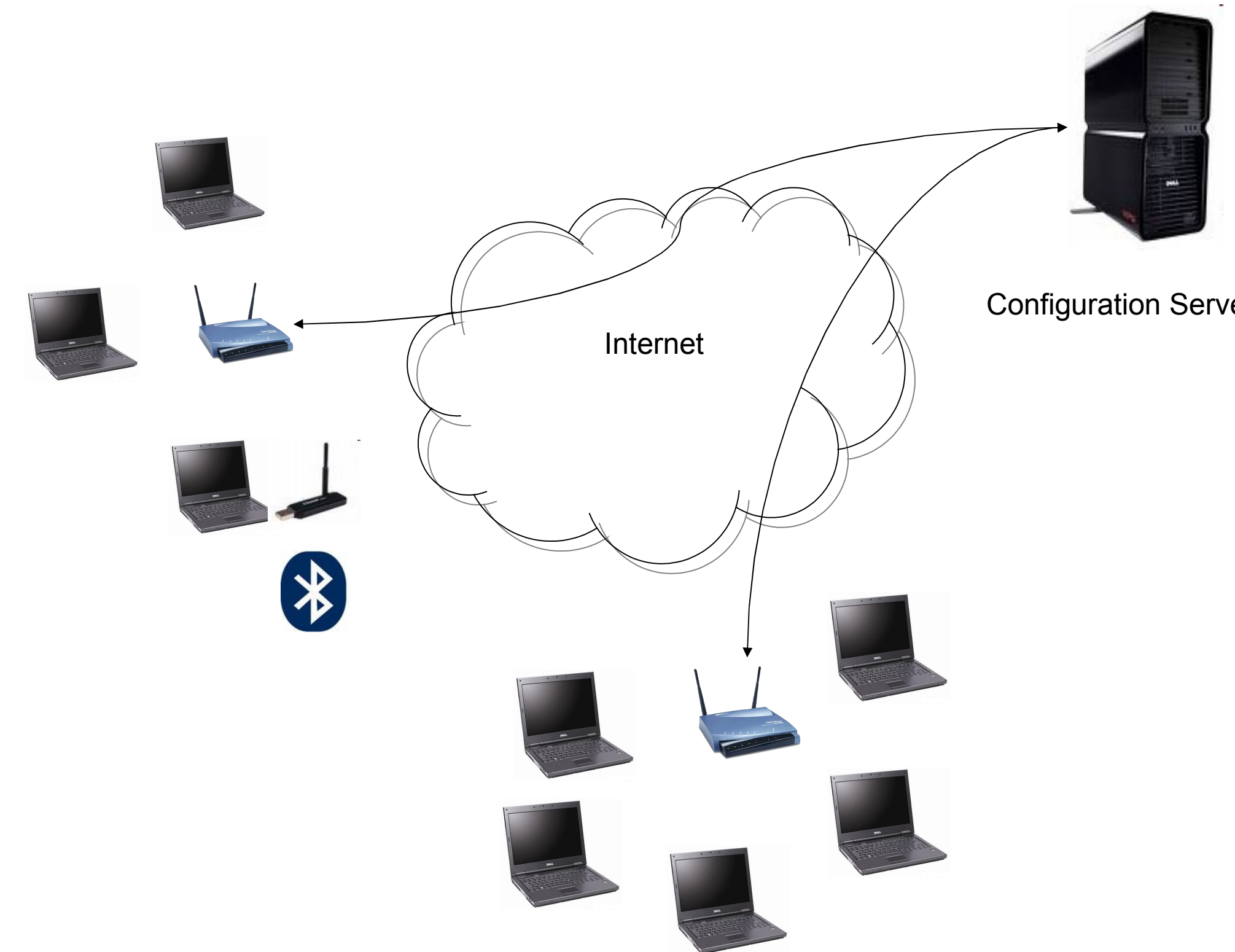


# Coordinated configuration of wireless networks: A win-win approach based on bargaining

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## Problem

- Plummeting costs of wireless devices resulted in dense deployments
  - Apartment buildings, Enterprise deployments
- Heterogeneous devices using the same unlicensed spectrum
  - 802.11abg
  - Bluetooth
  - ZigBee
- Possible uncoordinated configurations
  - Default - Poor performance
  - Myopic - High Interference
- Need for alternative, informed, socially responsible configuration

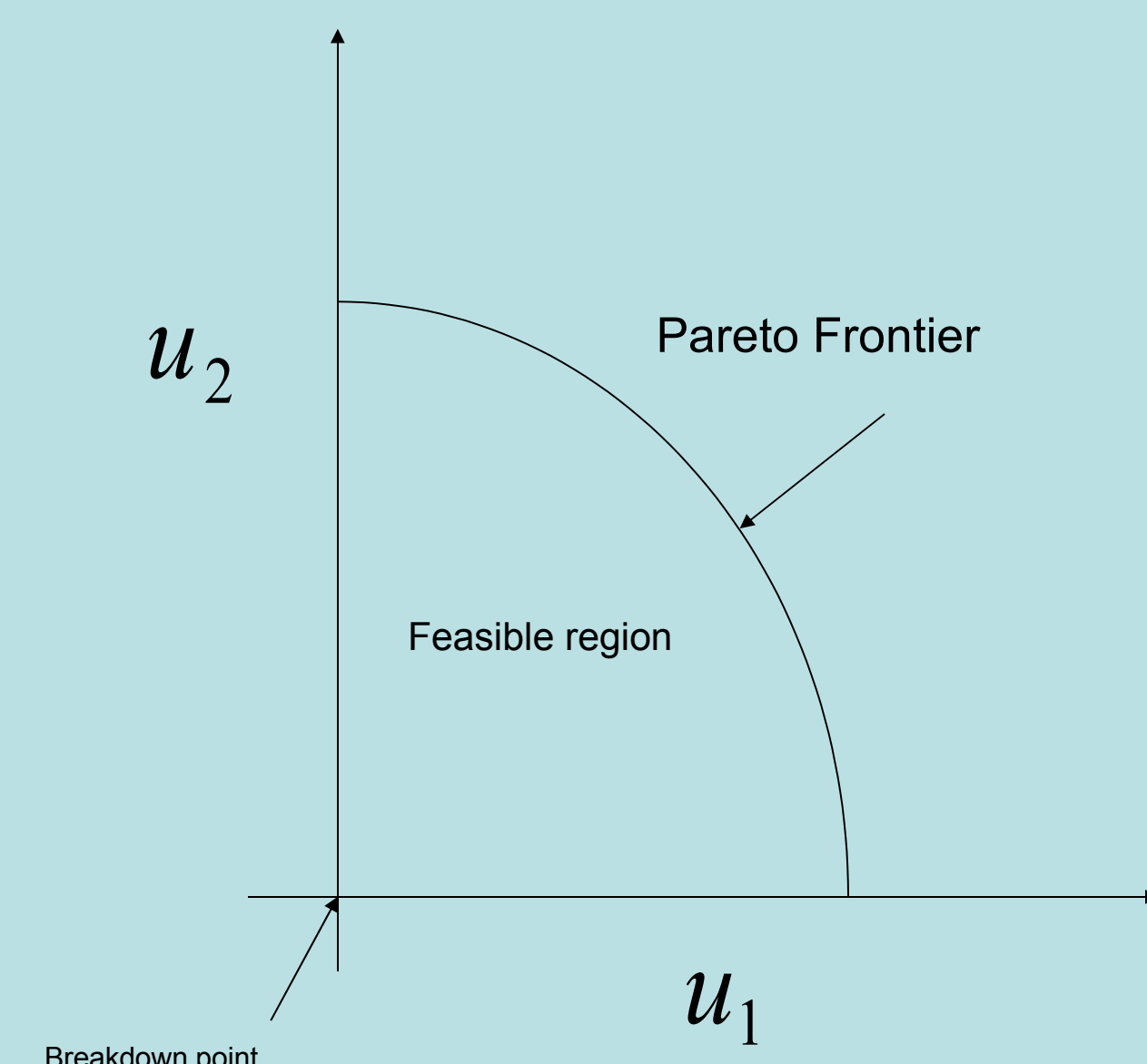


## Proposed solution

- Cooperative Approach
  - Devices contact a central **Configuration Server**
  - Devices choose a performance function
    - Performance function should be flexible (802.11 devices expect high bandwidth and use high transmit power, and Bluetooth devices require low bandwidth and have lower power limitation)
  - Configuration Server** computes optimal configuration and commands the devices
  - Devices set tx-power, Frequency

## Formulation

- Pareto Optimality
  - Definition: At the Pareto optimal configuration, any unilateral change to the configuration of a WLAN will hurt the performance of one or more other WLANs
  - Breakdown point: If a optimal configuration cannot be found, the WLANs revert back to the default configurations
- Fairness properties
  - (Not easily captured for w lans - depends on neighborhood of each node)
  - Symmetry - Equal gains to all participating entities
  - Universal Improvement - No participating entity should observe a decrease in performance



$$\begin{aligned} & \text{maximize } \prod_{i=1}^n u_i \\ & \text{subject to } u_i \geq u_i^* \end{aligned}$$

Where,  
 $u_i$  is performance function of  $i^{\text{th}}$  player  
 $u_i^*$  is the value of the performance function at the breakdown point

The optimization problem for WLANs can be written as

$$\begin{aligned} & \text{maximize } U = \prod_{i=1}^n T_i \\ & \text{subject to } T_i \geq T_{\min} \\ & 0 \leq P_i \leq P_{\max} \\ & 0 \leq C_i \leq C_{\max} \end{aligned}$$

Where,  
 $T_i$  is the throughput between  $i^{\text{th}}$  AP-client pair  
 $P_i$  is the Transmit power of the  $i^{\text{th}}$  AP-client pair  
 $C_i$  is the CCA threshold of the  $i^{\text{th}}$  AP-client pair

and throughput depends on

$$SINR_i = \frac{G_{ii}P_i}{\sigma^2 + \sum_{j \neq i} G_{ij}P_j}$$

Where,  
 $i, j = 1, \dots, n$   
 $G_{ij}$  is the path loss between  $i^{\text{th}}$  AP and  $j^{\text{th}}$  client  
 $\sigma$  is the thermal noise  
 $C_i$  is the CCA threshold of the  $i^{\text{th}}$  AP-client pair

The neighborhood set  $N_i$   
 Starvation conditions due to CSMA

## Simulation Results

- Win-win situation: Significant improvement in aggregate throughput without any AP sacrificing its performance
  - Pareto optimal solution favors low powers and high carrier sense threshold
- Aggregate throughput improvement is lesser in dense topologies and levels off when nodes are far apart
- Performance at Pareto optimal solution is a function of utility function. Poor choice of utility function will result in poor throughputs. Utility functions can be designed to meet the requirements of the individual.

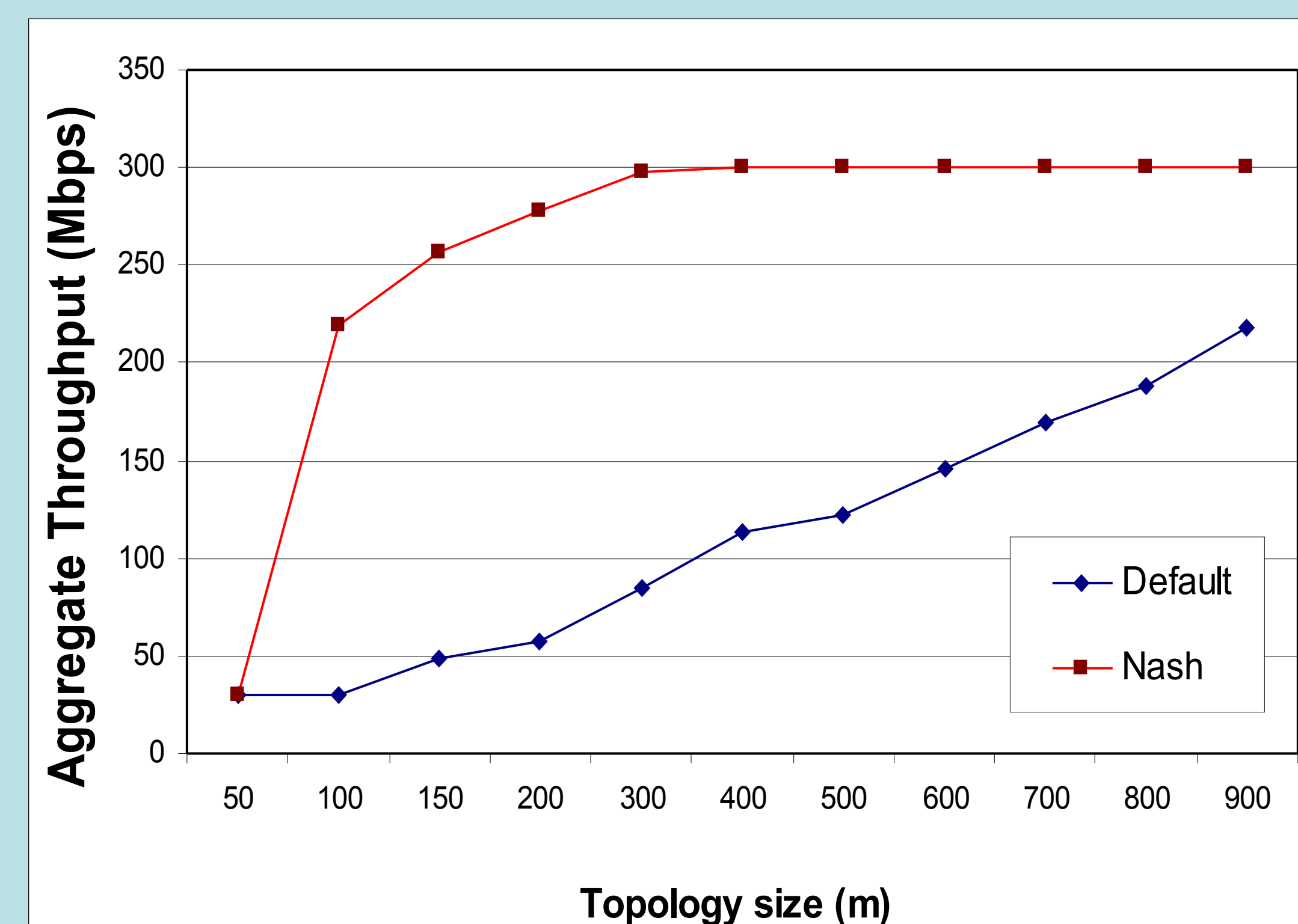


Figure 2: Aggregate throughput depends on density of deployment

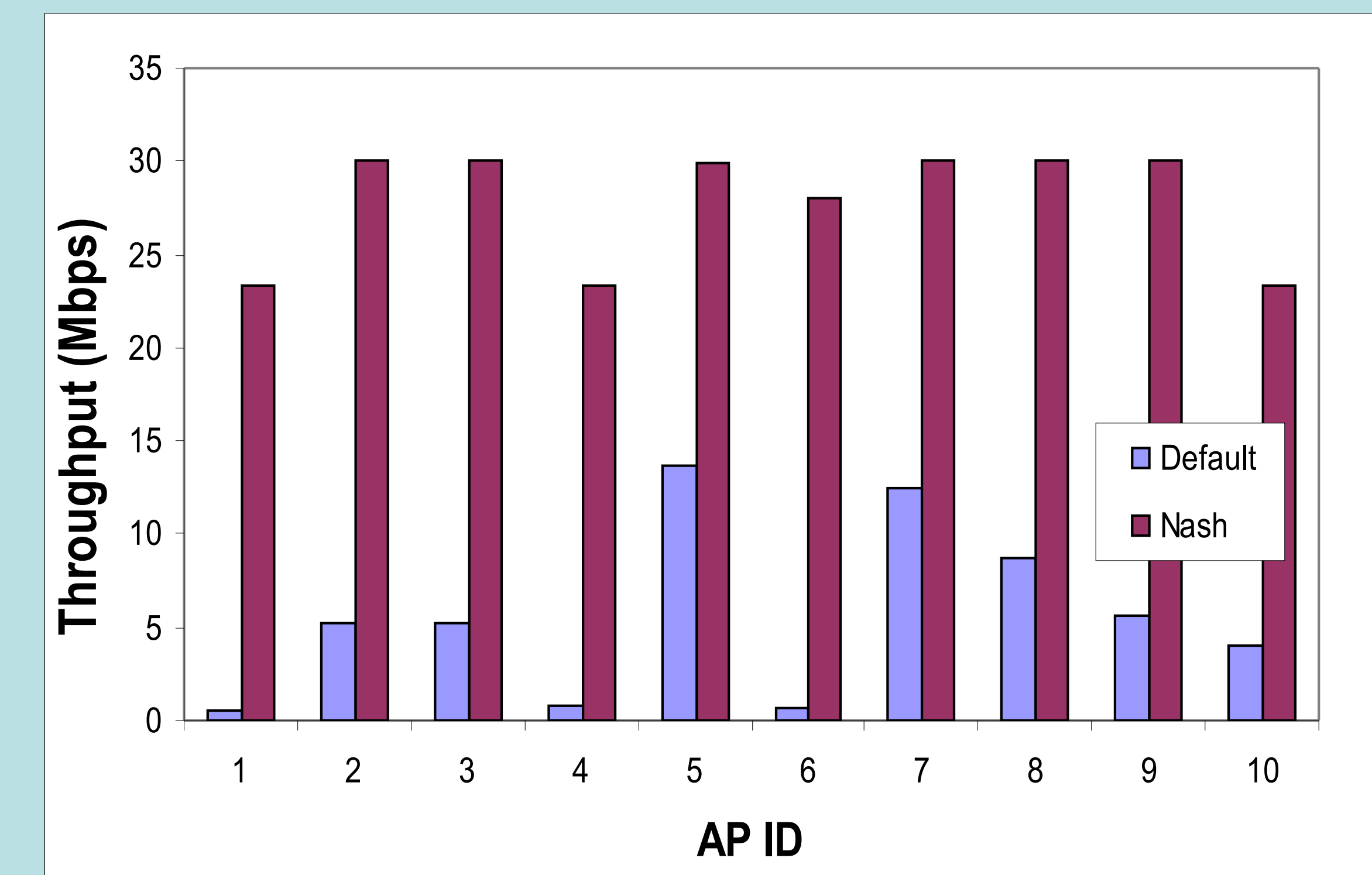


Figure 1: Win-win situation: all WLANs see an increase in throughput

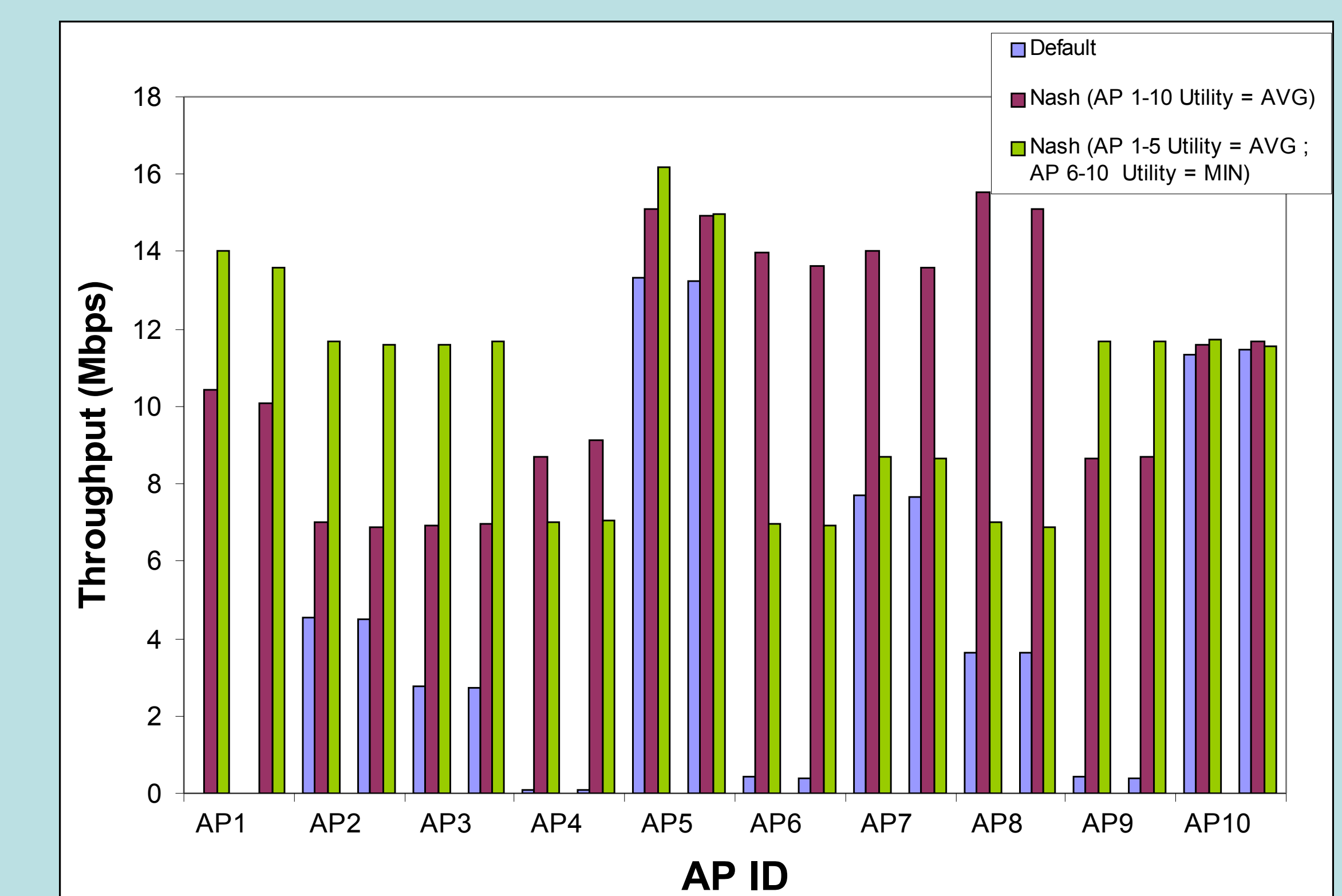


Figure 3: Throughput at Pareto Optimal configuration depends on choice of utility function