Fall 2023

Name:	Wisc id:	
Minimum Spanning Ti	rees: Truth or Lie?	
Which of the following statements a	are TRUE and which of them are FALSE?	
1. Prim's and Kruskal's will always	s return the same MST.	т — Е
2. A MST for a graph has $ V -1$	edges.	т — н
3. There is a MST that can be use	ed to find the shortest path between 2 vertices.	Т — Е
$\mathbf{Merge}\ K\ \mathbf{Sorted}\ \mathbf{Linke}$	ed Lists	
	containing N elements sorted in ascending order. Orted linked list. Describe an algorithm to achieve	

You are given a set of lectures, each with a distinct starting and finishing time (s_i, f_i) . Each lecture i starts at time s_i and finishes at time f_i . Your task is to design an algorithm to find the minimum number of

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Millimum Deci-Dinary Summation	${f Minimun}$	Deci-Bina	ry Summatior
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A decimal number is termed $deci$ -binary if each of its digits is either a 0 or a 1, and it does not have any leading zeros. For instance, 101 and 1100 qualify as deci-binary numbers, while 112 and 3001 do not. Given a number n that represents a positive decimal integer. Your task is to find and return the minimum number of positive deci-binary numbers that, when summed, yield the integer represented by n . For example, $32 = 11 + 11 + 10$, so the answer would be 3. For $n = 52734$, answer would be 7.
Longest Wiggle Subsequence
A $subsequence$ is a sequence that can be derived from another sequence by deleting elements (possibly none) without changing the order of the remaining elements. A $wiggle$ $sequence$ is defined as a sequence where the differences between adjacent numbers strictly alternate between positive and negative. The first difference, if it exists, can be either positive or negative. Given an integer array containing N integers, return the length of the longest wiggle subsequence.

Kruskal's algorithm

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Algorithm: KRUSKAL'S

Input: G, a graph G = (V, E)
begin

Let T = \emptyset
Let L = E and sort L
for each edge e \in L in ascending order do

if H = (V, T \cup \{e\}) is an acylic graph then

T \leftarrow T \cup \{e\}
return H = (V, T)
```

Prim's Algorithm

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Algorithm: PRIM'S

Input: G, a graph G = (V, E)
begin

Let U = \{v\}, where v \in V
Let T = \emptyset
while U \neq V do

Find least-weight edge e = (u, v) : u \in U \land v \in V \setminus U
T \leftarrow T \cup \{e\}
U \leftarrow U \cup \{v\}
return H = (U, T)
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