Machine Learning: Course Overview

Yingyu Liang Computer Sciences 760 Fall 2017

http://pages.cs.wisc.edu/~yliang/cs760/

Some of the slides in these lectures have been adapted/borrowed from materials developed by Mark Craven, David Page, Jude Shavlik, Tom Mitchell, Nina Balcan, Elad Hazan, Tom Dietterich, and Pedro Domingos.

Class enrollment



- typically the class was limited to 30
- we've allowed ~100 to register
- the waiting list full
- unfortunately, many on the waiting list will not be able to enroll
- but CS760 will be offered in the Spring semester!

Instructor

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TA

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office: TBA



Monday, Wednesday and Friday?

- we'll have ~30 lectures in all, just like a standard TR class
- will push the lectures forward (finish early, leave time for projects and review)
- see the schedule on the course website

Course emphases

- a variety of learning settings: supervised learning, unsupervised learning, reinforcement learning, active learning, etc.
- a broad toolbox of machine-learning methods: decision trees, nearest neighbor, neural nets, Bayesian networks, SVMs, etc.
- some underlying theory: bias-variance tradeoff, PAC learning, mistake-bound theory, etc.
- experimental methodology for evaluating learning systems: cross validation, ROC and PR curves, hypothesis testing, etc.

Two major goals

- 1. Understand what a learning system should do
- 2. Understand how (and how well) existing systems work

Course requirements

- 5-6 homework assignments: ~75%
 - programming
 - computational experiments (e.g. measure the effect of varying parameter x in algorithm y)
 - some written exercises
- final exam or project (choose one): ~25%
 - project group: 3-5 people

Expected background

- CS 540 (Intro to Artificial Intelligence) or equivalent
- good programming skills
- probability
- linear algebra
- calculus, including partial derivatives

Programming languages

for the programming assignments, you can use

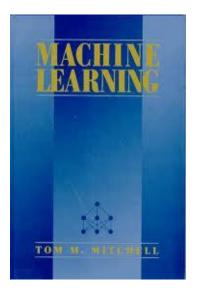
```
C
C++
Java
Perl
Python
R
Matlab
```

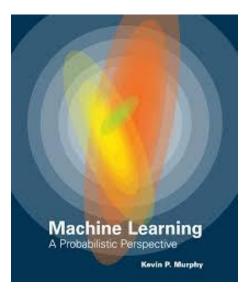
 programs must be callable from the command line and must run on the CS lab machines (this is where they will be tested during grading!)

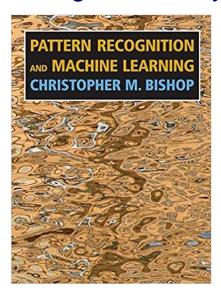
Course readings

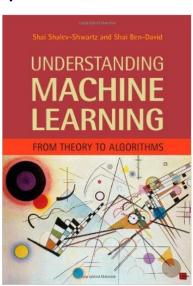
Recommend to get one of the following books

- Machine Learning. T. Mitchell. McGraw Hill, 1997.
- Pattern Recognition and Machine Learning. C. Bishop. Springer, 2011.
- Machine Learning: A Probabilistic Perspective. K. Murphy. MIT Press, 2012.
- Understanding Machine Learning: From Theory to Algorithms. S. Shalev-Shwartz, S. Ben-David. Cambridge University press, 2014.









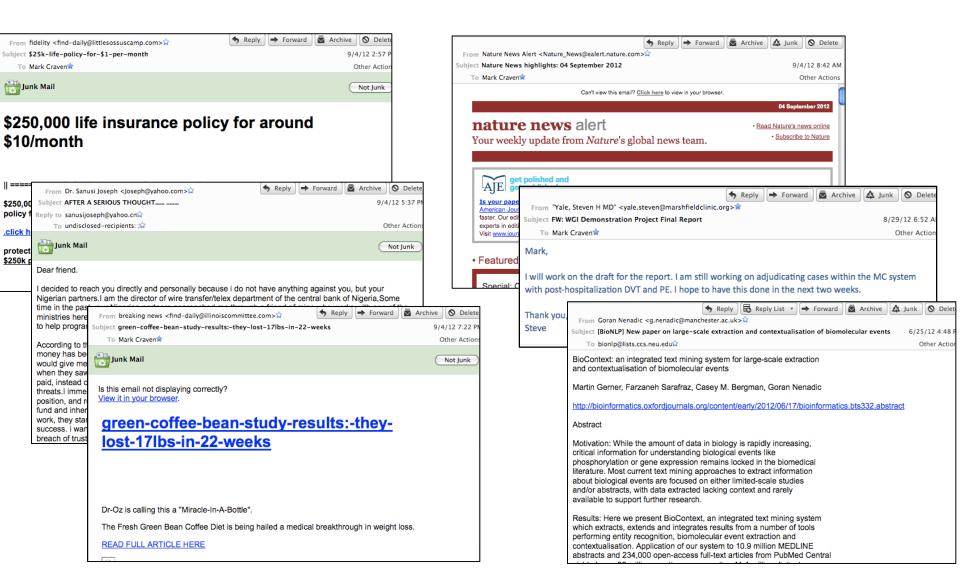
Course readings

- the books can be found online or at Wendt Commons Library
- additional readings will come from online articles, surveys, and chapters
- will be posted on course website

What is machine learning?

- the study of algorithms that improve their performance P at some task T with experience E
- to have a well defined learning task, we must specify: < P, T, E >

ML example: spam filtering



ML example: spam filtering

- T: given new mail message, classify as spam vs. other
- *P*: minimize misclassification costs
- *E* : previously classified (filed) messages

ML example: predictive text input



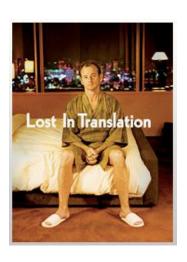


ML example: predictive text input

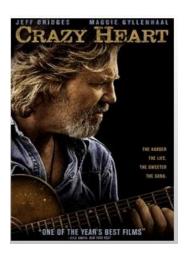
- T: given (partially) typed word, predict the word the user intended to type
- P: minimize misclassifications
- E: words previously typed by the user
 (+ lexicon of common words + knowledge of keyboard layout)

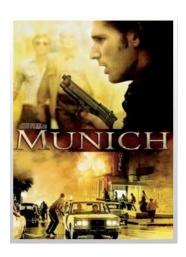
domain knowledge

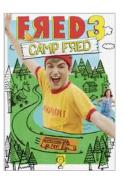
ML example: Netflix Prize











Our best guess for Mark:





Our best guess for Mark:



ML example: Netflix

- T: given a user/movie pair, predict the user's rating (1-5 stars) of the movie
- P: minimize difference between predicted and actual rating
- E: histories of previously rated movies (user/movie/rating triples)

ML example: reinforcement learning to control an autonomous helicopter



ML example: autonomous helicopter

- T: given a measurement of the helicopter's current state (orientation sensor, GPS, cameras), select an adjustment of the controls
- P: maximize reward (intended trajectory + penalty function)
- \bullet E: state, action and reward triples from previous demonstration flights

Reading assignment

- for Friday, read
 - Chapter 1 of Mitchell or Chapter 1 of Murphy
 - article by Dietterich on course website
 - article by Jordan and Mitchell on course website
- course website:

http://pages.cs.wisc.edu/~yliang/cs760/

HW1: Background test

- posted on course website; due in two weeks (Sep 20)
- will set up how to submit the solutions soon
- contains: minimum and medium tests
- if pass medium: in good shape
- if pass minimum but not medium: can still take but expect to fill in background
- if fail both: suggest to fill in background before taking the course

Minimum background test

- 80 pts in total; pass: 48pts
- linear algebra: 20 pts
- probability: 20 pts
- calculus: 20 pts
- big-O notations: 20 pts

Minimum test example

$$X = \begin{pmatrix} 9 & 8 \\ 7 & 6 \end{pmatrix} \qquad \mathbf{y} = \begin{pmatrix} 9 \\ 8 \end{pmatrix} \qquad \mathbf{z} = \begin{pmatrix} 7 \\ 6 \end{pmatrix}$$

- 1. What is the inner product of the vectors \mathbf{y} and \mathbf{z} ? (this is also sometimes called the *dot product*, and is sometimes written as $\mathbf{y}^T \mathbf{z}$)
- 2. What is the product Xy?
- 3. Is X invertible? If so, give the inverse, and if no, explain why not.
- 4. What is the rank of X?

Minimum test example

- 1. If $y = 4x^3 x^2 + 7$ then what is the derivative of y with respect to x?
- 2. If $y = \tan(z)x^{6z} \ln(\frac{7x+z}{x^4})$, what is the partial derivative of y with respect to x?

Medium background test

- 20 pts in total; pass: 12 pts
- algorithm: 5 pts
- probability: 5 pts
- linear algebra: 5 pts
- programming: 5 pts

Medium test example

Match the distribution name to its probability density / mass function. Below, |x| = k.

(f)
$$f(\boldsymbol{x}; \boldsymbol{\Sigma}, \boldsymbol{\mu}) = \frac{1}{\sqrt{(2\pi)^k \boldsymbol{\Sigma}}} \exp\left(-\frac{1}{2}(\boldsymbol{x} - \boldsymbol{\mu})^T \boldsymbol{\Sigma}^{-1} (\boldsymbol{x} - \boldsymbol{\mu})\right)$$

- (g) $f(x; n, \alpha) = \binom{n}{x} \alpha^x (1 \alpha)^{n-x}$ for $x \in \{0, \dots, n\}$; 0 otherwise
- (h) $f(x; b, \mu) = \frac{1}{2b} \exp\left(-\frac{|x-\mu|}{b}\right)$
- (i) $f(\boldsymbol{x}; n, \boldsymbol{\alpha}) = \frac{n!}{\prod_{i=1}^k x_i!} \prod_{i=1}^k \alpha_i^{x_i}$ for $x_i \in \{0, \dots, n\}$ and $\sum_{i=1}^k x_i = n$; 0 otherwise
- (j) $f(x; \alpha, \beta) = \frac{\beta^{\alpha}}{\Gamma(\alpha)} x^{\alpha-1} e^{-\beta x}$ for $x \in (0, +\infty)$; 0 otherwise
- (k) $f(\boldsymbol{x}; \boldsymbol{\alpha}) = \frac{\Gamma(\sum_{i=1}^k \alpha_i)}{\prod_{i=1}^k \Gamma(\alpha_i)} \prod_{i=1}^k x_i^{\alpha_i 1}$ for $x_i \in (0, 1)$ and $\sum_{i=1}^k x_i = 1$; 0 otherwise
- (1) $f(x; \lambda) = \lambda^x \frac{e^{-\lambda}}{x!}$ for all $x \in Z^+$; 0 otherwise

Medium test example

Draw the regions corresponding to vectors $\mathbf{x} \in \mathbb{R}^2$ with the following norms:

1.
$$||\mathbf{x}||_1 \le 1$$
 (Recall that $||\mathbf{x}||_1 = \sum_i |x_i|$)

2.
$$||\mathbf{x}||_2 \le 1$$
 (Recall that $||\mathbf{x}||_2 = \sqrt{\sum_i x_i^2}$)

3.
$$||\mathbf{x}||_{\infty} \leq 1$$
 (Recall that $||\mathbf{x}||_{\infty} = \max_i |x_i|$)