# STAT 571, Solution for Assignment \#12 

December 8, 2003

1. $H_{o}: P_{M}=P_{T}=P_{W}=P_{R}=P_{F}=P_{S a}=P_{S n}=1 / 7$ $H_{A}: \operatorname{Not}_{o}$.

Observed values:
Saturday Sunday Mon-Fri
$87 \quad 67 \quad 246$
Expected values:
Saturday Sunday Mon-Fri
$57.143 \quad 57.143 \quad 285.714$

$$
\begin{aligned}
\chi^{2} & =\sum_{\text {allobs }} \frac{(\text { observed }- \text { expected })^{2}}{\text { expected }} \\
& =22.82
\end{aligned}
$$

Compared it with $\chi_{2}^{2}$ distribution, we get p-value $<0.001$. We have very strong evidence to reject Ho.
2. $H_{o}: P_{A}=P_{B}=P_{C}=p$
$H_{A}: \operatorname{Not}_{o}$.
Since p is unknown, we estimate it by

$$
\hat{p}=\frac{19+44+27}{48+85+70}=0.44335
$$

Observed values:

| AS | AF | BS | BF | CS | CF |
| ---: | ---: | ---: | ---: | ---: | ---: |
| 19 | 29 | 44 | 41 | 27 | 43 |
| Expected values: |  |  |  |  |  |
| AS | AF | BS | BF | CS | CF |
| 21.28 | 26.72 | 37.68 | 47.32 | 31.03 | 38.97 |

$$
\begin{aligned}
\chi^{2} & =\sum_{\text {allobs }} \frac{(\text { observed }- \text { expected })^{2}}{\text { expected }} \\
& =3.283
\end{aligned}
$$

Compared it with $\chi_{2}^{2}$ distribution, we get p -value $>0.25$. We have no evidence to reject Ho.

