### Advanced Topics in Reinforcement Learning Lecture 24: Multi-agent Learning II

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Based on Slides from <u>Stefano Albrecht's MARL lectures</u>

### Announcements

- Next week: Offline RL
- Final projects due < two weeks.
- Course evaluation is now available.



## Yoon's Presentation

• <u>Slides</u>



# Challenges in Multi-Agent Learning

- Multi-agent credit assignment.
- Curse of multiple agents.
- Non-stationarity in learning.



# Independent Learning

- Simplest MARL algorithm is for each agent to pretend other agents are part of environment and run single-agent RL.
- Lose theoretical guarantees; still can work in practice.
  - Example: Alpha Go, OpenAl's Dota team.
- Shortcomings:
  - Single-agent RL converges to deterministic policy but may need a stochastic policy for optimality in Markov / Stochastic games.
  - May never converge due to non-stationarity.
  - High variance action-value updates due to lack of multi-agent credit assignment.

Is Independent Learning All You Need in the StarCraft Multi-Agent Challenge? De Witt et al. 2020.



# Centralized Learning

- Treat cooperative multi-agent RL problem as one big single-agent problem.
- Learn a policy that takes as input the state of all agents and outputs an action for each agent.
- Example: Deepmind's Star Craft playing agent.
- Shortcomings:
  - Curse of multiple agents.
  - Agents must either share a reward or agent rewards must be turned into a single reward.
  - Observations of all agents are needed to compute an action for any single agent.
- Main benefit: avoids multi-agent credit assignment and non-stationarity problems.



### Centralized Training / Decentralized Execution

- Objective: take advantage of centralized training but enable each agent to operate independently of others.
- Counterfactual Multi-agent Policy Gradients (COMA) implements this idea with policy gradient learning.
- Each agent learns a policy  $\pi_{\theta_i}(a \mid s)$  with gradient ascent on  $\theta_i$ .

$$\nabla_{\theta_i} J(\theta) = (Q(s, a_1, \dots, a_i, \dots, a_n) - \sum_a \pi_{\theta_i} (a \mid s) Q(s, a_1, \dots, a, \dots, a_n)) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} \log \pi_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} (a_i \mid s) Q(s, a_1, \dots, a_n) \nabla_{\theta_i} (a_i \mid s) \nabla_{\theta_i} (a_i \mid$$

### **Baseline is independent of agent i's action**

Counterfactual Multi-Agent Policy Gradients. Foerster et al. 2017.



### Game-Theoretic Reinforcement Learning

- What if different agent's have different rewards?
- actions with arg max  $Q_i(s, a_1, \ldots, a, \ldots, a_n)$ ?
  - Non-stationary if others are learning.
  - We don't know what actions will be taken by other agents.
- Game-Theoretic RL uses various solution types from game theory to prescribe how other agents will act.

• Why can we not simply learn  $Q_i(s, a_1, \ldots, a, \ldots, a_n)$  for agent i and take



### Game-Theoretic Reinforcement Learning

- Assume all agent's are rational w.r.t. their own current actionvalue functions.
- Agent *i* maintains an action-value function for all other agents.
- At each state, action-value functions induce a normal form game.
- Solution of normal form games is a policy profile,  $\pi = (\pi_1, \ldots, \pi_n).$
- Use this profile to prescribe how other agents will act in ullet $\arg\max Q_i(s,a_1,\ldots,a,\ldots,a_n).$

		R	Р	S
-	R	0,0	-1,1	1,-
_	Ρ	1,-1	0,0	-1,
	S	-1,1	1,-1	0,0

**Minimax-Q** uses minimax solution (Littman, 1994) **Nash-Q** uses Nash equilibrium (Hu and Wellman, 2003) CE-Q uses correlated equilibrium (Greenwald and Hall, 2003)



• Standard Q-learning:

• 
$$Q(s,a) \leftarrow Q(s,a) + \alpha(R + \gamma)$$

• Minimax Q-learning:

• 
$$V(s) = \max_{\pi \in \Delta(\mathscr{A}_1)} \min_{a_2} \sum_{a_1} \pi(a_1 | s)$$

•  $Q(s, a_1, a_2) \leftarrow Q(s, a_1, a_2) + \alpha(R + \gamma V(s') - Q(s, a_1, a_2))$ 

## Minimax Q-learning

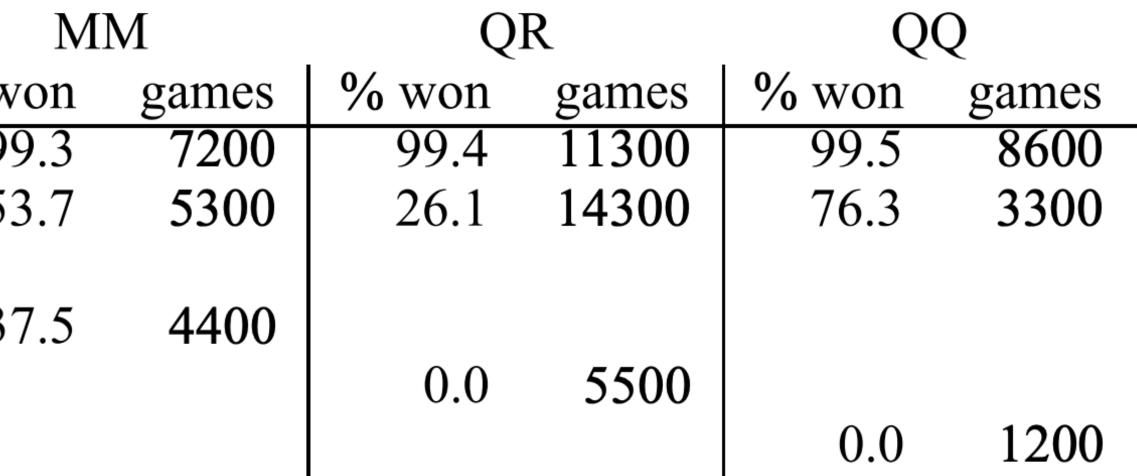
 $\max Q(s',a') - Q(s,a))$ a'

 $S)Q(s, a_1, a_2)$ 



MR		
% won	games	% w
99.3	6500	99
48.1	4300	53
35.0	4300	
		31
	% won 99.3 48.1	% won games 99.3 6500 48.1 4300

# Minimax Q-learning





# Opponent Modelling

- case.
- response.

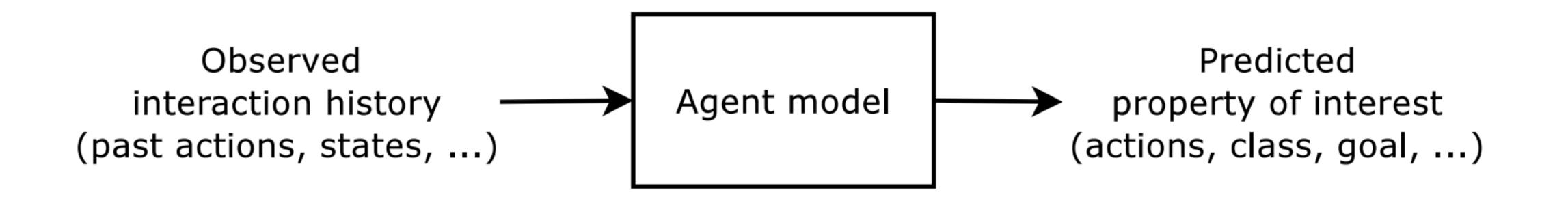


Figure Credit: Stefano Albrecht

Game-theoretic RL assumes that other agents will act rationally or worst-

Instead we can try to predict what others might do and then play best



# Self-Play

- Where do opponents come from for training?
- "Markov Games" paper evaluated different training-evaluation combinations.
- Basic self-play uses the main agent's policy as the opponent's policy.
  - Idea: as the policy improves, the opponent also improves.
  - ...but might get stuck in cycles or chatter between different non-dominant policies.
  - Can mitigate this by keeping around past versions of the opponent's policy and also training against those.



• <u>Slides</u>

### Matthew's Presentation



# Summary

- Multi-agent RL aims to scale RL to environments with multiple, possibly learning agents.
- Often requires algorithm changes to overcome MARL challenges.
  - Centralized training / decentralized execution.
  - Game-theoretic RL.
  - Opponent modelling.  $\bullet$
  - Self-play



## Action Items

- Offline RL reading for next week.
- Good luck on your final project.

