

## CS 536 Announcements for Monday, March 18, 2024

### Midterm 2

- Thursday, March 21, 7:30 – 9 pm
- S429 Chemistry
- bring your student ID

### Last Time

- static semantic analysis
- name analysis
  - symbol tables
  - scoping

### Today

- name analysis
- exam review

### Next Time

- type checking

## Static Semantic Analysis

### Two phases

- name analysis – P4
- type checking – P5

### Name analysis

- for each scope
  - process declarations – add entries to symbol table
  - process statements – update IdNodes to point to appropriate symbol table entry
- each entry in symbol table keeps track of: kind, type, nesting level, runtime location
- identify errors
  - multiply-declared names
  - uses of undeclared variables
  - bad `tuple` accesses
  - bad declarations

### Scoping

- **scope** = block of code in which a name is visible/valid
- kinds of scoping
  - **static** – correspondence between use & declaration made at compile time
  - **dynamic** – correspondence between use & declaration made at run time

## Name analysis and tuples

### Symbol tables and tuples

- Compiler needs to
  - for each field: determine type, size, and offset with the tuple
  - determine overall size of tuple
  - verify declarations and uses of something of a tuple type are valid
- Idea: each tuple type definition contains its own symbol table for its field declarations
  - associated with the main symbol table entry for that tuple's name

### Relevant base grammar rules

```
decl          ::= varDecl
              | fctnDecl
              | tupleDecl      // tuple defs only at top level
              ;

varDeclList   ::= varDeclList varDecl
              | /* epsilon */
              ;

varDecl       ::= type id DOT
              | TUPLE id id DOT
              ;

...

tupleDecl     ::= TUPLE id LCURLY tupleBody RCURLY DOT
              ;

tupleBody     ::= tupleBody varDecl
              | varDecl
              ;

...

type          ::= INTEGER
              | LOGICAL
              | VOID
              ;

loc           ::= id
              | loc COLON id

id            ::= ID
              ;
```

## Definition of a tuple type

```
tuple Point {  
  integer x.  
  integer y.  
}.
```

```
tuple Color {  
  integer r.  
  integer g.  
  integer b.  
}.
```

```
tuple ColorPoint {  
  tuple Color color.  
  tuple Point point.  
}.
```

- make sure not already in sym tab
- create a sym tab for this tuple & store in sym for tuple's name
- for each varDecl in body of tuple
  - if type is tuple, make sure tuple type is in global (main) sym tab
  - make sure field is not in tuple's sym tab (& then add it)

## Declaring a variable of type tuple

```
tuple Point pt.  
tuple Color red.  
tuple ColorPoint cpt.
```

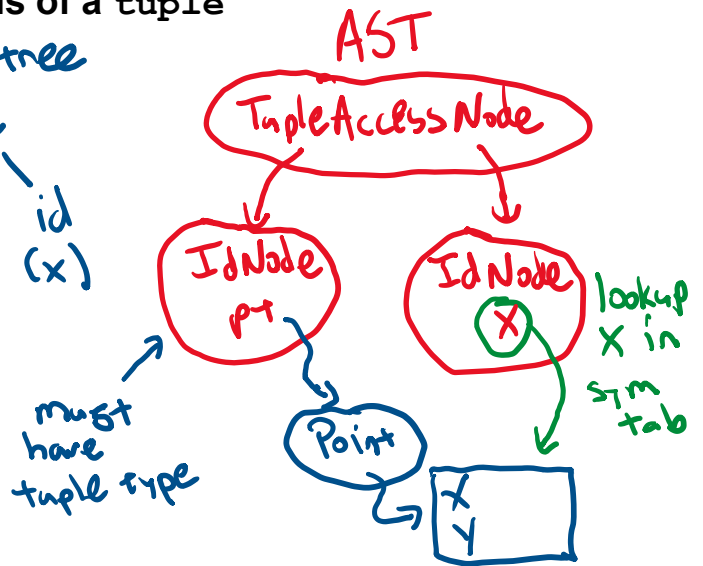
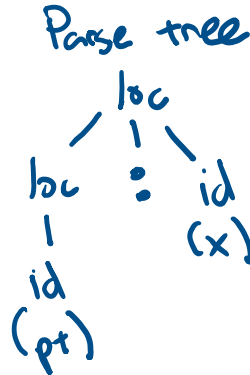
- lookup (globally)
  - make sure it exists & is a tuple
- lookup (locally)
  - make sure it doesn't exist

## Accessing fields of a tuple

pt:x = 7.  
 pt:y = 8.  
 pt:z = 10.

red:r = 255.  
 red:g = 0.  
 red:b = 0.

((cpt:point:x) = pt.x.  
 cpt:color:r = red.r.  
 cpt:color:g = 34.



## Recursively handle L child

### If L child is an identifier

- check identifier has been declared of tuple type
- get symbol table for that tuple
- lookup R child in that sym tab

### If L child is a colon-access

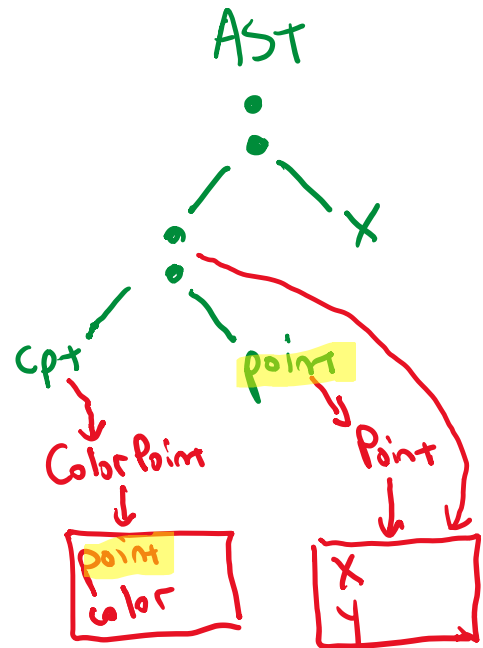
- recursively process L child
- if symbol table in : access is null

then error

else look up R child in sym tab

### If R child is a tuple type

- then set ref in : access to tuple's sym tab
- else set ref to null



## Name analysis: handling classes

Similar to handling aggregate data structures

- also need to be able to search the class hierarchy  
to see if uses are of inherited fields & methods

Idea:

Symbol table for each class with two nesting hierarchies

- 1) for lexical scoping within methods (ie, "regular" sym tab)
- 2) for inheritance hierarchy  
- not just a list of hashtable → hierarchy not necessarily linear

To resolve a name

- first look in lexical scoping sym tab (ie "regular" one)
- then search inheritance hierarchy

# CYK example

CFG

$s \rightarrow aC$   
 $\quad | \quad ba$   
 $a \rightarrow AB$   
 $\quad | \quad Cs$   
 $b \rightarrow D$   
 $\quad | \quad \epsilon$

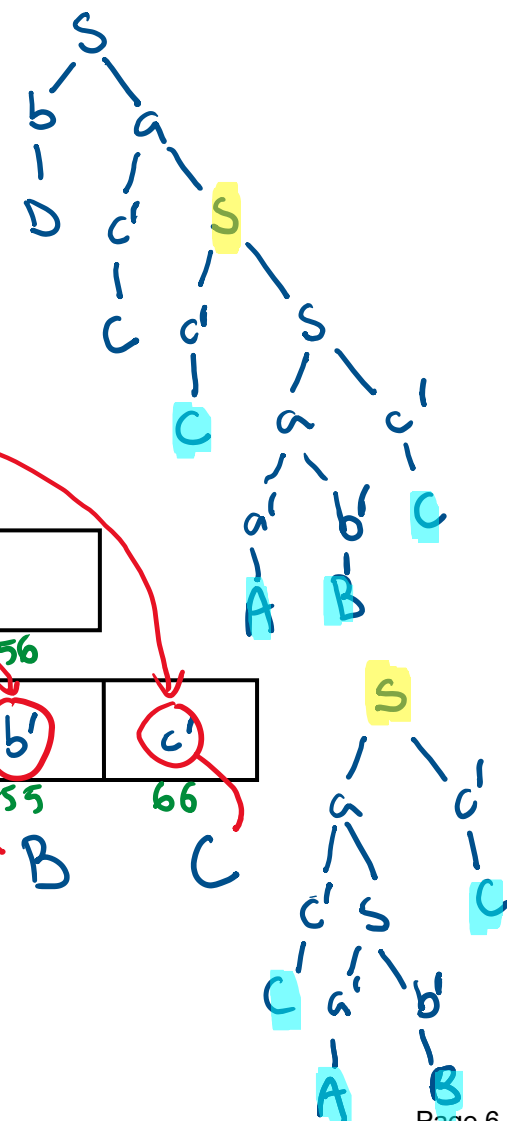
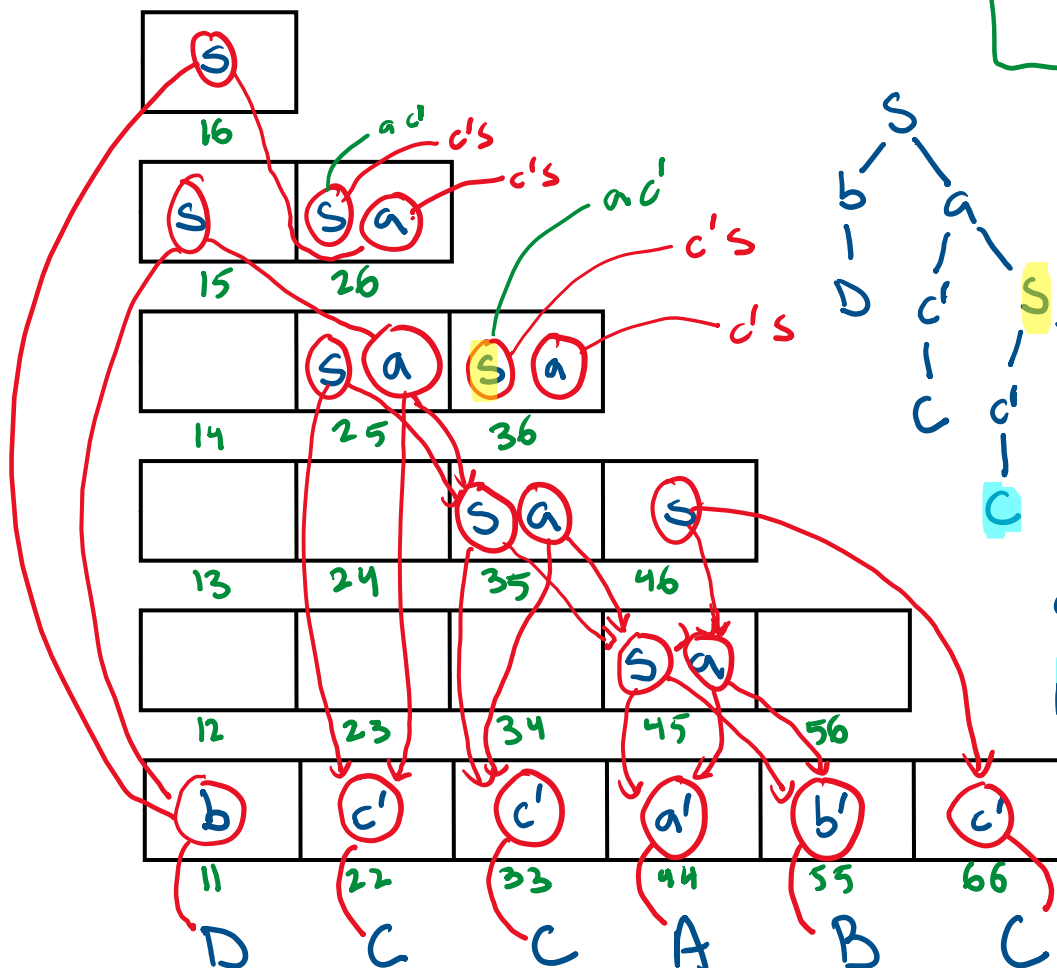
Convert to CNF

$s \rightarrow aC$   
 $\quad | \quad ba$   
 $\quad | \quad a$   
 $a \rightarrow AB$   
 $\quad | \quad Cs$   
 $b \rightarrow D$

$s \rightarrow aC$   
 $\quad | \quad ba$   
 $\quad | \quad AB$   
 $\quad | \quad Cs$   
 $a \rightarrow AB$   
 $\quad | \quad Cs$   
 $b \rightarrow D$

$a' \rightarrow A$   
 $b' \rightarrow B$   
 $c' \rightarrow C$   
 $S \rightarrow ac'$   
 $\quad | \quad ba$   
 $\quad | \quad a'b'$   
 $\quad | \quad c's$   
 $a \rightarrow a'b'$   
 $\quad | \quad c's$   
 $b \rightarrow D$

Run the CYK algorithm to parse the input: D C C A B C



## FIRST/FOLLOW Example

### Original CFG

$\text{expr} \rightarrow \text{expr} + \text{term}$   
 $\quad \quad | \text{term}$   
 $\text{term} \rightarrow \text{term} * \text{factor}$   
 $\quad \quad | \text{factor}$   
 $\text{factor} \rightarrow \text{INTLIT}$   
 $\quad \quad | ( \text{expr} )$

### Transformed CFG

$\text{expr} \rightarrow \text{term} \text{expr}'$   
 $\text{expr}' \rightarrow + \text{term} \text{expr}' \mid \epsilon$   
 $\text{term} \rightarrow \text{factor} \text{term}'$   
 $\text{term}' \rightarrow * \text{factor} \text{term}' \mid \epsilon$   
 $\text{factor} \rightarrow \text{INTLIT} \mid ( \text{expr} )$

	FIRST	FOLLOW
expr	INTLIT (	EOF )
expr'	+ $\epsilon$	EOF )
term	INTLIT (	+ EOF )
term'	* $\epsilon$	+ EOF )
factor	INTLIT (	* + EOF )

### Parse table

	+	*	(	)	INTLIT	EOF
expr			term expr'		term expr'	
expr'	+ term expr'			$\epsilon$		$\epsilon$
term			factor term'		factor term'	
term'	$\epsilon$	* factor term'		$\epsilon$		$\epsilon$
factor			(expr)		INTLIT	

### Building the parse table

for each production  $x \rightarrow \alpha$

for each terminal  $T$  in  $\text{FIRST}(\alpha)$   
 put  $\alpha$  in  $\text{table}[x][T]$

if  $\epsilon$  is in  $\text{FIRST}(\alpha)$   
 for each terminal  $T$  in  $\text{FOLLOW}(x)$   
 put  $\alpha$  in  $\text{table}[x][T]$