Q1-1: Which of the following statement(s) is(are) TRUE about regularization parameter λ ?

- A. λ is the tuning parameter that decides how much we want to penalize the flexibility of our model.
- B. λ is usually set using cross validation.

- 1. True, True
- 2. True, False
- 3. False, True
- 4. False, False

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True, False

False, True

False, False

1.

2.

3.

4.

The optimization problem can be viewed as following:

 $\mininimize(Loss(Data|Model) + \lambda complexity(Model)))$

- If the regularization parameter is large then it requires a small model complexity
- We have learned how to use cross validate to set hyperparameters including regularization parameters.

Q1-2: Select the correct option about regression with L2 regularization (also called *Ridge Regression*).

- A. Ridge regression technique prevents coefficients from rising too high.
- B. As $\lambda \rightarrow \infty$, the impact of the penalty grows, and the ridge regression coefficient estimates will approach infinity.

- 1. Both statements are true.
- 2. Both statements are false.
- 3. Statement A is true, Statement B is false.
- 4. Statement B is true, Statement A is false.

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As $\lambda \rightarrow \infty$, the impact of the penalty grows, and the ridge regression coefficient estimates will approach zero.



Q1-3: Following figure shows 3-norm sketches: $||x||_p < 1$ for $p = 1, 2, \infty$. Recall that $||x||_{\infty} = \max\{|x_i| \text{ for all } i\}$



- 1. A: 1, B: 2, C: ∞
- 2. A: 2, B: 1, C: ∞
- 3. A: 2, B: ∞, C: 1
- 4. A: ∞, B: 2, C: 1

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Q2-1: Are these statements true or false?(A) We need validation data to decide when to early stop.(B) We can think early stopping as a regularization to limit the volume of parameter space reachable from the initial parameter.

- 1. True, True
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- 3. False, True
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- 2. True, False
- 3. False, True
- 4. False, False

(A) As is shown in the lecture.(B) That's true. Early stopping will limit the training time and thus potentially limit the space the training can search.