

CS 536 Announcements for Wednesday, April 24, 2024

Course evaluation – log into heliocampusac.wisc.edu using your NetID

Last Time

- optimization overview
- peephole optimization
- loop optimizations

Today

- wrap up optimization
- copy propagation

Optimization Review

Goal: Produce "better" code that does the "same thing" as the original code.

- better = *faster code, fewer instructions*
- same thing = *determined by observable behavior of code*

When?

- before code generation *(ie, on intermediate representation)*
- after code generation *(ie, on generated machine code)*

Important considerations

- **performance/profitability** – want to be sure optimization is "worth it"
- **safety** – original source code, non-optimized target code, and optimized target code all do the "same thing" / have the same "meaning"

Look at optimizations that

- are **sound** transformations *sound = all results that are output are valid*
- recognize a behavior in a program & replace it with a "better" version

Copy propagation

copy statement



x is an L-value
 y is an R-value ie y can be a variable or literal

Idea: Suppose we are at **use** U of x and a **definition** D of x (of the form $x = y$) reaches U

- If
 - 1) no other definition of x reaches U and
 - 2) y does not change between D and U
- then we can replace the use of x at U with y

Example

$x = 3.$

$y = 5.$

← useless definition (can be removed - as part of dead code elimination)

$p = 3.$

if $w * x > 9$ [

$x = 4.$

$z = x + w * y.$

]

else [

$z = 2 * y + x.$

]

→ do constant folding to change this to 13 (another optimization)

$q = 5 * p.$

can't change p to x
 could change p to 3 on a 2nd pass of copy propagation

$s = z + x.$

$t = s + x.$

How is this an optimization?

- can create **useless code** (which can then be removed)

if all uses of x reach by D are replaced,
then definition D can be removed (eg, $y=5$)

- can create improved code

$$t = s + y.$$

RHS requires (at a minimum) 2 loads & one add

$$t = s + 5.$$

RHS requires only 1 load & 1 add
(can use immediate value in add instr)

- **constant folding**

$$z = 2 * 5 + 3. \rightarrow z = 10 + 3 \rightarrow z = 13$$

↑
now can copy propagate this def of z

- if done before other optimizations, can improve results

$x=2.$
if $x < 7$ [
 \$ stmts
]

copy
prop
→

$x=2.$
if $2 < 7$ [
 \$ stmts
]

other
optimization(s)
→

$x=2.$
\$ stmts

Copy propagation (cont.)

Recall: Suppose we are at **use** U of x and a **definition** D of x (of the form $x = y$) reaches U

- If
 - 1) no other definition of x reaches U **and**
 - 2) y does not change between D and U
- then we can replace the use of x at U with y

def ↙ ↘ use
↑ constant or variable

So, to do copy propagation, we must make sure two properties hold:

Property 1) No other definition of x reaches U

Property 2) y does not change between D and U

How?

Property 1) No other definition of x reaches U

- How? Do a **reaching-definitions** analysis
 - one way: data flow analysis
 - another way: create control flow graph (CFG)

- do "backwards" search starting at U
- stop exploring a branch of a search when we find a def of x
(but continue overall search)

Example

```

x = 3.
y = w.
p = x.

```

```

if w * x > 9 [

```

```

  x = 4.

```

```

  while x < 10 [

```

```

    z = x + w * y.

```

```

    x = x + 1.

```

```

  ]

```

```

else [

```

```

  z = 2 * y + x.

```

```

]

```

```

q = 5 * p.

```

```

s = z + x.

```

```

t = s + y.

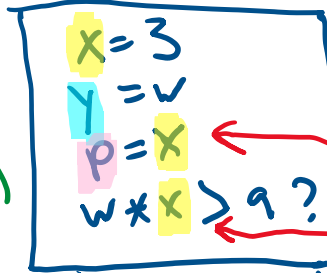
```

CFG

```

def x(1)
def y(1)
def p(1)

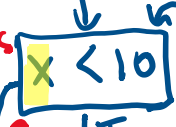
```



def x(1) reaches
can copy prop



def x(2)



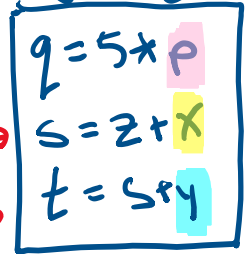
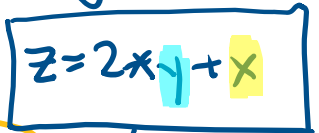
x(2) reaches
x(3) reaches F

y(1) reaches
can copy prop



def x(3)

x(1) reaches
y(1) reaches
can copy prop



p(1) reaches
cannot copy prop because x might change

x(1), x(2), x(3) reach →

y(1) reaches
can copy prop

nodes where only 1 def reaches

Copy Propagation (cont.)

Property 2) y does not change between D and U (of x)

- If y is a constant, then this is trivially true.
- If on any path through the CFG from D to U there is a definition of y, then

y might change

- If y and z are aliases and there is a definition of z between D and U, then

↳ refer to same spot in memory

y might change

x = 4;

// code to make y & z aliases

z = 5;

w = x + 4; ← can't replace x with y

In C/C++

x = 4;

int *z = &y;

*z = 5;

w = x + 4;

*z & y are same place in memory

