| UNIVERSITY of WISCONSIN-MADISON Computer Sciences Department |  |
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| CS 537 Intraction to Operating Systems | Andrea C. Arpaci-Dusseau Remzi H. Arpaci-Dusseau |
| Synchronization |  |
| Questions answered in this lecture: |  |
| Why is synchronization necessary? |  |
| What are race conditions, critical sections, and atomic operations? |  |
| How to protect critical sections with atomic loads and stores? |  |

## Cooperation requires Synchronization

## Example:

Two threads share account balance in memory
Each runs common code, deposit()
void deposit (int amount) \{
balance = balance + amount; \}
Compile to sequence of assembly instructions
load R1, balance
add
R1, amount
store R1, balance
Which variables are shared? Which private?

## Concurrent Execution

What happens if 2 threads deposit concurrently? Assume any interleaving of instructions is possible Make no assumptions about scheduler
Initial balance: $\$ 100$
Thread 1:deposit(10) Thread 2:deposit(20)
Load R1, balance

Add R1, amount

Store R1, balance
Store R1, balance
What is the final balance?

## Definitions

Race condition: Result depends upon ordering of execution - Non-deterministic bug, very difficult to find

Critical section: Only one thread can execute at a time

- To implement, need atomic operations

Atomic operation: No other instructions can be interleaved Examples of atomic operations

- Loads and stores of words
- Load rl, B
- Store rl, A
- Code between interrupts on uniprocessors
- Disable timer interrupts, don't do any I/O
- Special hw instructions
- Test\&Set
- Compare\&Swap


## Critical Sections

## Required Properties

- Mutual exclusion
- Only one thread in critical section at a time
- Progress (deadlock-free)
- If several simultaneous requests, must allow one to proceed
- Must not depend on threads outside critical section
- Bounded (starvation-free)
- Must eventually allow each waiting thread to enter Desirable Properties
- Efficient
- Don't consume substantial resources while waiting
- Do not busy wait (I.e., spin wait)
- Fair
- Don't make some processes wait longer than others

Critical Section: Attempt \#1

## Code uses a single shared lock variable

Boolean lock = false; // shared variable
Void deposit(int amount) \{
while (lock) /* wait */ ;
lock = true;
balance += amount; // critical section
lock = false;
\}
Why doesn't this work? Which principle is violated?

## Attempt \#2

Each thread has its own lock; lock indexed by tid ( 0,1 ) Boolean lock[2] = \{false, false\}; // shared Void deposit(int amount) \{
lock[tid] = true;
while (lock[1-tid]) /* wait */ ;
balance += amount; // critical section
lock[tid] = false;
\}
Why doesn't this work? Which principle is violated?

## Attempt \#3

Turn variable determines which thread can enter Int turn $=0$; // shared
Void deposit(int amount) \{
while (turn == 1-tid) /* wait */ ;
balance += amount; // critical section
turn $=1$-tid;
\}
Why doesn't this work? Which principle is violated?

## Peterson's Algorithm: Solution for Two Threads

Combine approaches 2 and 3: Separate locks and turn variable Int turn = 0; // shared
Boolean lock[2] = \{false, false\}
Void deposit(int amount) \{
lock[tid] = true;
turn = 1-tid;
while (lock[1-tid] \&\& turn == 1-tid) /* wait */ ;
balance += amount; // critical section
lock[tid] = false
\}

## Peterson's Algorithm: <br> Intuition

Mutual exclusion: Enter critical section if and only if

- Other thread does not want to enter
- Other thread wants to enter, but your turn

Progress: Both threads cannot wait forever at while() loop

- Completes if other process does not want to enter
- Other process (matching turn) will eventually finish Bouded waiting
- Each process waits at most one critical section


## Lamport's Bakery Algorithm for $N$ Threads

## Bakery algorithm intuition

Each thread picks next highest ticket (may have ties)
Enter critical section when have lowest ticket
Choosing[tid] = true;
Number[tid] = Max(number[0]..number[n-1]) +1 ;
Choosing[tid] = false;
For ( $j=0$; $j<n$; $j++$ ) \{
while (choosing[j]);
while (number[j] \&\& ((number[j],j) < (number[tid],tid))); \}
Balance += amount;
Number $[$ tid] $=0$;

