

Advanced Computer Networks

Flow Scheduling in Data Center Networks (I)

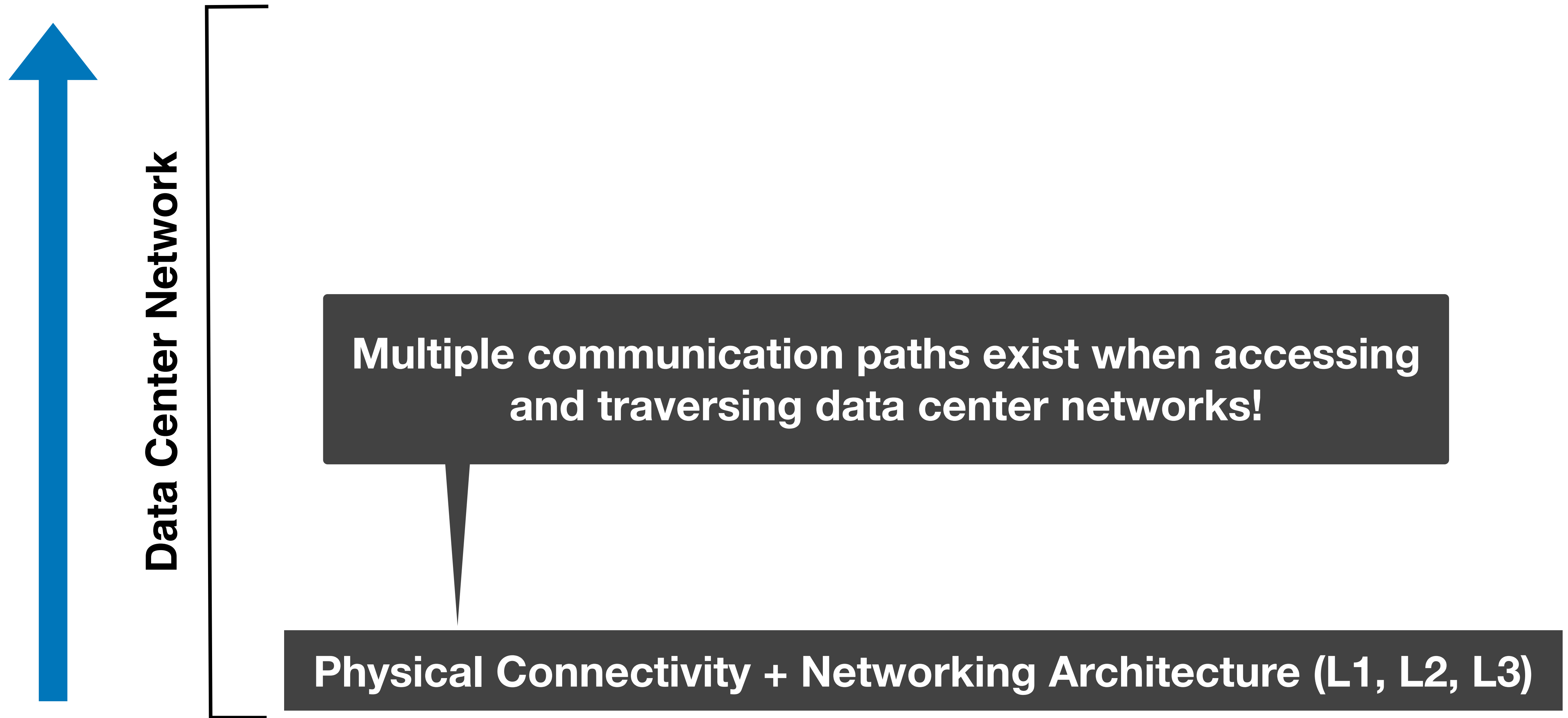
<https://pages.cs.wisc.edu/~mgliu/CS740/F25/index.html>

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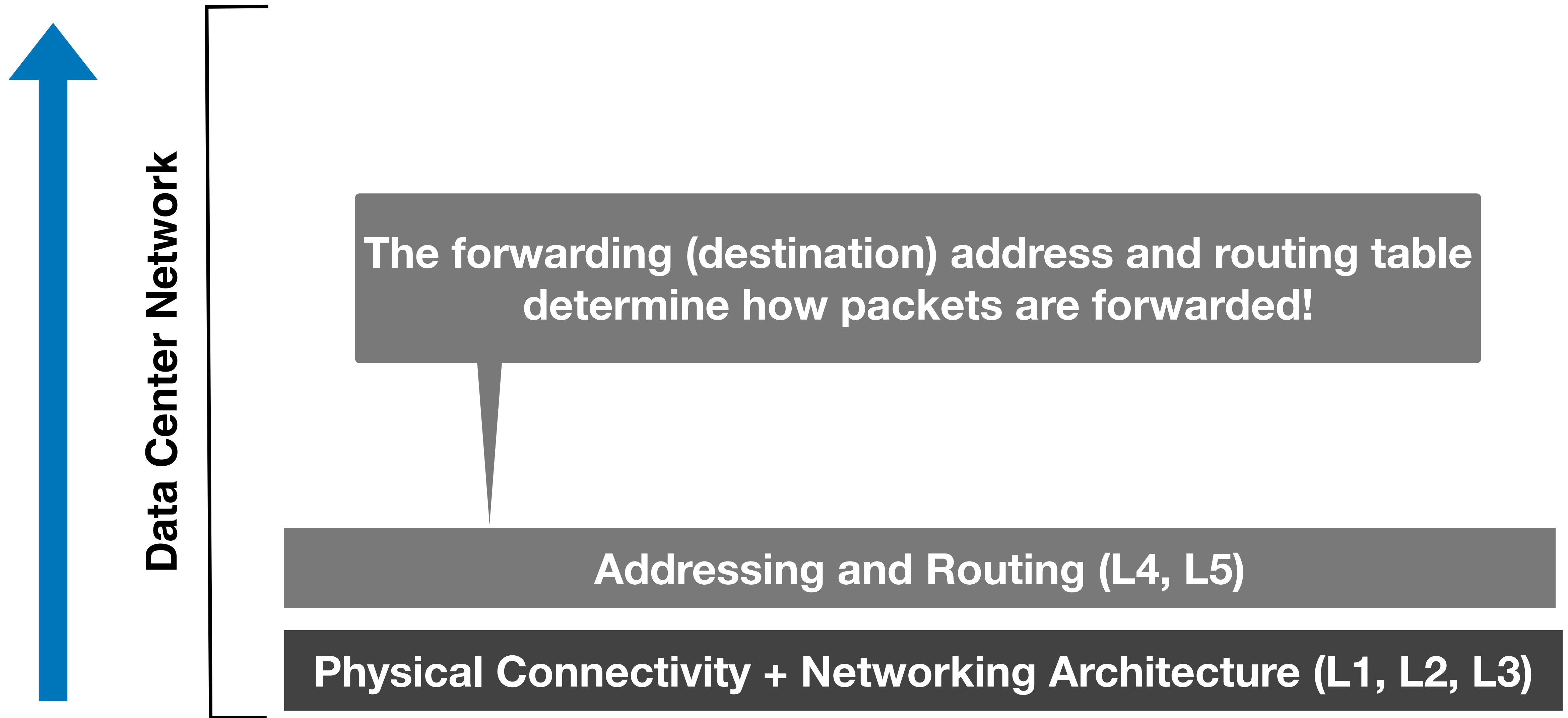
Outline

- Last lecture
 - Addressing and routing in data center networks (II)
- Today
 - Flow scheduling in data center networks (I)
- Announcements
 - Project proposal due 10/02/2025 11:59 PM
 - Lab1 due 10/08/2025 11:59 PM

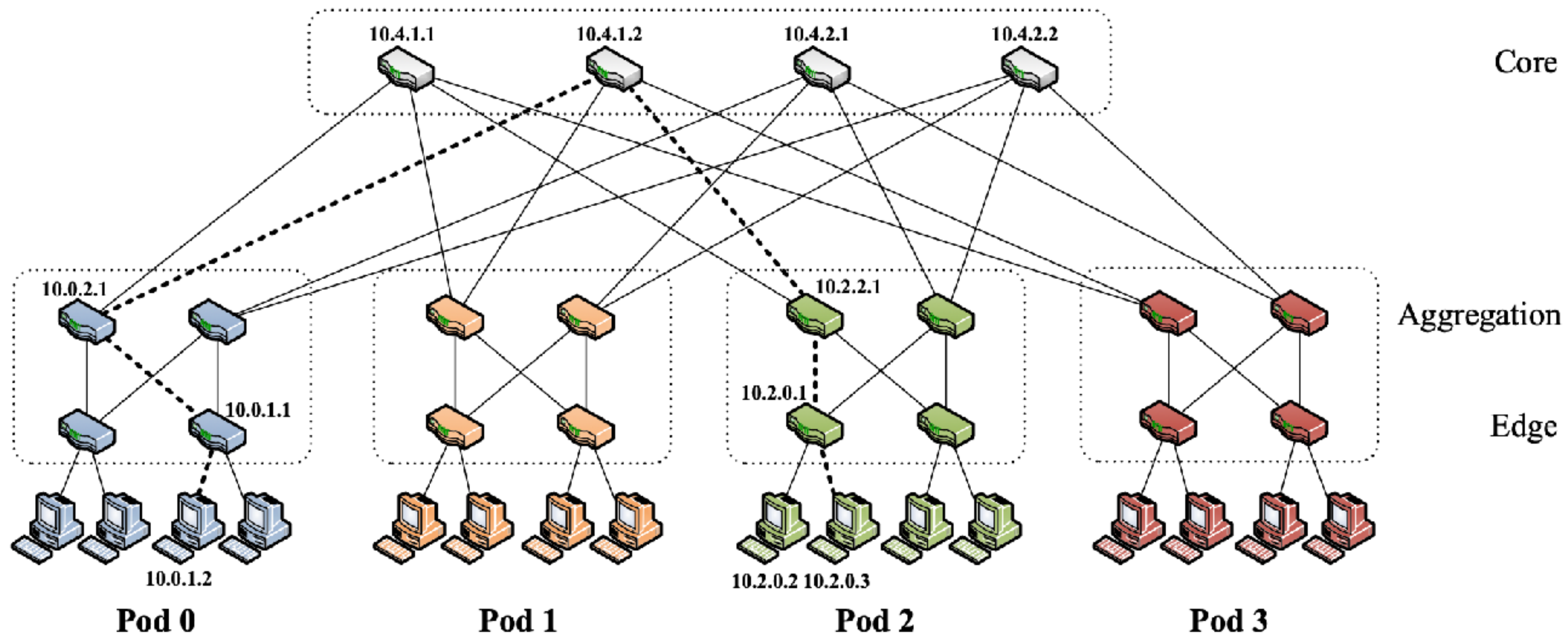
Where we are?



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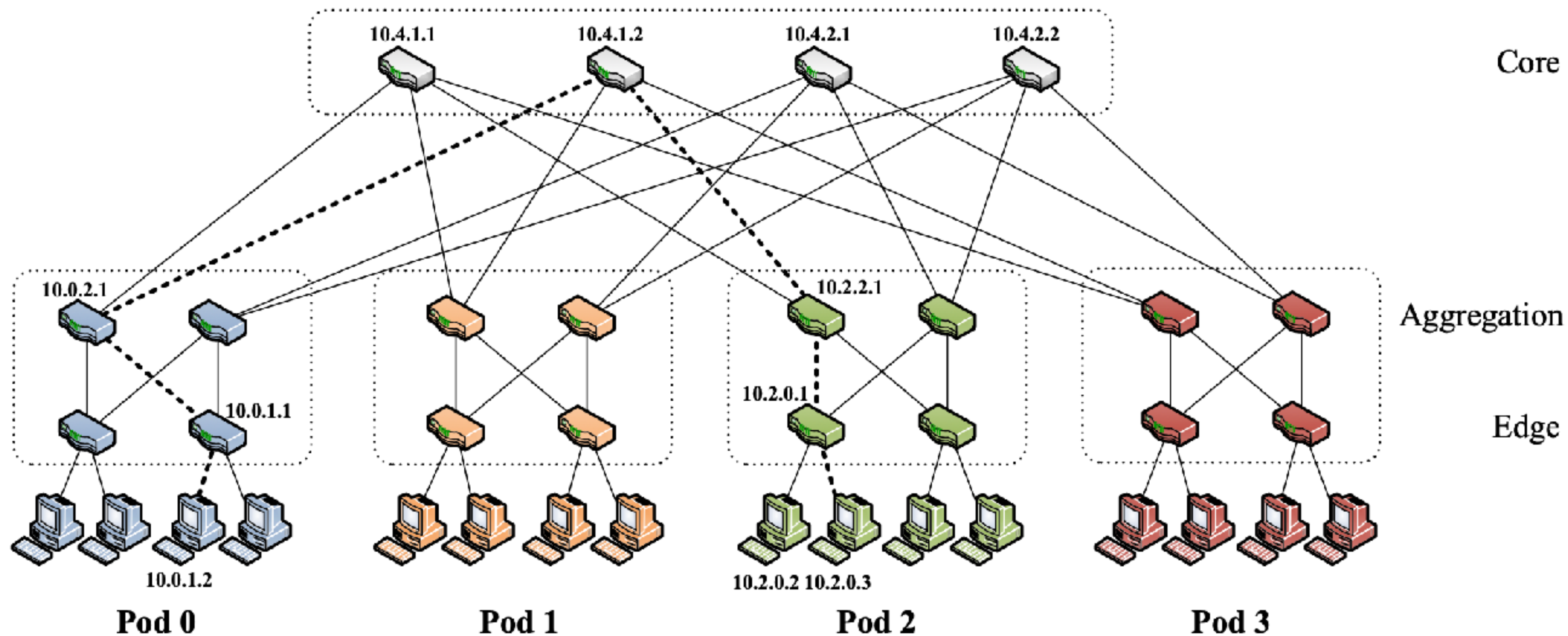


Which path should a network flow take?



What is a “network flow”?

Which path should a **network flow** take?



Network Flow

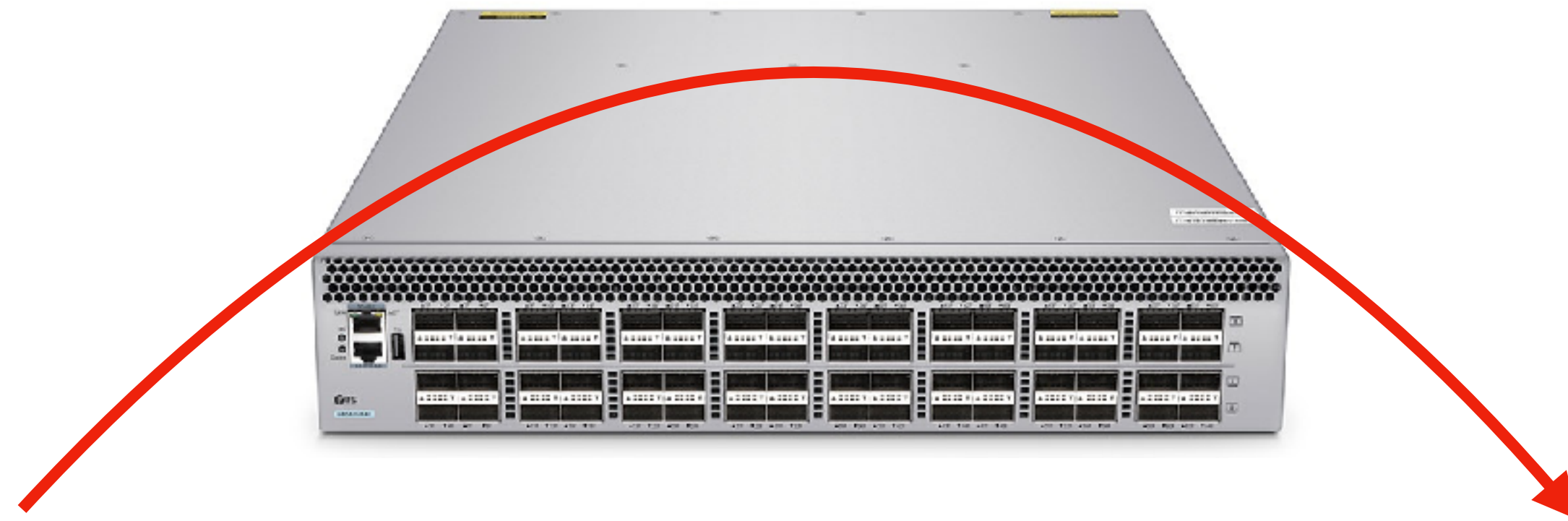
- A unique identifier in the data center networks

Network Flow

- A unique identifier in the data center networks: 5-Tuple
 - Source IP
 - Destination IP
 - Source Port
 - Destination Port
 - Protocol Number
- } Host-Host communication channel
- } App-App communication channel

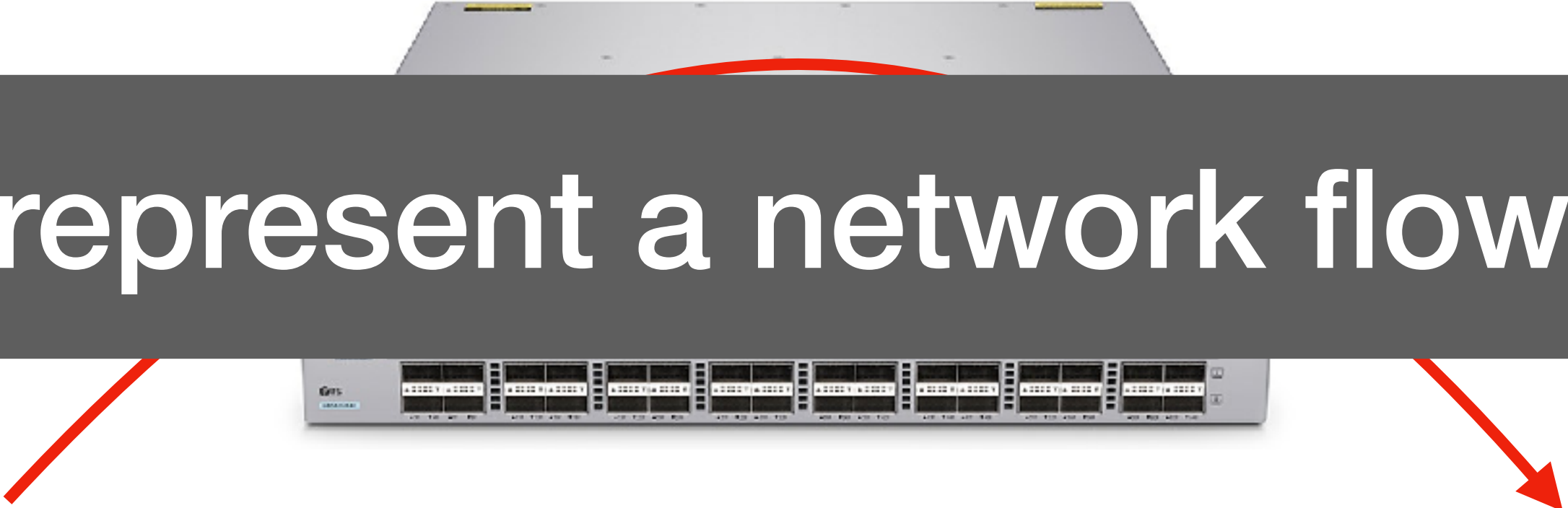
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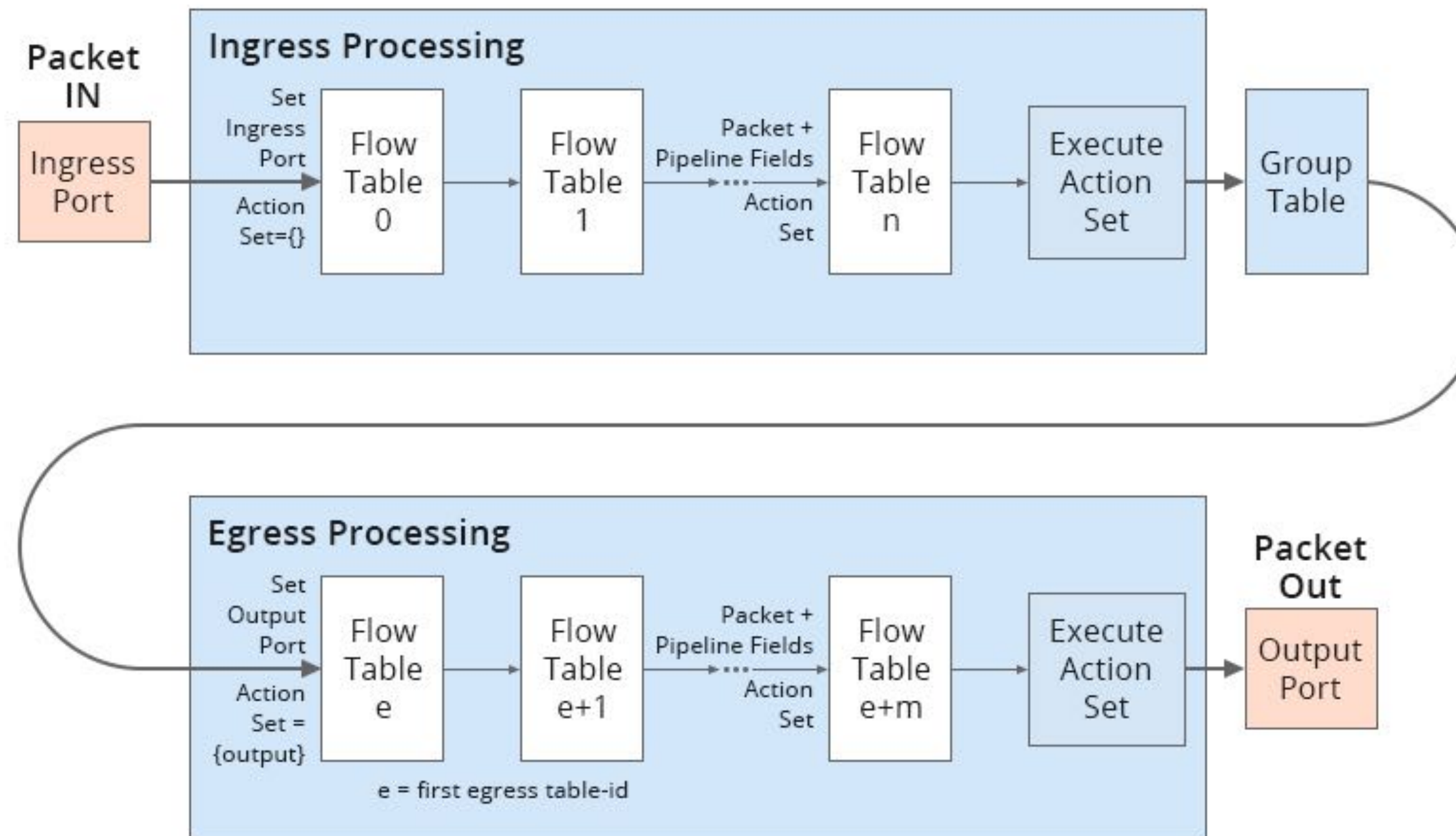
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How to represent a network flow in a switch?

Some Switch Internals

- Switch ASIC: per-packet processing under high bandwidth!
 - Ingress/egress pipeline: table lookup, header modifications
 - Traffic manager: packet scheduling, rate limiting, and mirroring



Query 5-Tuple is costly!

- High memory footprint and compute cycles
 - $13\text{B} = \text{src_ip}(4\text{B}) + \text{dst_ip}(4\text{B}) + \text{src_port}(2\text{B}) + \text{dst_port}(2\text{B}) + \text{procol_num}(1\text{B})$
 - 3 SRAM lookups

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 - $13B = \text{src_ip}(4B) + \text{dst_ip}(4B) + \text{src_port}(2B) + \text{dst_port}(2B) + \text{procol_num}(1B)$
 - 3 SRAM lookups

Let's do hashing!

Network Flow Representation in Commodity Switches

- FlowID=Hash(src_ip, dst_ip, src_port, dst_port, proto_num)
 - The hashing algorithm is mostly proprietary
 - Perform at the switch ingress side before moving to the pipeline
 - FlowID becomes a N-bit metadata field (N=16, for example)

Is FlowID unique?

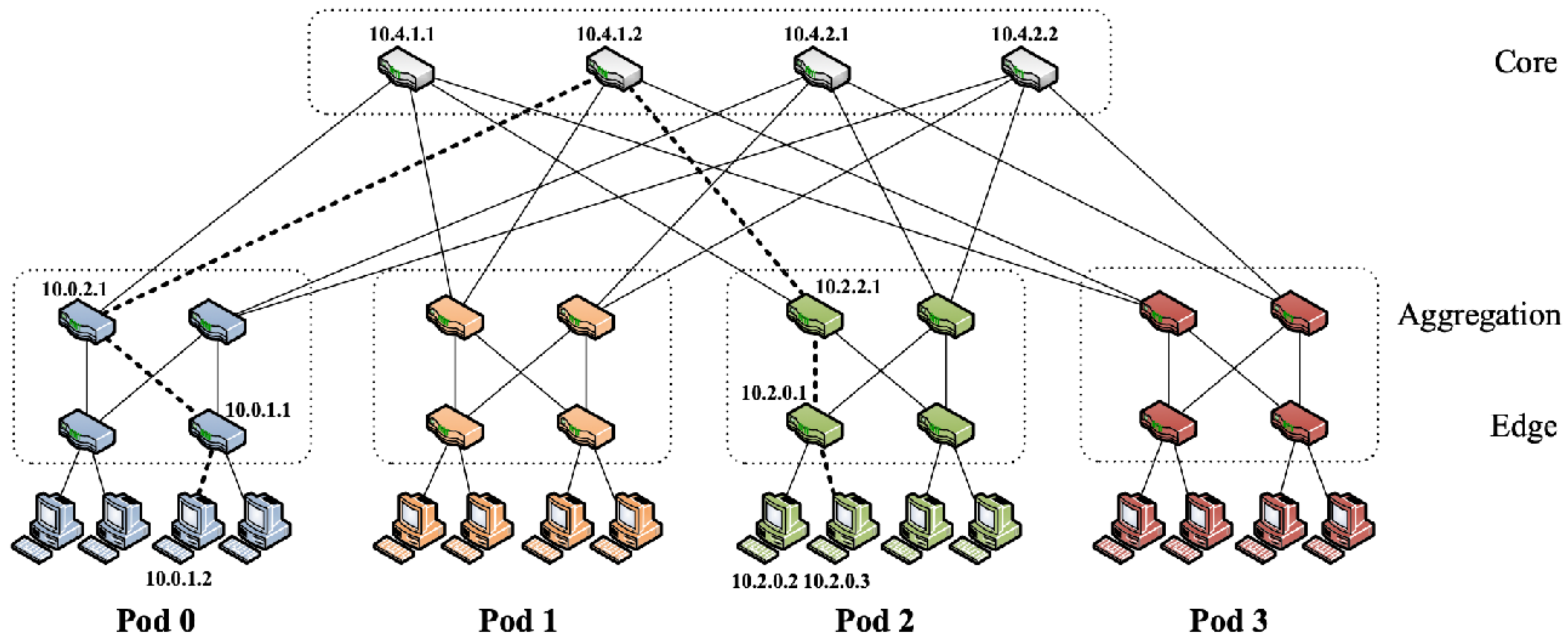
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Is FlowID unique?

No, because of hash collision

Which path should a network flow take?



Approach #1: ECMP

- Equal-Cost Multi-Path Forwarding
 - $\text{chosen_path} = \text{FlowID} \bmod (\text{path \#})$

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Is this aligned with our discussion last week?

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- Equal-Cost Multi-Path Forwarding
 - $\text{chosen_path} = \text{FlowID} \bmod (\text{path \#})$
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Is this aligned with our discussion last week?
No. In the scalable DCNet, the host ID
determines the routing path!

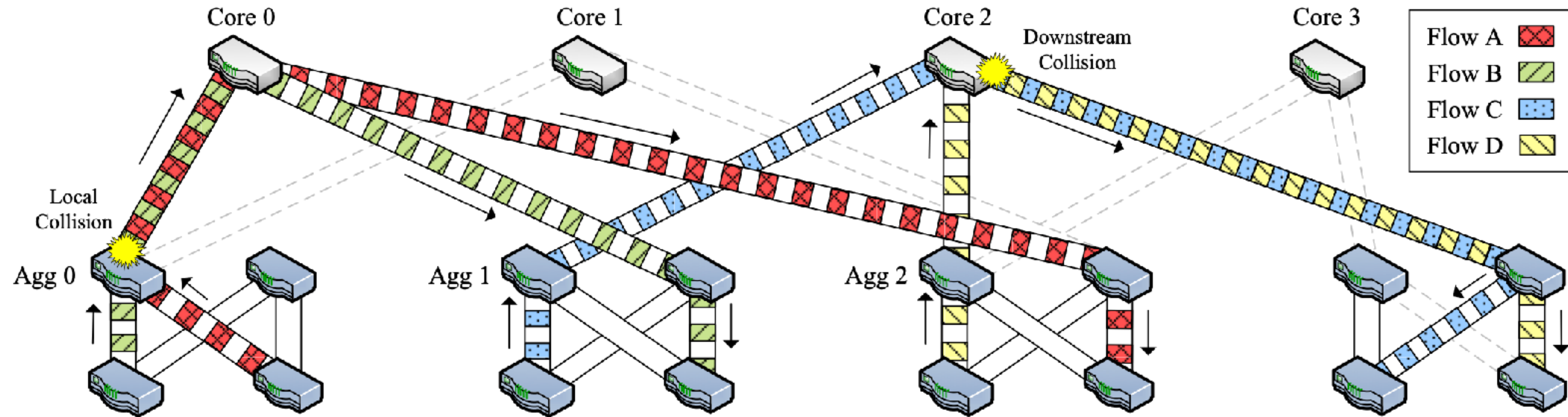
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- Equal-Cost Multi-Path Forwarding
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What are the issues of ECMP?

Path Sharing

- If incoming bandwidth $\leq$ outgoing bandwidth

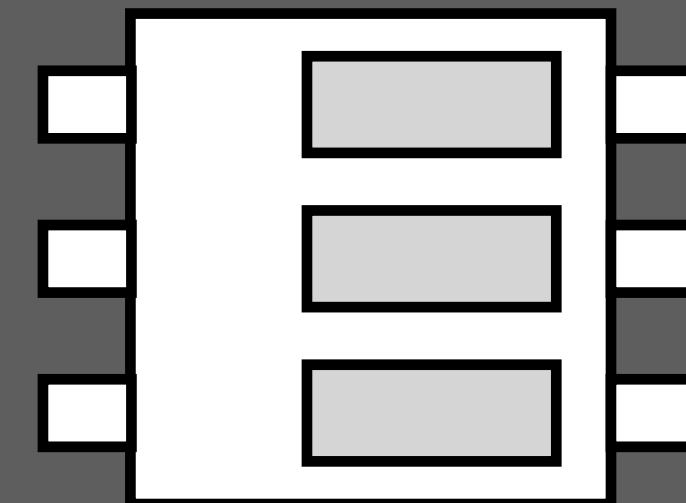


Path Sharing

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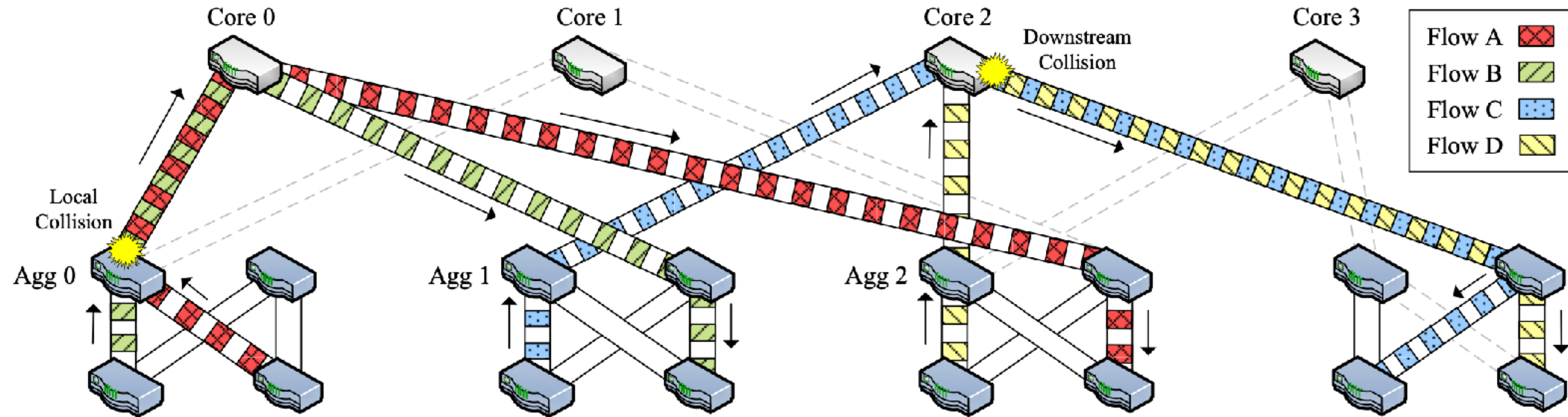


Think about the switch architecture



Path Sharing

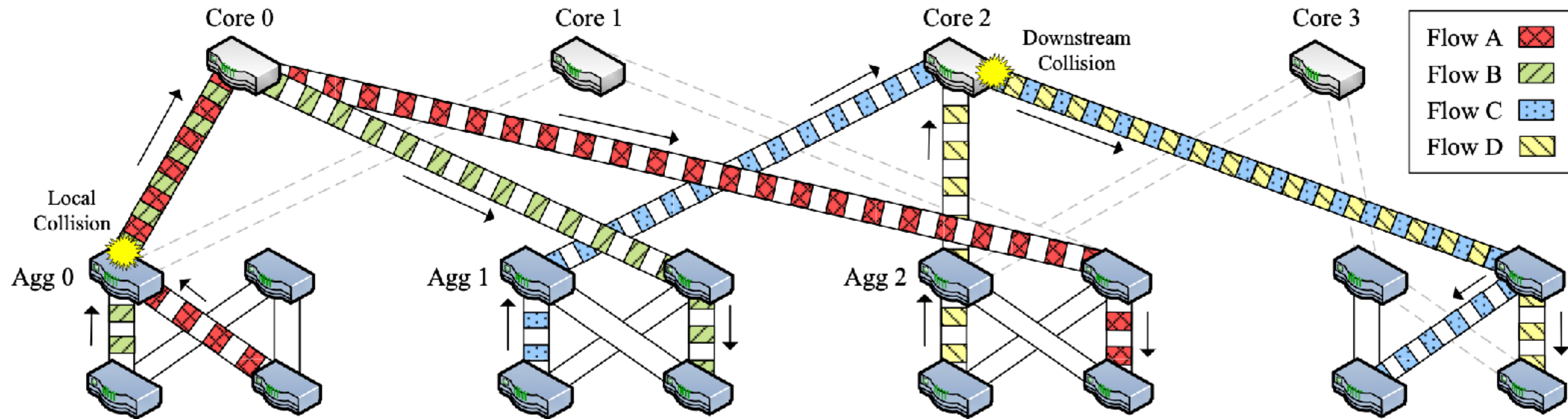
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Path Sharing

- If incoming bandwidth $\leq$ outgoing bandwidth
- If incoming bandwidth $>$ outgoing bandwidth

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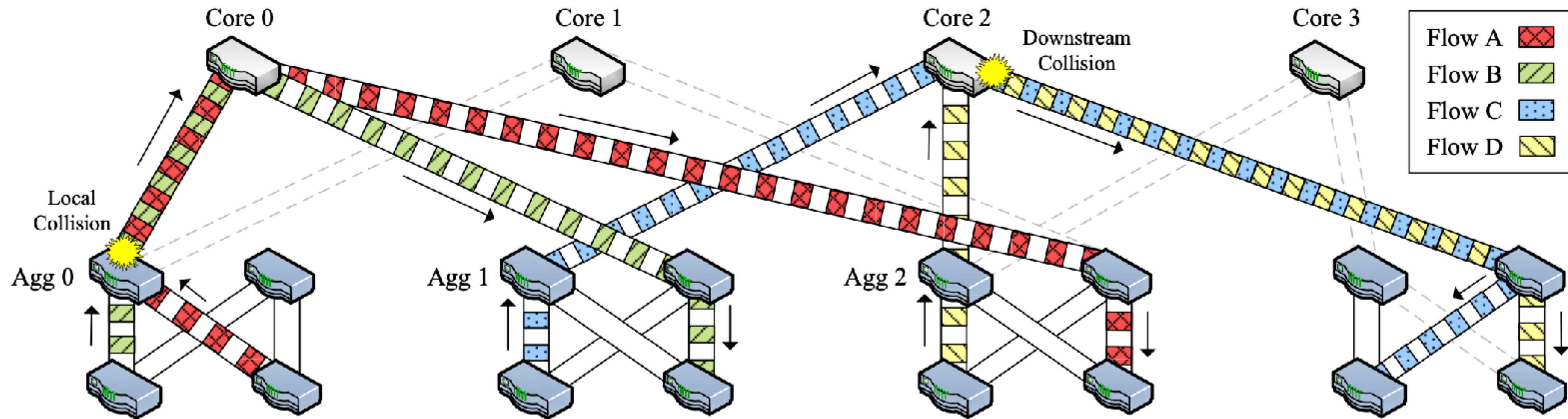


Path Sharing

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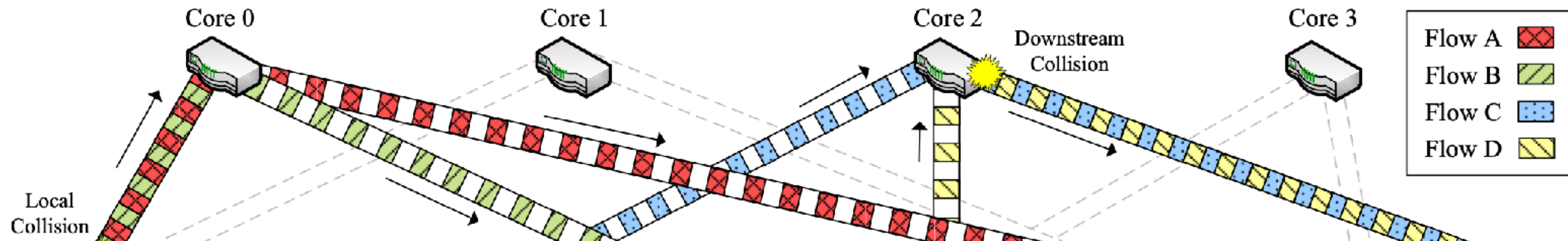
Okay!

Bad!



Path Sharing

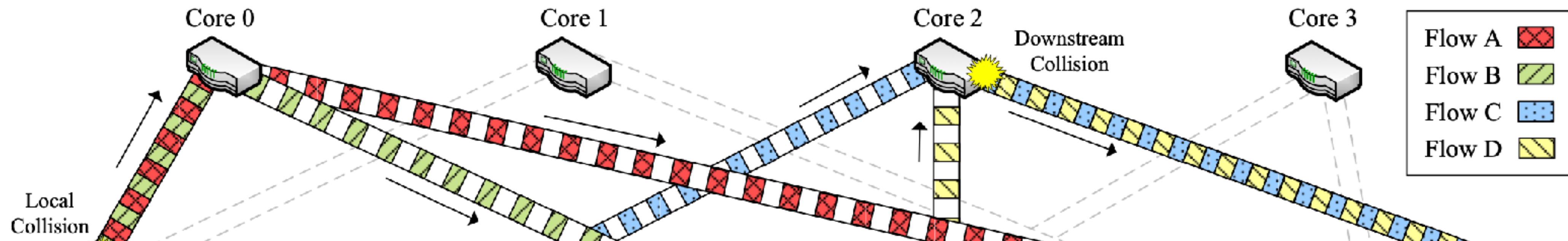
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How can we solve it?

Path Sharing

- If incoming bandwidth $\leq$ outgoing bandwidth **Okay!**
- If incoming bandwidth $>$ outgoing bandwidth **Bad!**



How can we solve it?
Mitigate bandwidth oversubscription by
leveraging more paths!

Problem Formulation

- Multi-commodity flow problem
 - NP-complete for integer flows
- Approximation hint
 - Match flow **demand** and link bandwidth **supply**

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- How can we know the flow demand?
- How can we know the bandwidth supply?
- Which path should a flow choose?

Proposal #2: Hedra (NSDI'10)

- Let's start with a simple example
- Network-limited flows

An example:

- H0 sends 1 flow to H1, H2, and H3
- H1 sends 2 flows to H0 and 1 flow to H2
- H2 sends 1 flow each to H0 and H3
- H3 sends 2 flows to H1

Demand Estimation Algorithm

- Traffic matrix: $M \times N$
 - M : the number of senders
 - N : the number of receivers
- Each element in the matrix
 - The number of flows from host i to host j
 - The estimated demand of each of the flows from host i to host j
 - A converged flag that marks flows whose demands have converged

Algorithm Walkthrough

- dF-> The “converged” demand
- dU-> The number of unconverged flows
- eS-> The computed equal share rate
- dT-> The total demand
- dS-> The sender limited demand
- f.rl-> A flag for a receiver limited flow
- nR-> The number of receiver limited flow

```
ESTIMATE-DEMANDS()  
1  for all  $i, j$   
2     $M_{i,j} \leftarrow 0$   
3  do  
4    foreach  $h \in H$  do EST-SRC( $h$ )  
5    foreach  $h \in H$  do EST-DST( $h$ )  
6  while some  $M_{i,j}$ .demand changed  
7  return  $M$ 
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4      if  $f.\text{converged}$  then
5           $d_F \leftarrow d_F + f.\text{demand}$ 
6      else
7           $n_U \leftarrow n_U + 1$ 
8   $e_S \leftarrow \frac{1.0 - d_F}{n_U}$ 
9  foreach  $f \in \langle \text{src} \rightarrow \text{dst} \rangle$  and not  $f.\text{converged}$  do
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```

EST-DST(dst: host)
1   $d_T, d_S, n_R \leftarrow 0$ 
2  foreach  $f \in \langle \text{src} \rightarrow \text{dst} \rangle$ 
3     $f$ .rl  $\leftarrow$  true
4     $d_T \leftarrow d_T + f$ .demand
5     $n_R \leftarrow n_R + 1$ 
6  if  $d_T \leq 1.0$  then
7    return
8   $e_S \leftarrow \frac{1.0}{n_R}$ 
9  do
10    $n_R \leftarrow 0$ 
11   foreach  $f \in \langle \text{src} \rightarrow \text{dst} \rangle$  and  $f$ .rl do
12     if  $f$ .demand  $< e_S$  then
13        $d_S \leftarrow d_S + f$ .demand
14        $f$ .rl  $\leftarrow$  false
15     else
16        $n_R \leftarrow n_R + 1$ 
17    $e_S \leftarrow \frac{1.0 - d_S}{n_R}$ 
18  while some  $f$ .rl was set to false
19  foreach  $f \in \langle \text{src} \rightarrow \text{dst} \rangle$  and  $f$ .rl do
20    $M_{f.\text{src}, f.\text{dst}}.\text{demand} \leftarrow e_S$ 
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EST-SRC(src: host)
1  d_F ← 0
2  n_U ← 0
3  foreach f ∈ {src → dst} do
4    if f.converged then
5      d_F ← d_F + f.demand
6    else
7      n_U ← n_U + 1
    
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$$\begin{bmatrix} & (\frac{1}{3})_1 & (\frac{1}{3})_1 & (\frac{1}{3})_1 \\ (\frac{1}{3})_2 & & (\frac{1}{3})_1 & 0_0 \\ (\frac{1}{2})_1 & 0_0 & & (\frac{1}{2})_1 \\ 0_0 & (\frac{1}{2})_2 & 0_0 & \end{bmatrix} \Rightarrow \begin{bmatrix} & [\frac{1}{3}]_1 & (\frac{1}{3})_1 & (\frac{1}{3})_1 \\ [\frac{1}{3}]_2 & & (\frac{1}{3})_1 & 0_0 \\ [\frac{1}{3}]_1 & 0_0 & & (\frac{1}{2})_1 \\ 0_0 & [\frac{1}{3}]_2 & 0_0 & \end{bmatrix} \Rightarrow \begin{bmatrix} & [\frac{1}{3}]_1 & (\frac{1}{3})_1 & (\frac{1}{3})_1 \\ [\frac{1}{3}]_2 & & (\frac{1}{3})_1 & 0_0 \\ [\frac{1}{3}]_1 & 0_0 & & (\frac{2}{3})_1 \\ 0_0 & [\frac{1}{3}]_2 & 0_0 & \end{bmatrix} \Rightarrow \begin{bmatrix} & [\frac{1}{3}]_1 & (\frac{1}{3})_1 & [\frac{1}{3}]_1 \\ [\frac{1}{3}]_2 & & (\frac{1}{3})_1 & 0_0 \\ [\frac{1}{3}]_1 & 0_0 & & [\frac{2}{3}]_1 \\ 0_0 & [\frac{1}{3}]_2 & 0_0 & \end{bmatrix}$$

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6  while some M_{i,j}.demand changed
7  return M
    
```

```

4    d_T ← d_T + f.demand
5    n_R ← n_R + 1
6  if d_T ≤ 1.0 then
7    return
8  e_S ← \frac{1.0}{n_R}
9  do
10   n_R ← 0
11   foreach f ∈ {src → dst} and f.rl do
12     if f.demand < e_S then
13       d_S ← d_S + f.demand
14       f.rl ← false
15     else
16       n_R ← n_R + 1
17   e_S ← \frac{1.0 - d_S}{n_R}
18   while some f.rl was set to false
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EST-DST(dst: host)
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- SRC host: max out the bandwidth supply
- DST host: restrict the bandwidth demand
- Maxmin fairness at a global scale

```
18 while some  $f.\text{rl}$  was set to false
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```

Path Selection

- Global First Fit
 - Search all possible paths and choose the first fit one
- Simulated Annealing
 - Choose the one that satisfies the energy function
 - Pruning the search space is key
 - Assign a single core switch for each destination host

Hedra in Practice

- #1: Central scheduler
 - Generate the forwarding table
 - Distribute to all switches
- #2: Flow demand estimator
 - Max-min fairness based on the traffic matrix
- #3: Approximate path selection
 - Employ heuristic algorithms

Hedra in Practice

- #1: Central scheduler
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Does Hedra always work?

Challenges in Deployment

- #1: Networking bandwidth capacity (supply) is ephemeral!
- #2: Flow demand and flow # are unpredictable!
 - Hedra targets long-lived flows
- #3: Real-time global view is hard to maintain!

Summary

- Today
 - Flow scheduling in data center networks (I)
- Next
 - Flow scheduling in data center networks (II)
 - Conga (SIGCOMM'14)